

# Transverse Impedance Localization Update

N.Biancacci



- Method
- Measurements in PS
- Measurements in SPS
- Measurements in LHC

## *Acknowledgement*

PS, SPS and LHC operators and LHC collimation team.  
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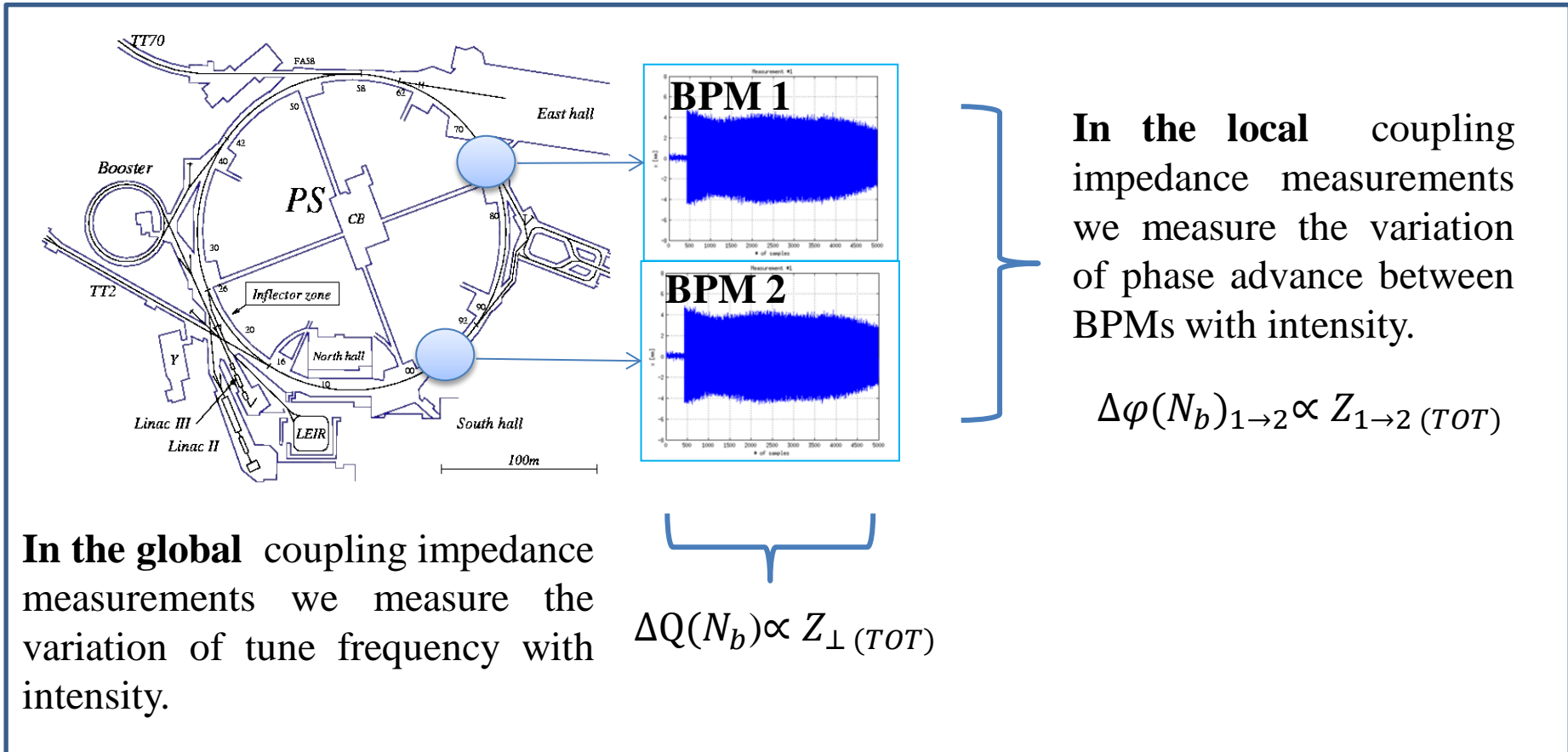
# Outline

- Transverse impedance localization method.
- Observable: phase advance
  - Accuracy of phase advance detection for noisy signals.
  - Accuracy of slopes for measurements with error bars.
  - Impedance induced phase advance beating
- Application to the PS
  - Measurement of local quadrupolar orbit errors.
  - Measurements with single bunch, injection, V-plane.
- Application to the SPS
  - BPM system.
  - Measurement with single bunch, injection, V-plane.
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  - Status of analysis.
- Conclusion and overview.

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# Transverse Impedance Localization Method

The transverse beam coupling impedance can be measured both globally and locally:



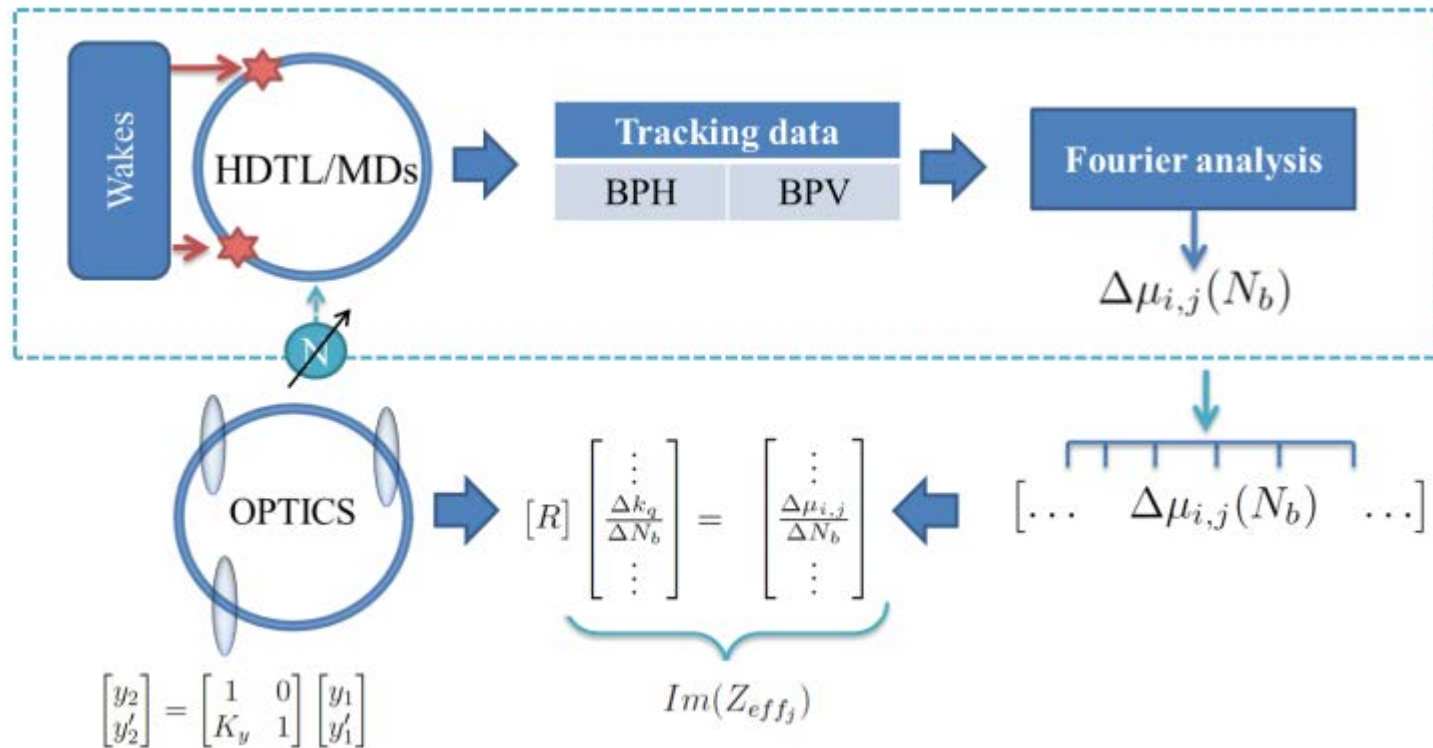
The method for local measurements was proposed and applied by G. Arduini et al. in 2004 and 2009 in SPS [1,2] and benchmarked with HEADTAIL.

- [1] "[Localizing impedance sources from betatron-phase beating in the CERN SPS](#)", G. Arduini, C. Carli , F. Zimmermann EPAC'04.
- [2] "[Transverse Impedance Localization Using dependent Optics](#)" R.Calaga et al., PAC'09.

# Transverse Impedance Localization Method

The aim of the measurement is: correlating the phase advance beating variation with intensity with a local source of impedance.

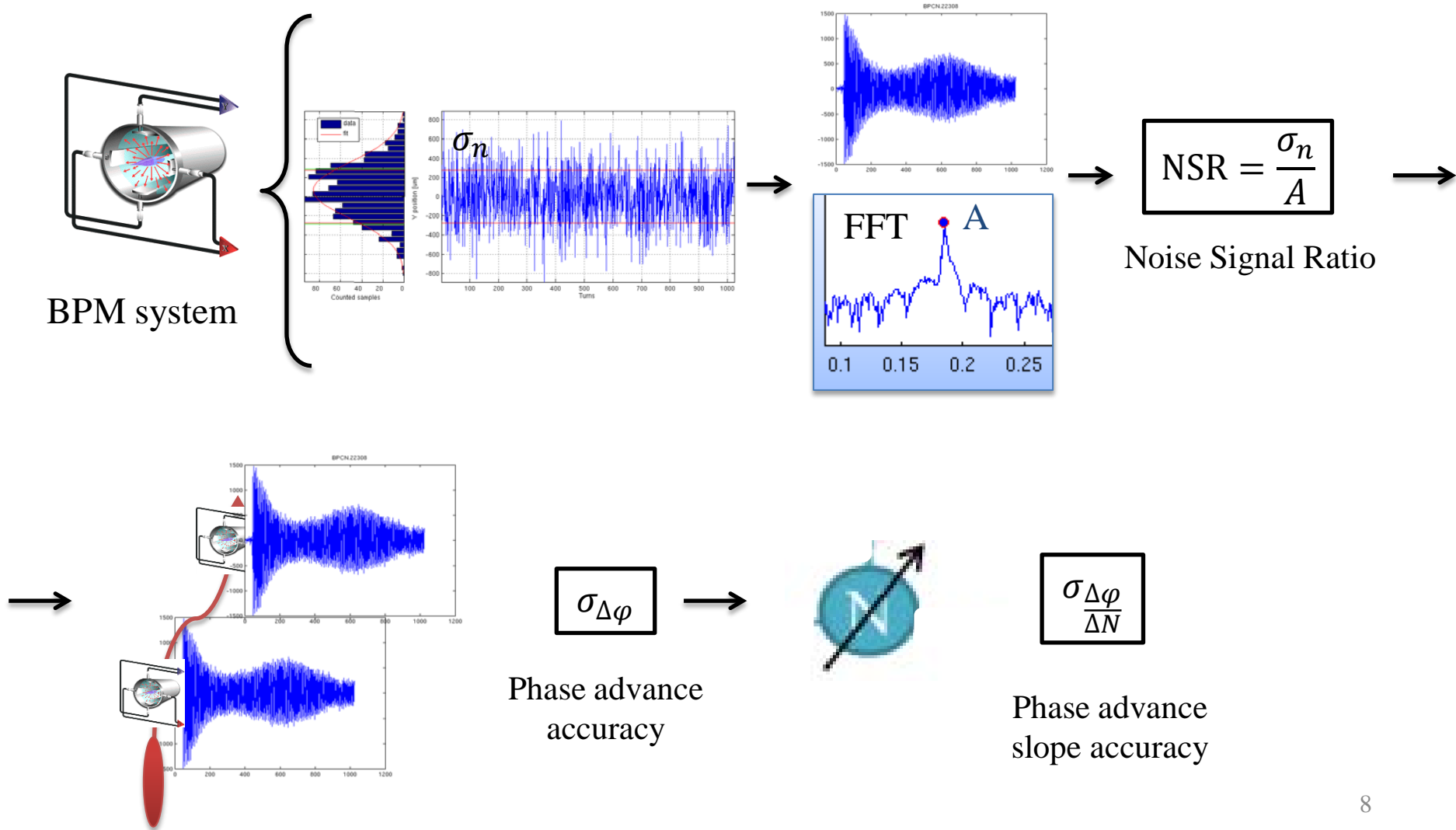
In “optical” terms, an impedance would behave as a (de)focusing intensity dependent quadrupole.



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  - Measurements with single bunch, injection, V-plane.
  - Measurements with two bunches, injection, V-plane.
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# Observable: Phase advance

The uncertainty chain:

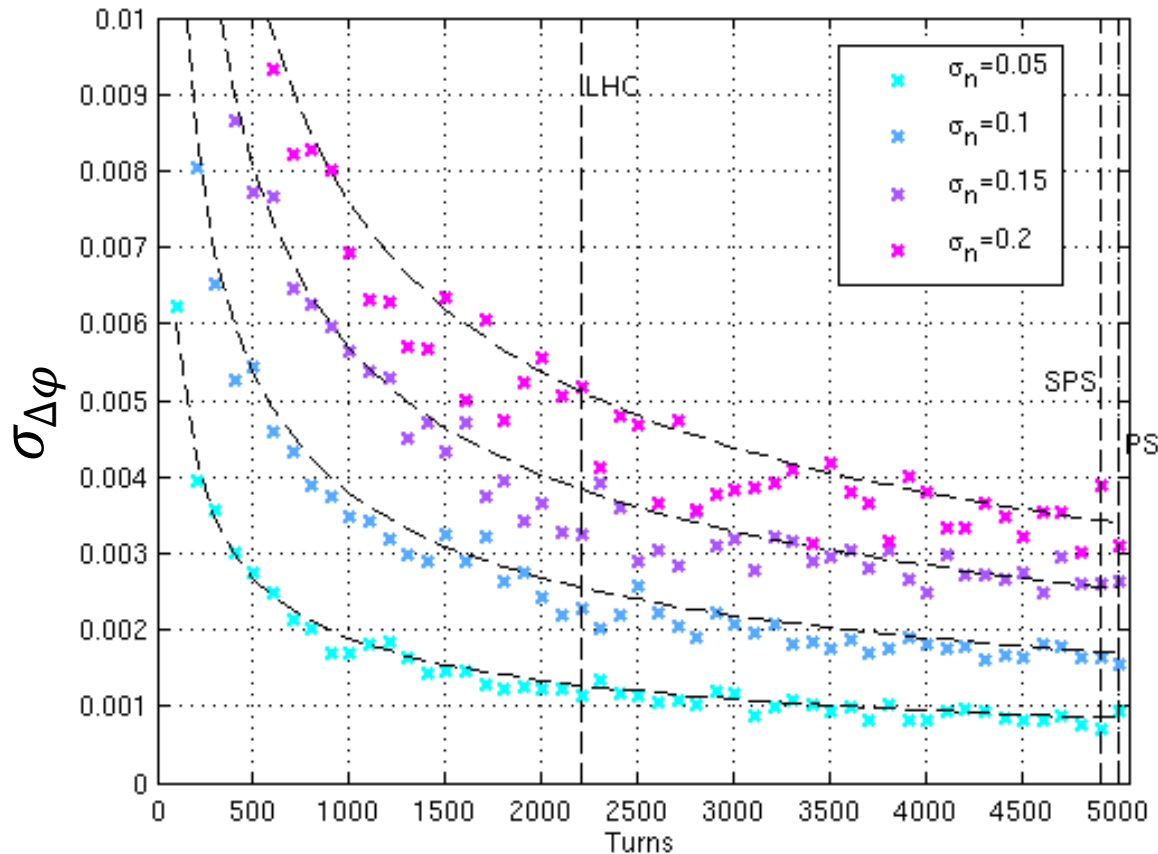




# Accuracy of phase advance detection for noisy signals

Numerical estimation of phase uncertainty on simulated signal:

- Take 2 aleatory sinusoidal signals, with additive Gaussian noise of sigma  $\sigma_n$ , same tune and fixed phase advance  $\Delta\phi$ , amplitude  $A=1$  (NB:  $NSR=\sigma_n/A=\sigma_n$  in this case).
- Run 100 times and measure the phase advance.
- Measure the standard deviation  $\sigma_{\Delta\phi}$  for the phase advance (accuracy in measurements).
- Fit.



$$\sigma_{\Delta\phi} \approx 1.2 \frac{\sigma_n}{\sqrt{N}}$$

and in general,

$$\sigma_{\Delta\phi} \approx 1.2 \frac{NSR}{\sqrt{N}}$$

---

Note that phase is in MAD units (rad/2pi)

# Accuracy of phase advance slope measurements

Given a set of  $M$  measurements of  $\Delta\varphi$  with equal error bars  $\sigma_{\Delta\varphi}$ , obtained along an intensity scan  $\mathbf{X}$ , we can calculate  $\sigma_{\frac{\Delta\varphi}{\Delta N}}$  using standard straight line least squares:

$$\sigma_{\frac{\Delta\varphi}{\Delta N}} = \frac{\sigma_{\Delta\varphi}}{\sigma_X \sqrt{M}} \quad \text{with } \sigma_X \text{ standard deviation of the intensity scan } \mathbf{X}.$$

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$$\frac{\sigma_{\Delta\varphi}}{\Delta N} = \frac{\sigma_{\Delta\varphi}}{\sigma_X \sqrt{M}} \quad \text{with } \sigma_X \text{ standard deviation of the intensity scan } X.$$

Comparing with the previous formula one has:

$$\frac{\sigma_{\Delta\varphi}}{\Delta N} = \frac{1.2 \text{ NSR}}{\sigma_X \sqrt{N} \sqrt{M}}$$

To be **reduced**  
(noise level, kicker strength, BPMs gain, BPM transfer function)

To be **increased**:  $M$ = number of measurements.  
Usually a 100 points it's the case.

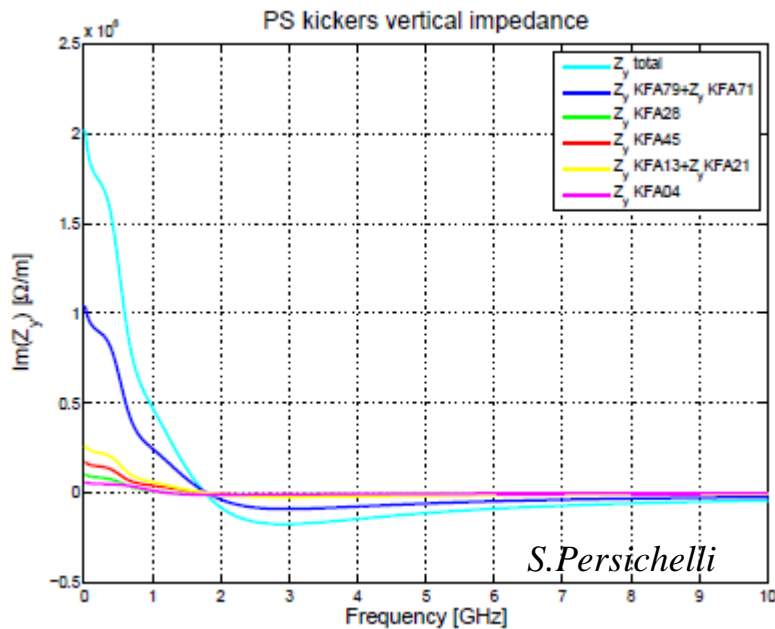
To be **increased**: It is the width of the scan of intensity. Upper threshold can be TMCI. Lower is BPM sensitivity.

To be **increased**:  $N$ =Number of turns.  
Depends on ability on hardware and data trasmission from BPM to storage.

# Impedance induced phase advance beating

A phase beating is induced by impedance kicks similarly to what is done by a quadrupolar kick. From standard formulas we can calculate the phase beating amplitude and therefore compare it with the accuracy we can get in measurements.

**Example:** PS kickers

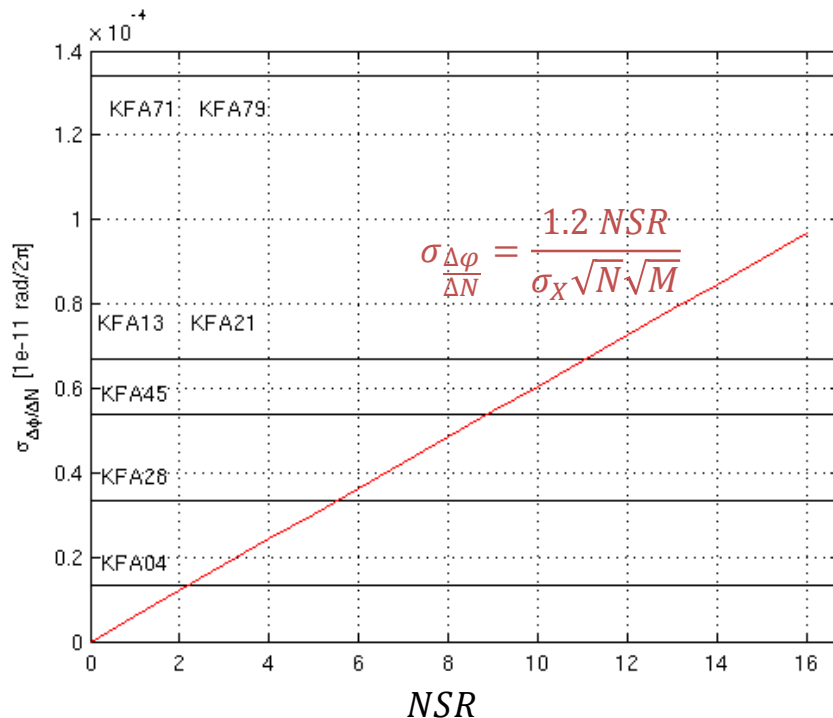


1) Calculate impedance: Tsutsui's model for the kickers.

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Example: PS kickers



1) Calculate impedance: Tsutsui's model for the kickers.

2) Merging Sacherer formula and phase beating formula [1] we calculate the beat amplitude from impedances as:

$$A = \frac{q^2}{(2\pi)^2 T_0} \frac{\sqrt{\pi} \operatorname{Im}\{Z_{eff}\}}{\gamma m_p \omega_0 Q_0 \sigma_z} \left( \frac{\delta_s}{2} + \frac{1}{2 \sin(2\pi Q_0)} \right)$$

and compare with measurements and the estimation:

$$\frac{\sigma_{\Delta\phi}}{\Delta N} = \frac{1.2 \cdot NSR}{\sigma_X \sqrt{N} \sqrt{M}}$$

PS

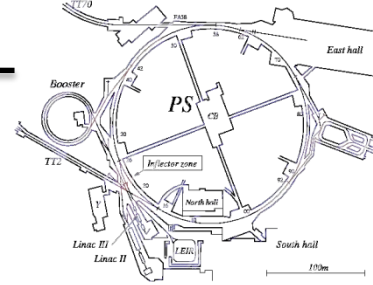


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## QSE current variation

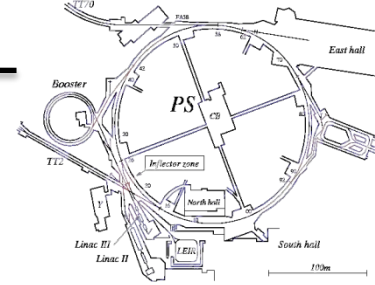
Method validation:

- take a couple of quadrupoles.
- vary their current in order to provoke a tune shift of  $\sim 0.02$ .
- Try to localize back the quadrupoles.





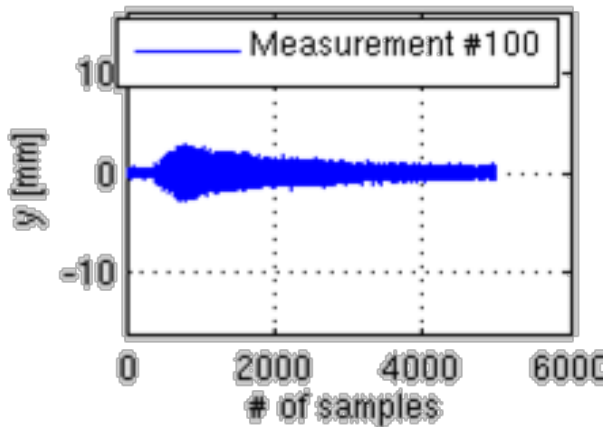
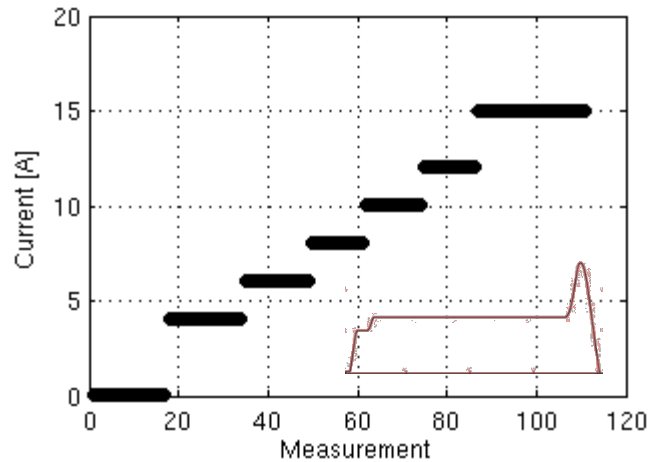
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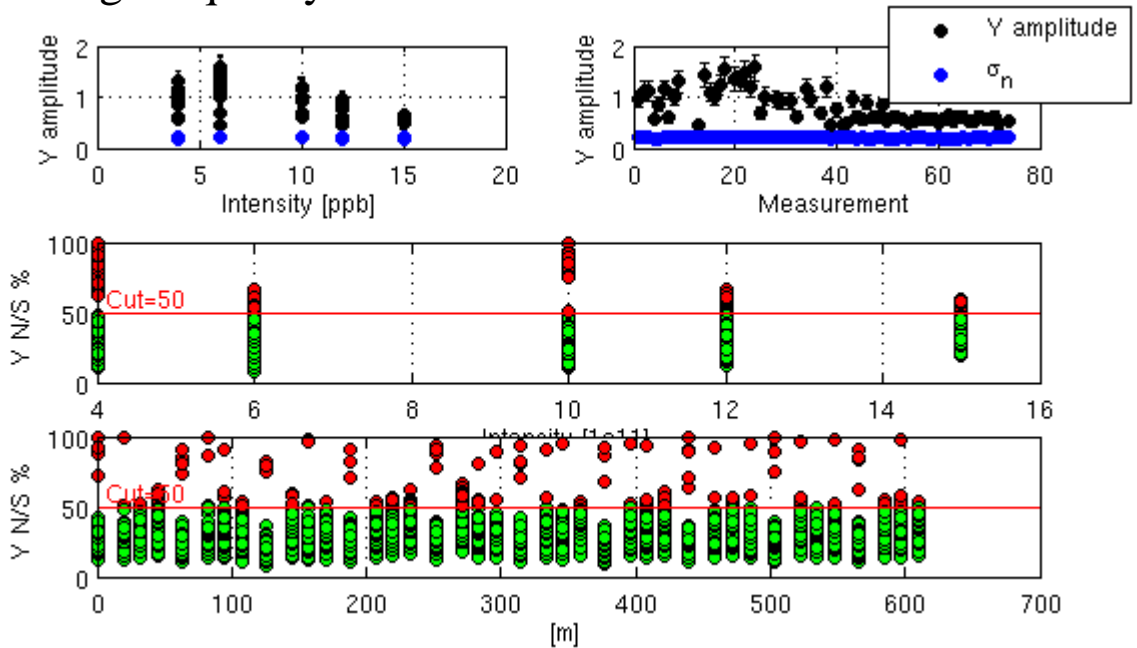
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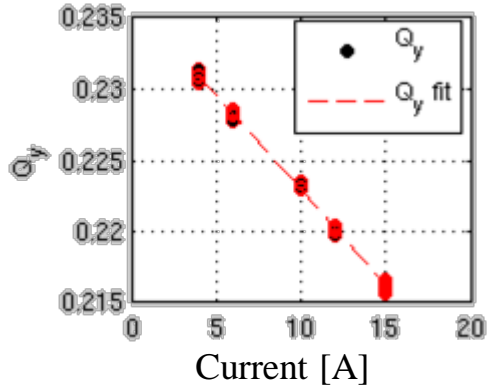
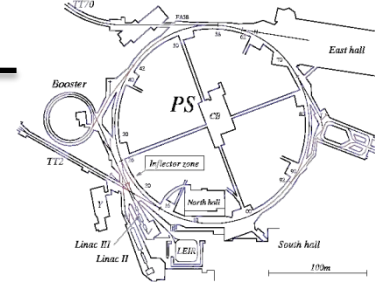
## Current in the quadrupoles



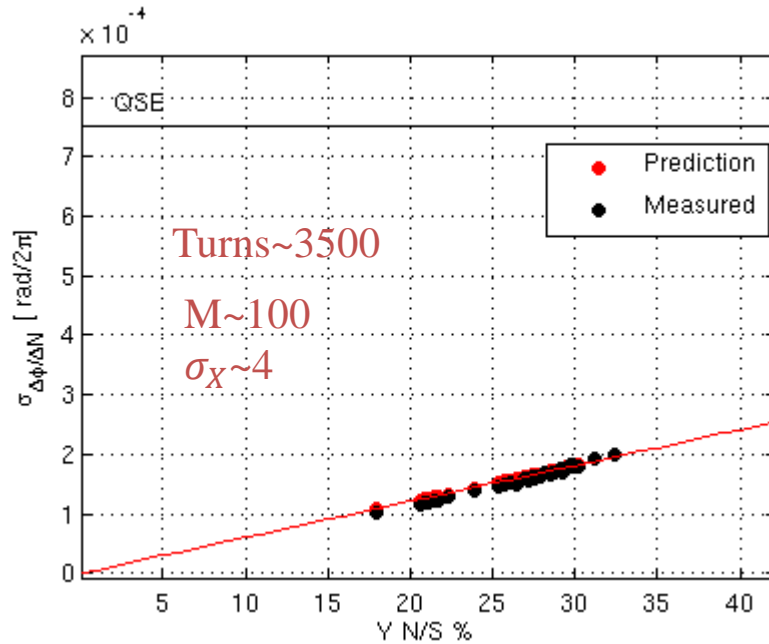
## Signal quality



# QSE current variation

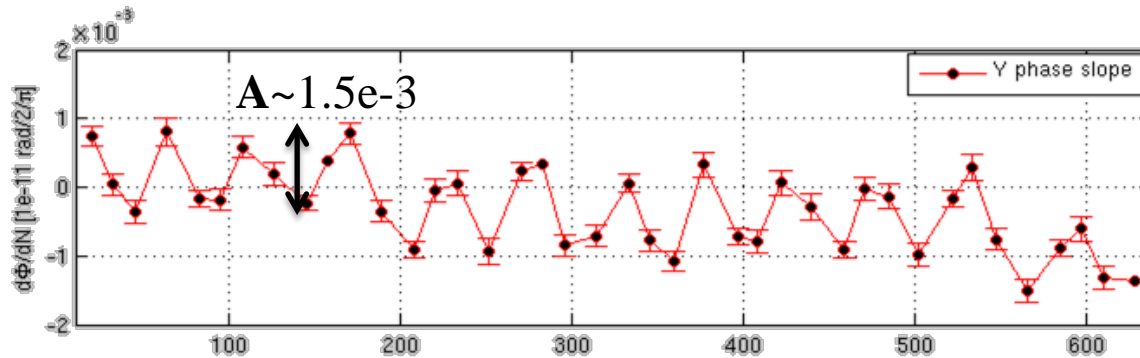
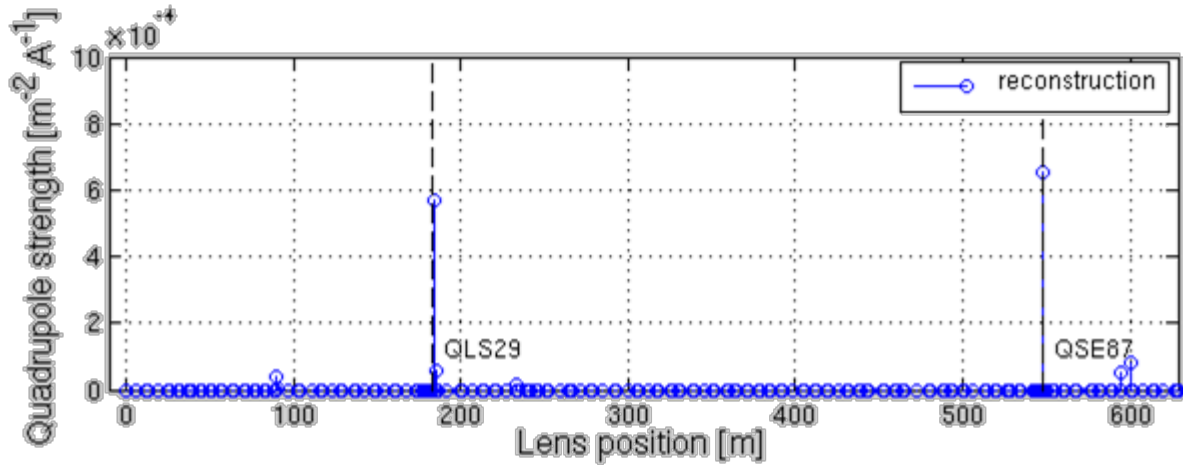
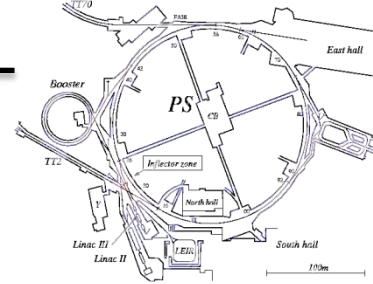


From the tune shift we verified that a considerable scan was achieved.



An error in a QSE quadrupole provokes a beat of amplitude  $A \sim 7.5e-4$ . This is well within the accuracy limit. QSE are 2, so the beating waves can interact constructively or destructively.

# QSE current variation

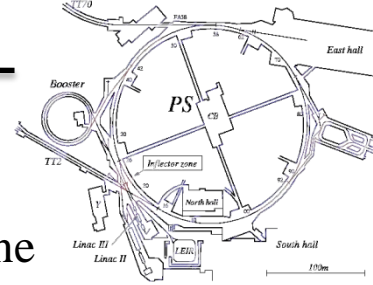


The two quadrupoles provoke beating waves that interact constructively: sum of beating amplitude  $A \sim 1.5e-3$  agrees with the measured one.

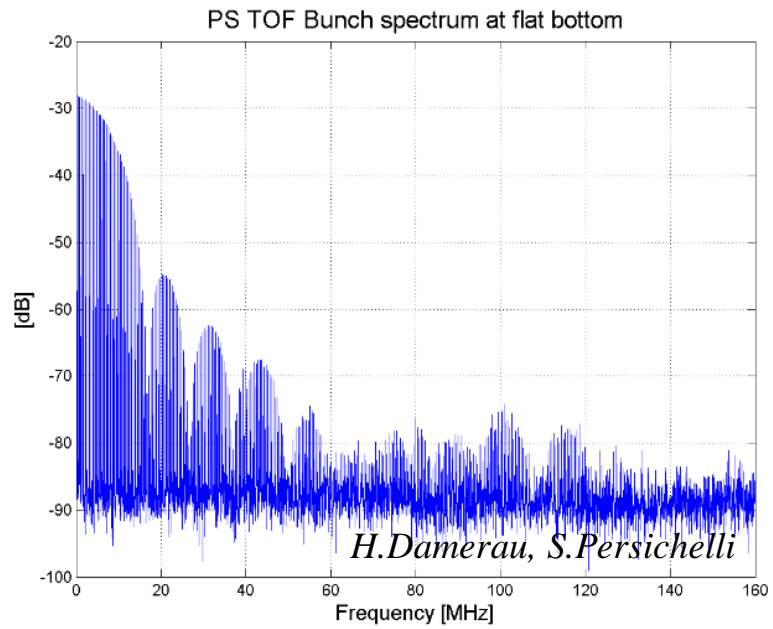
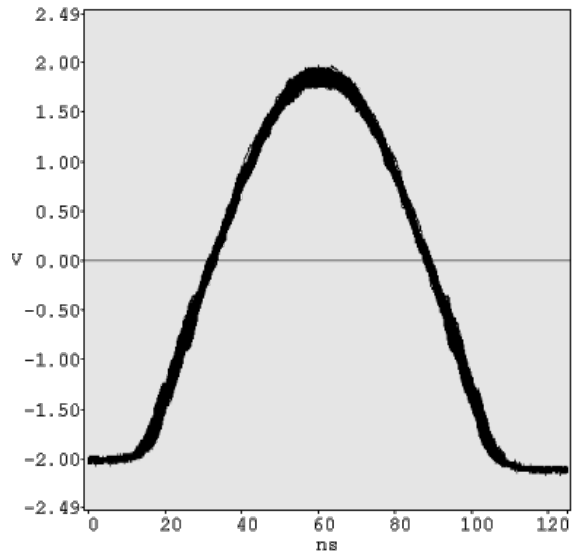
Both slope and reconstruction are good.

Even if it's not a really "intensity dependent" experiment from a beam point of view, it proves that the reconstruction method can work.

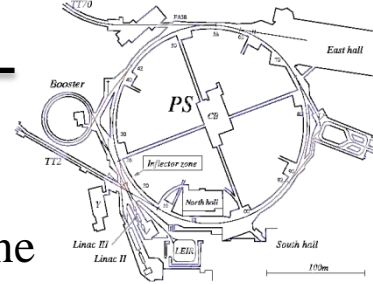
## Measurement with single bunch V plane



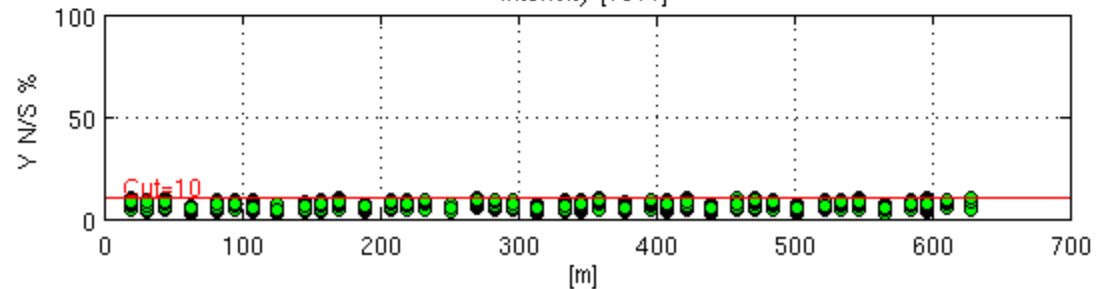
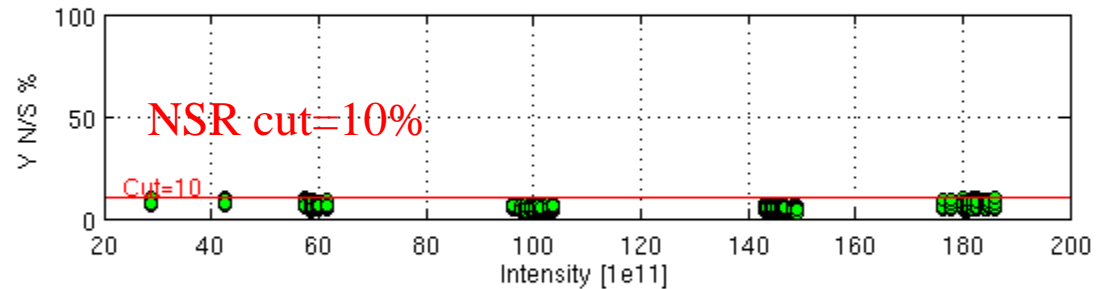
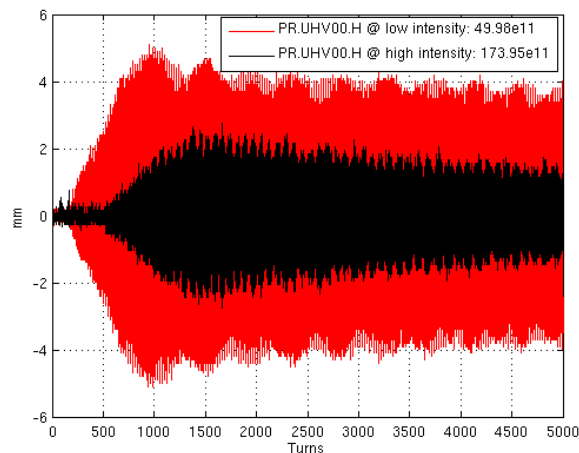
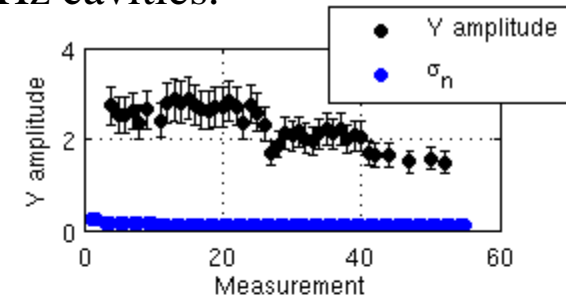
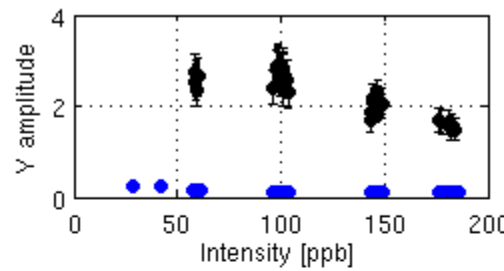
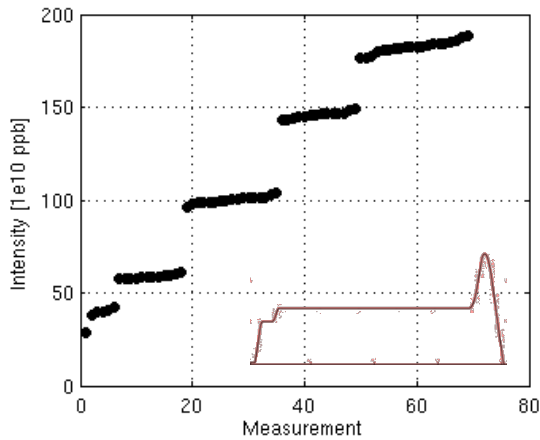
- The measurement with single bunch at injection energy 2GeV, was done with a TOF beam.
- Intensity scan from  $1e12$  to  $6e12$  ppb.
- TFB was used as vertical kicker.
- The smallest bunch length is 90ns ( $4\sigma$ ) with 200kV in 10MHz cavities.



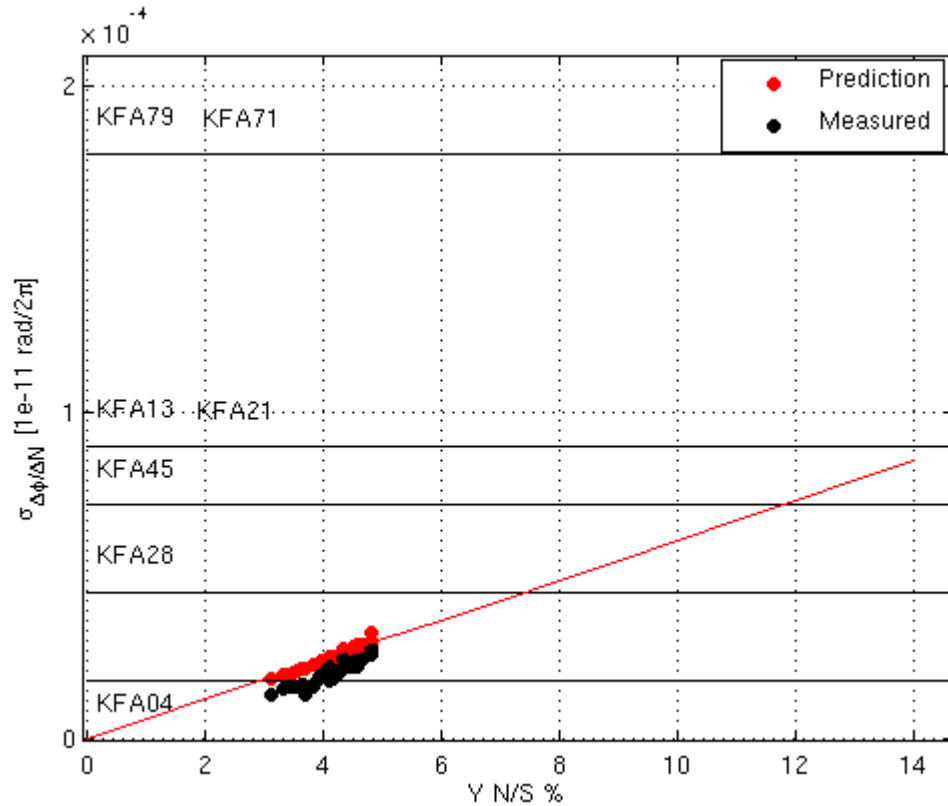
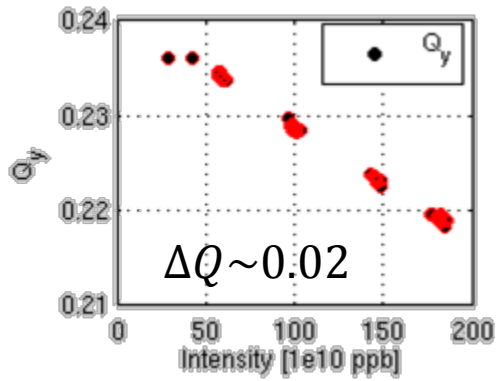
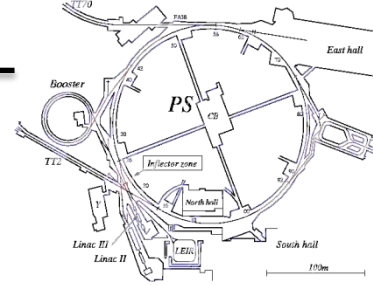
# Measurement with single bunch V plane



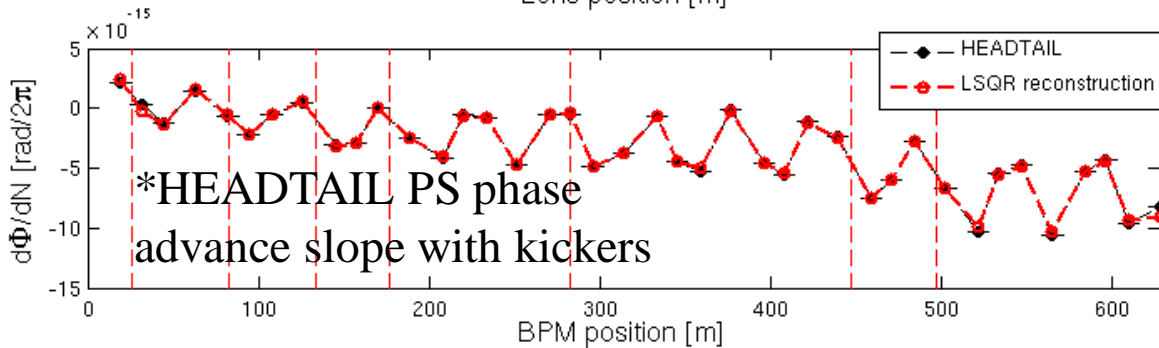
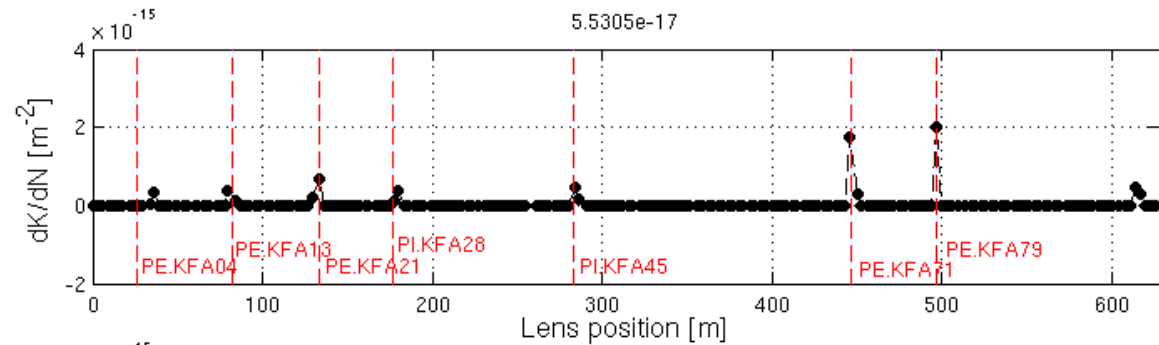
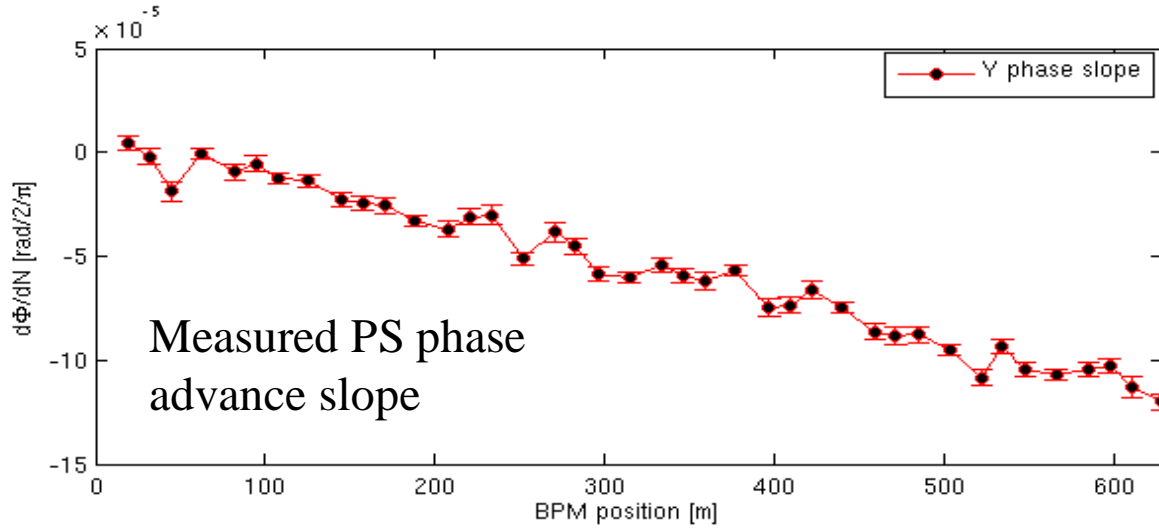
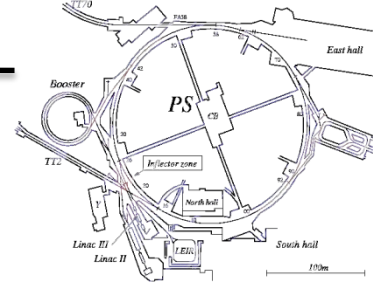
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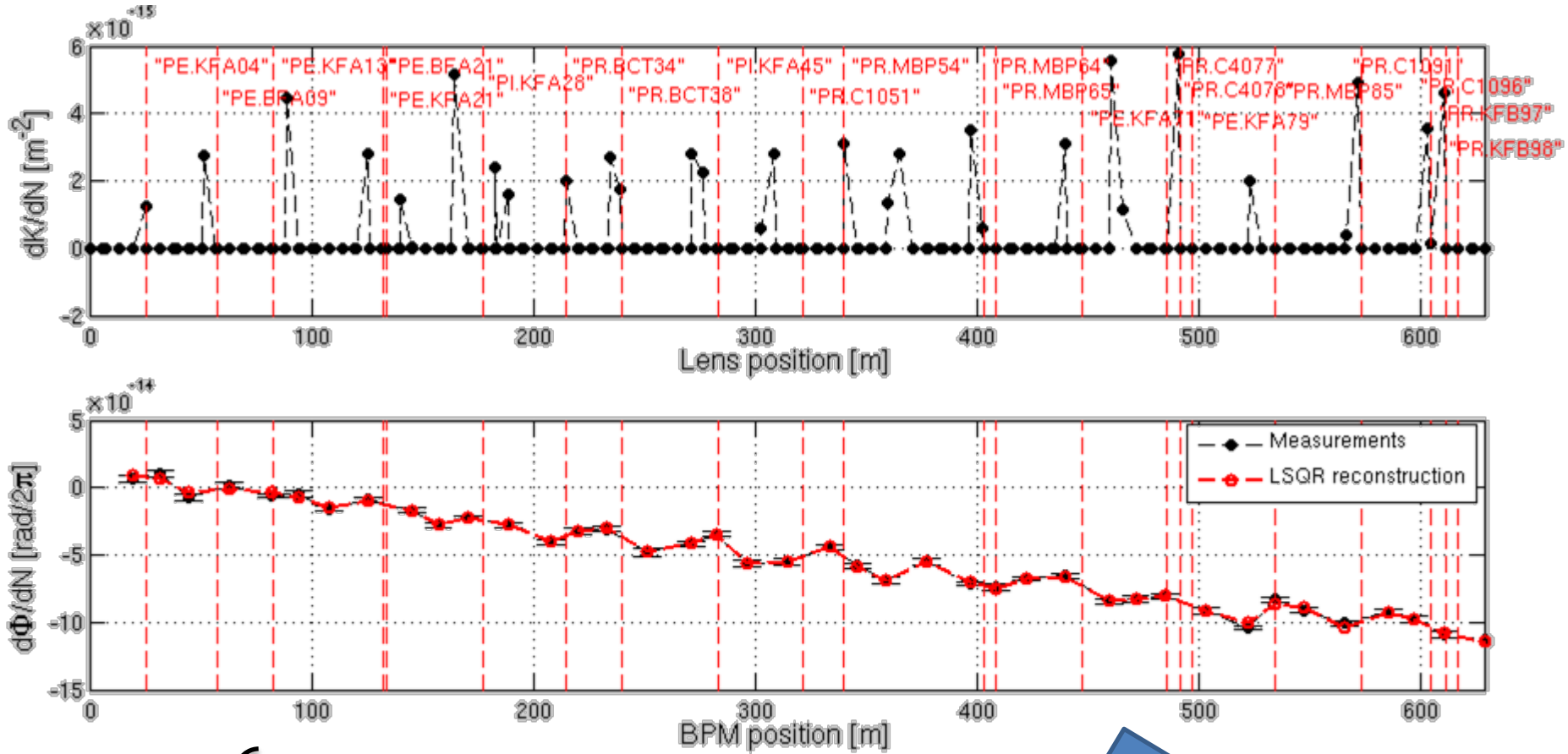
# Measurement with single bunch V plane



- Measurement is rather clean.
- The step like behaviour expected from HEADTAIL simulation is smoothed.
- Probably SC contribution?
- Resistive wall tune shift contribution should be cut out?

\* Impedance calculated with Tsutsui's model

# Reconstruction of PS-30-01-2013\_V3:

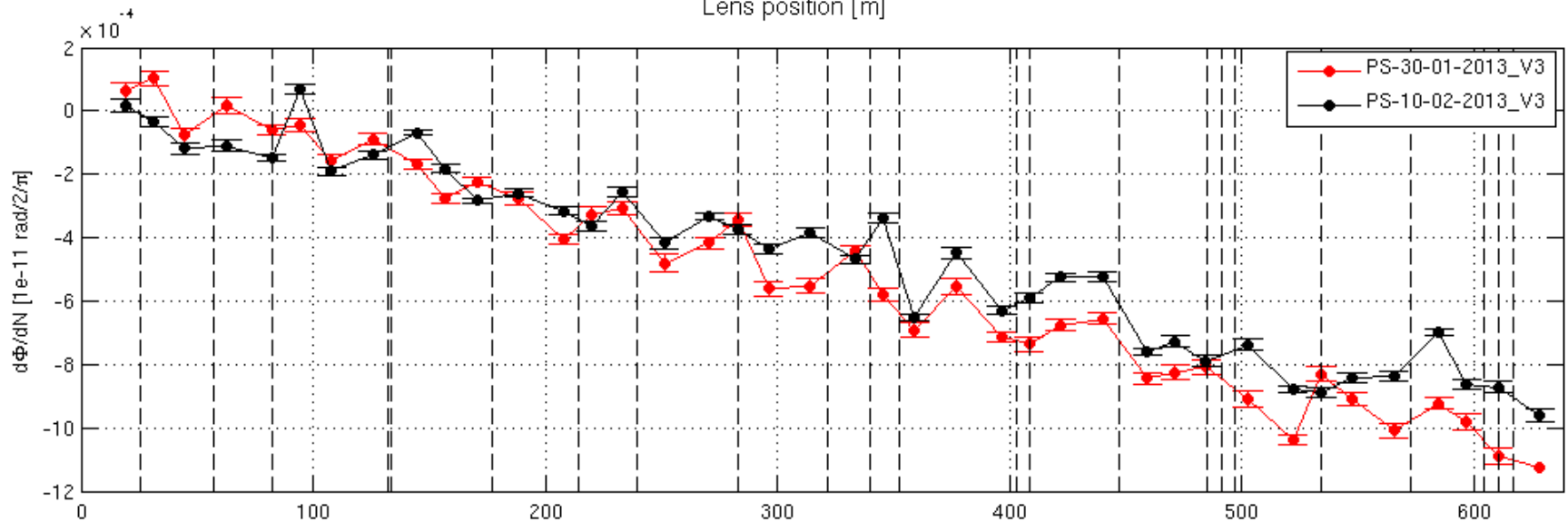
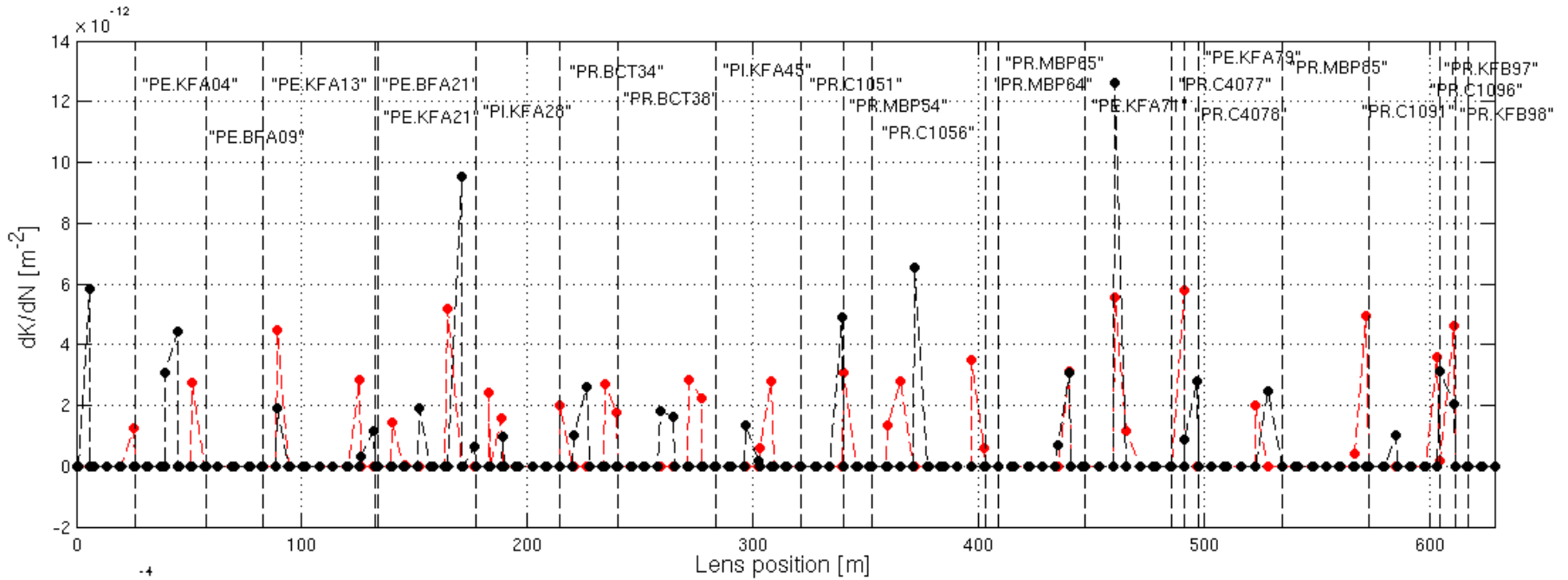


- Identified elements:
- KFA04
  - BFA09
  - KFA13
  - KFA21
  - KFA28
  - KFA45
  - KFA79
  - BCT34/38: Beam current transformer
  - C1051/56: RF cavity
  - C4077/78: RF cavity
  - MBP64/65: Wire scanner
  - KFB97/98: Feedback

Preliminary

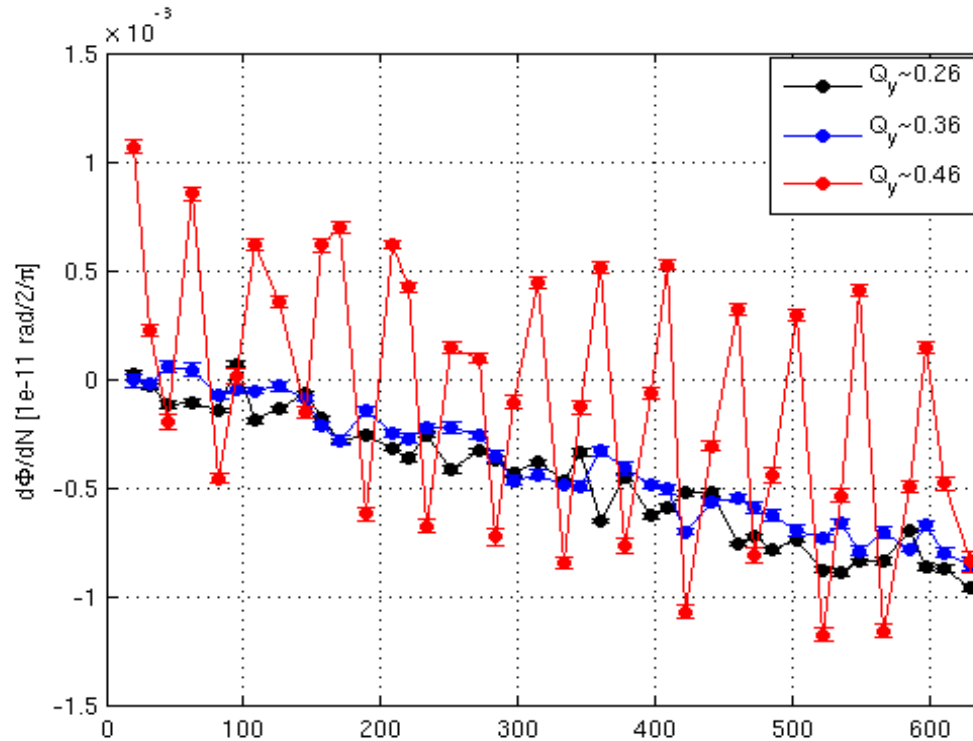


# Measurements reproducibility: 10/02 Vs 30/01,



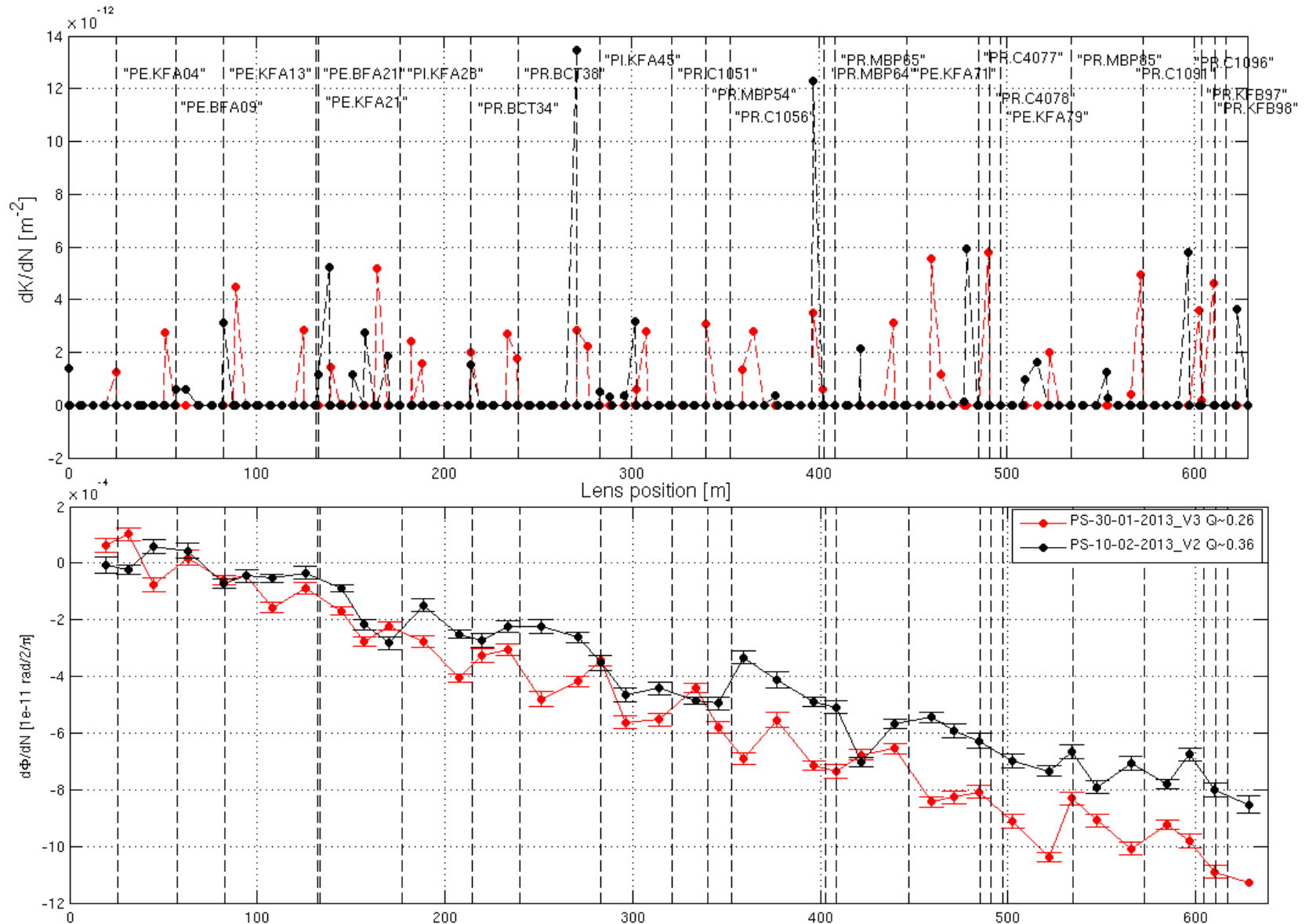
Trying with tunes closer to half resonance  $Q_y \sim 0.5$ , the signal should increase.

$$A = \frac{q^2}{(2\pi)^2 T_0} \frac{\sqrt{\pi} \operatorname{Im}\{Z_{eff}\}}{\gamma m_p \omega_0 Q_y \sigma_z} \left( \frac{\delta_s}{2} + \frac{1}{2 \sin(2\pi Q_y)} \right) \longrightarrow \begin{cases} 0.26 \rightarrow \times 1 \\ 0.36 \rightarrow \times 1.2 \\ 0.46 \rightarrow \times 4 \end{cases}$$



But the optics model is very compromised close to the resonance due to the natural optics errors.

# Measurements reproducibility: 30/01 Qy~0.26 Vs 10/02 Qy~0.36



# SPS

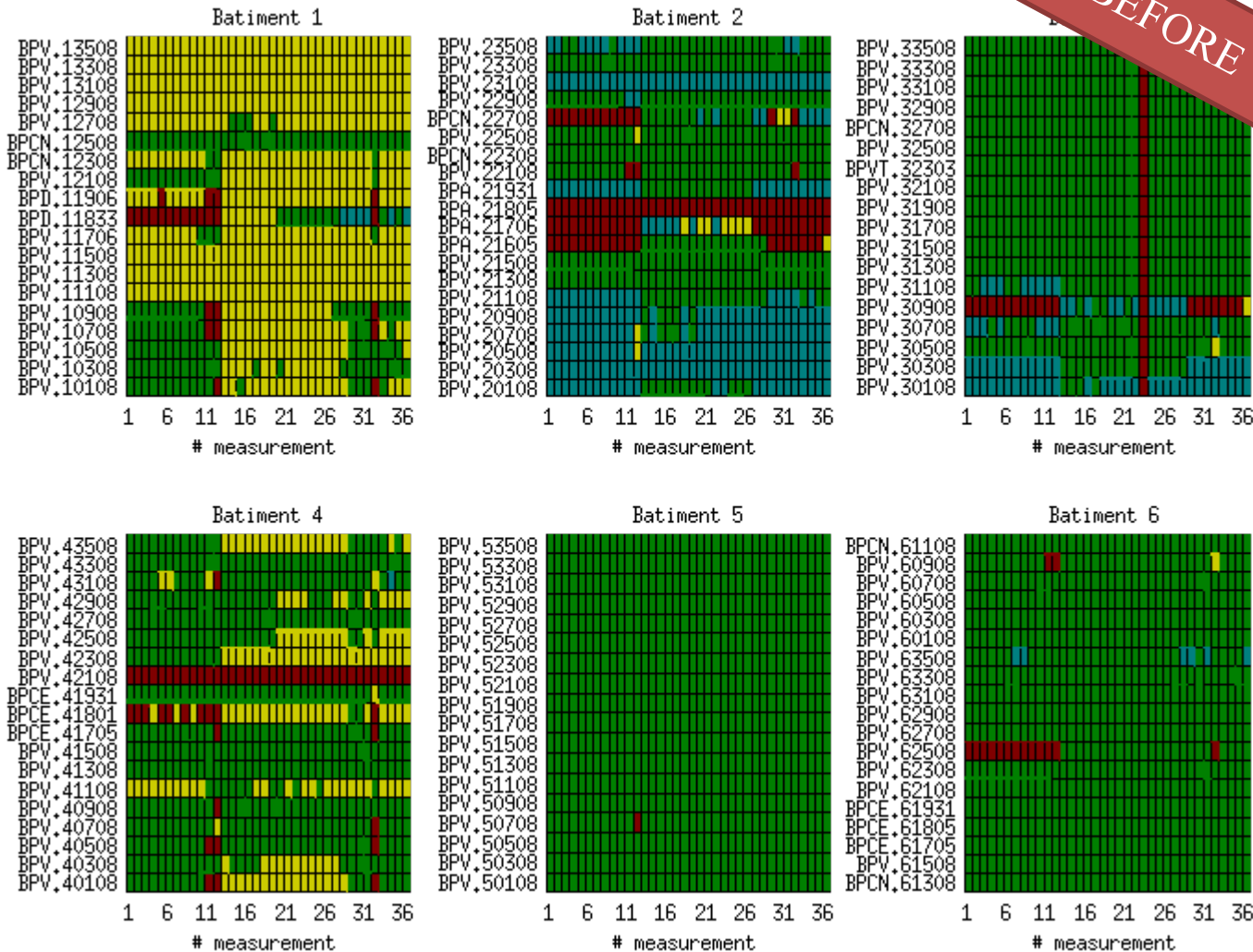


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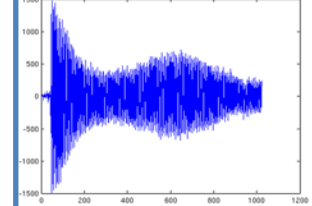
# SPS

Long time was spent in setting up the MOPOS system...

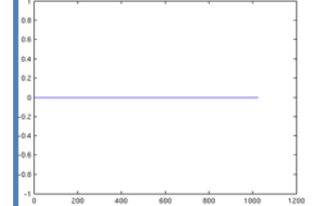
BEFORE



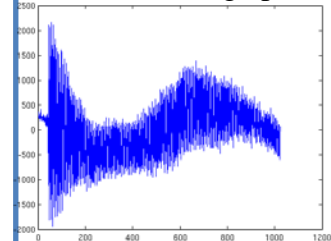
Correctly working BPMs



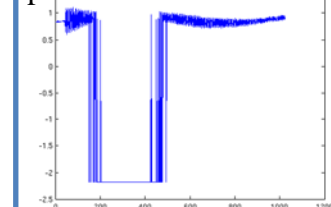
BPMs switched off



BPMs with strange patterns

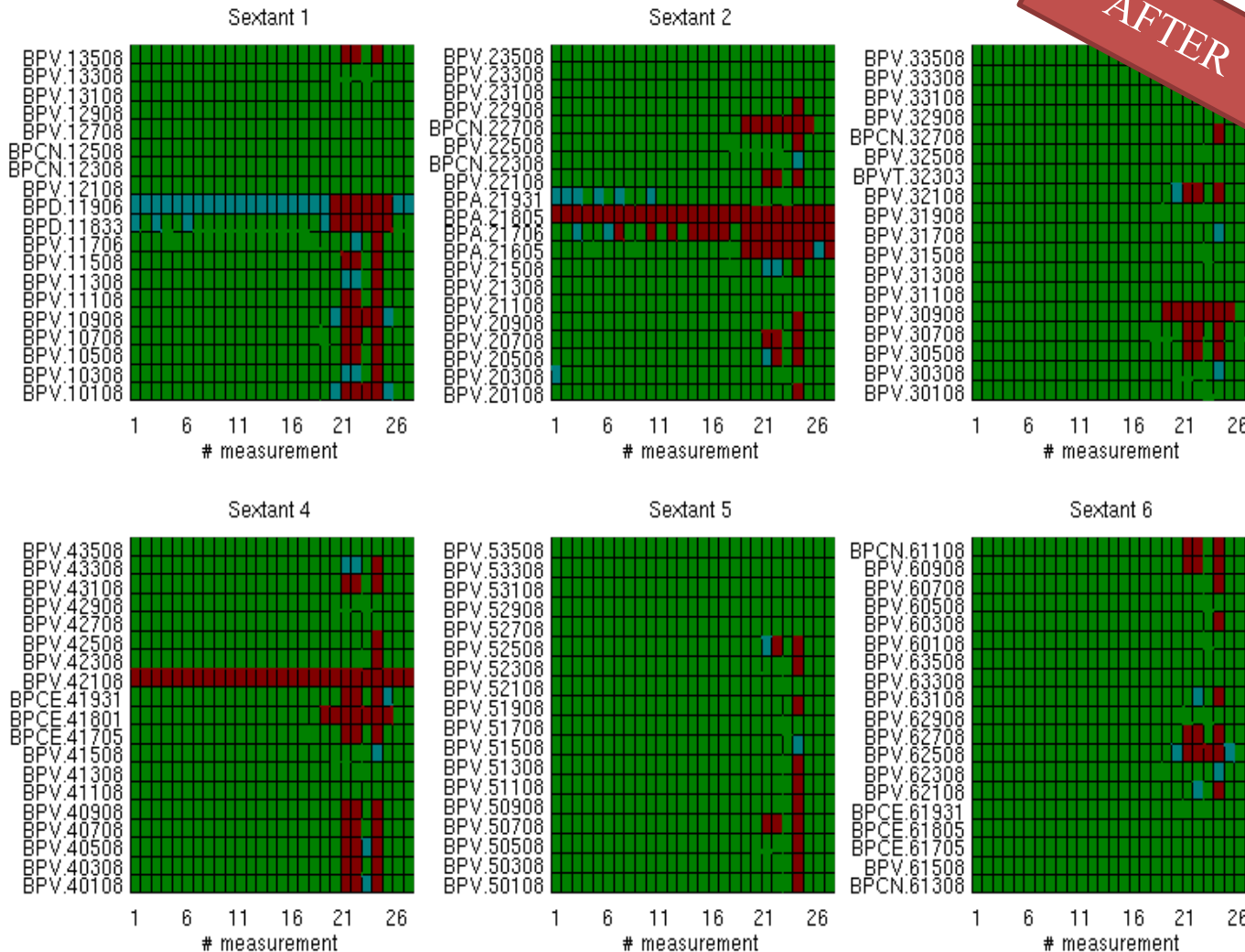


BPMs with random spikes



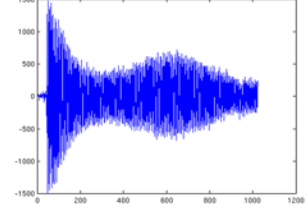
# SPS

But it was worth! Many thanks Christian and Stephen!

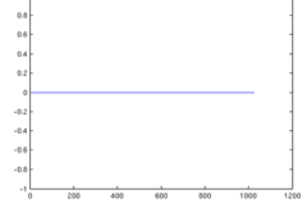


AFTER

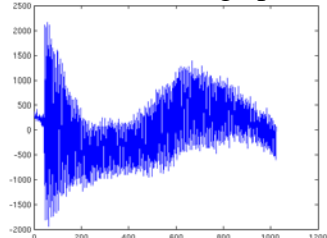
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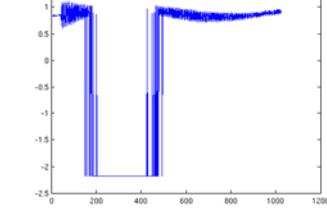
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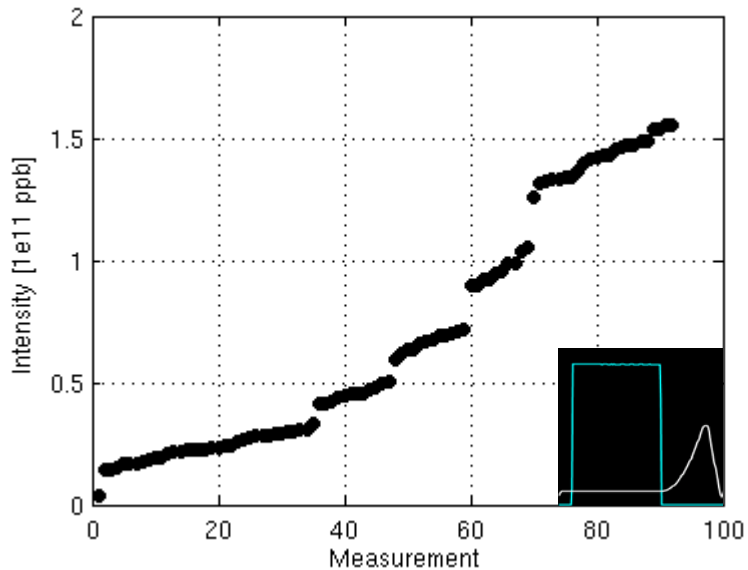


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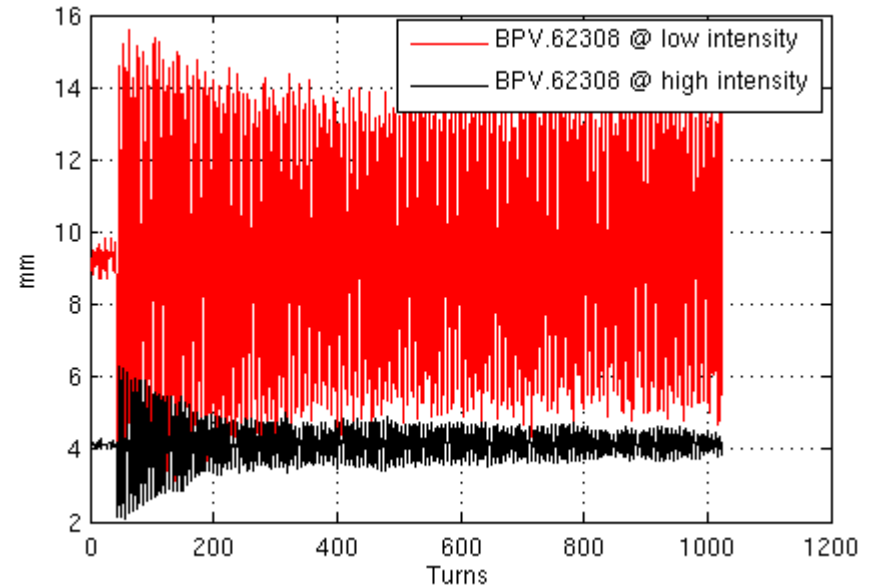


# SPS

A scan in intensity is done from  $4e10$  to  $1.6e11$  for a LHCINDIV type of beam at flat bottom (26GeV).



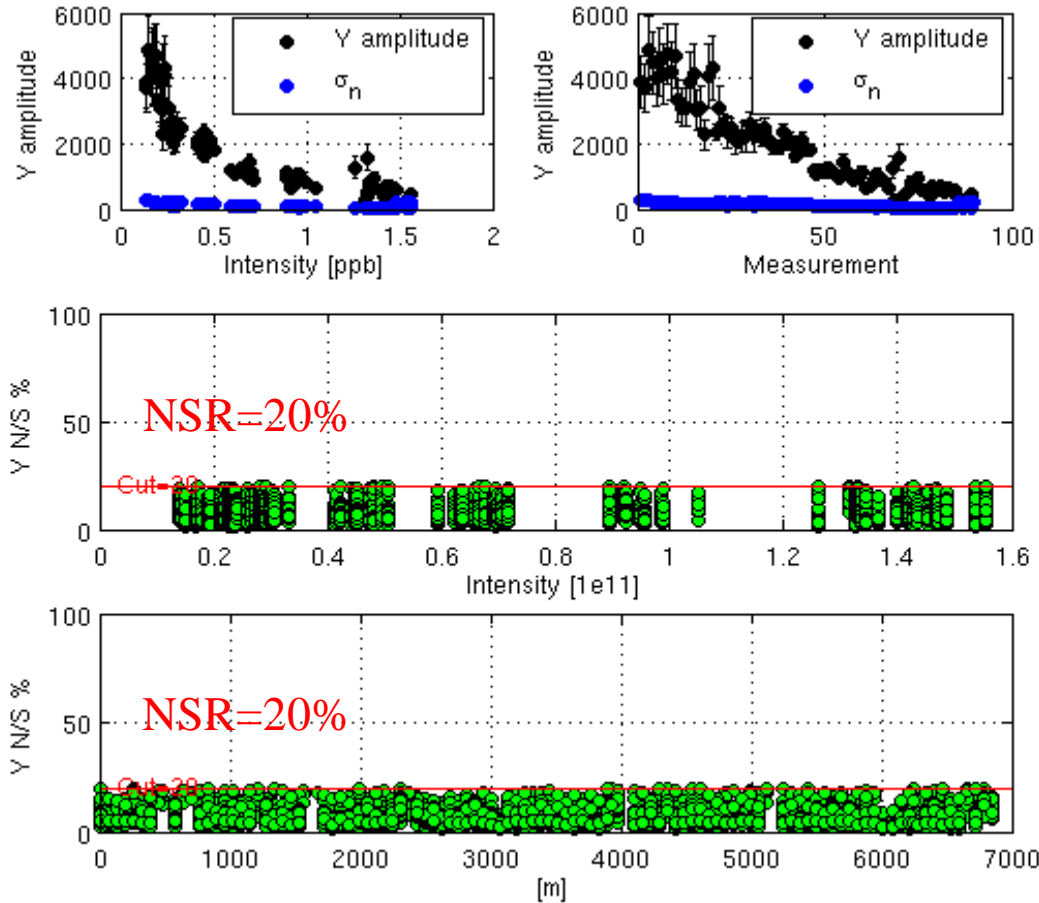
Min Y aperture: MBA, 17mm half height



NB: Chromaticity is set almost to zero in Y plane. At high intensity measurement are taken with beam almost unstable in order to get the maximum number of turns.



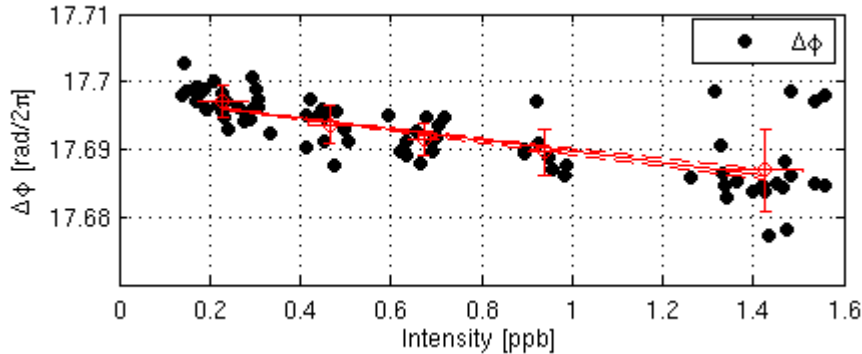
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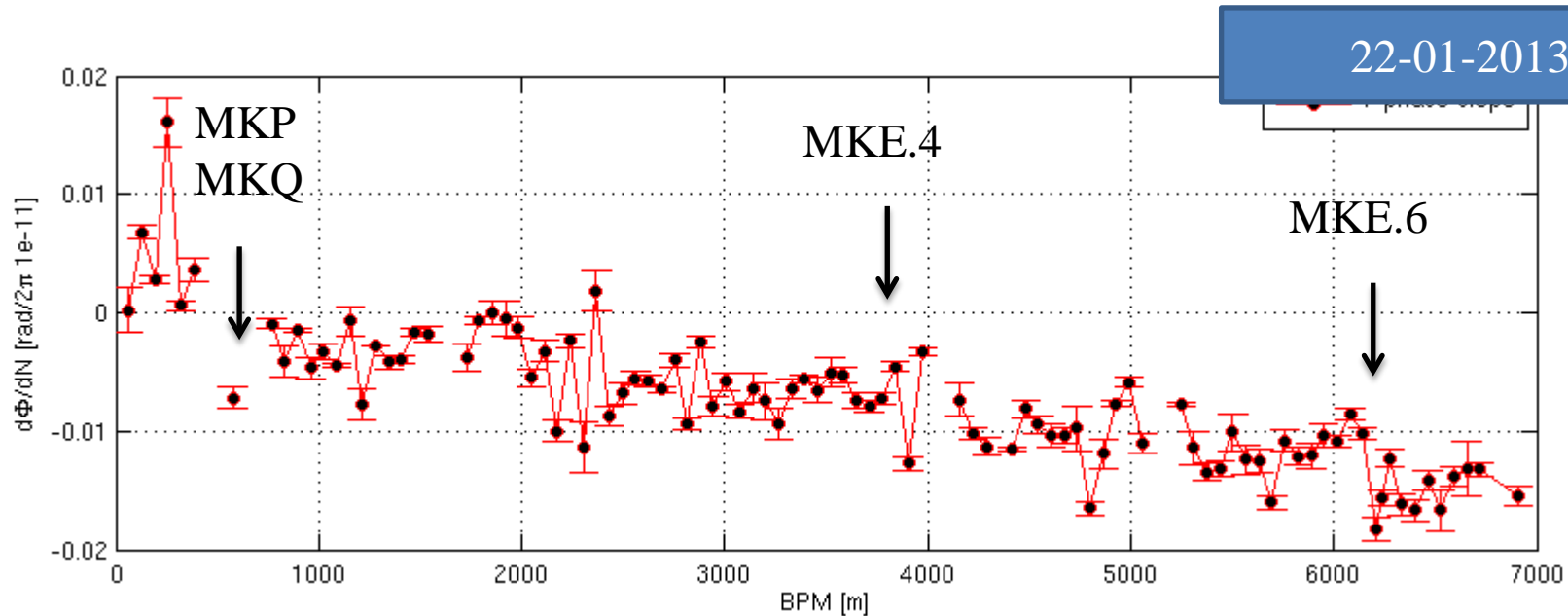
- ~1000 turns are analyzed.
- Phases are collected only for signals with  $NSR < 20\%$ .

# SPS

BPM #1 -> BPM #74

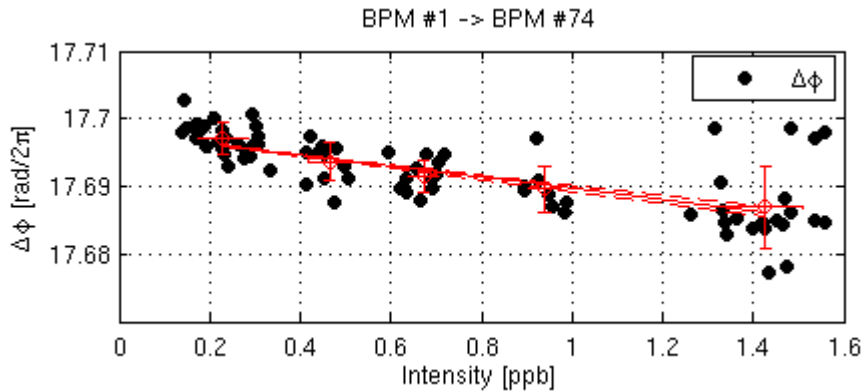


- Example of phase advance slope from BPM #1 to BPM #74.

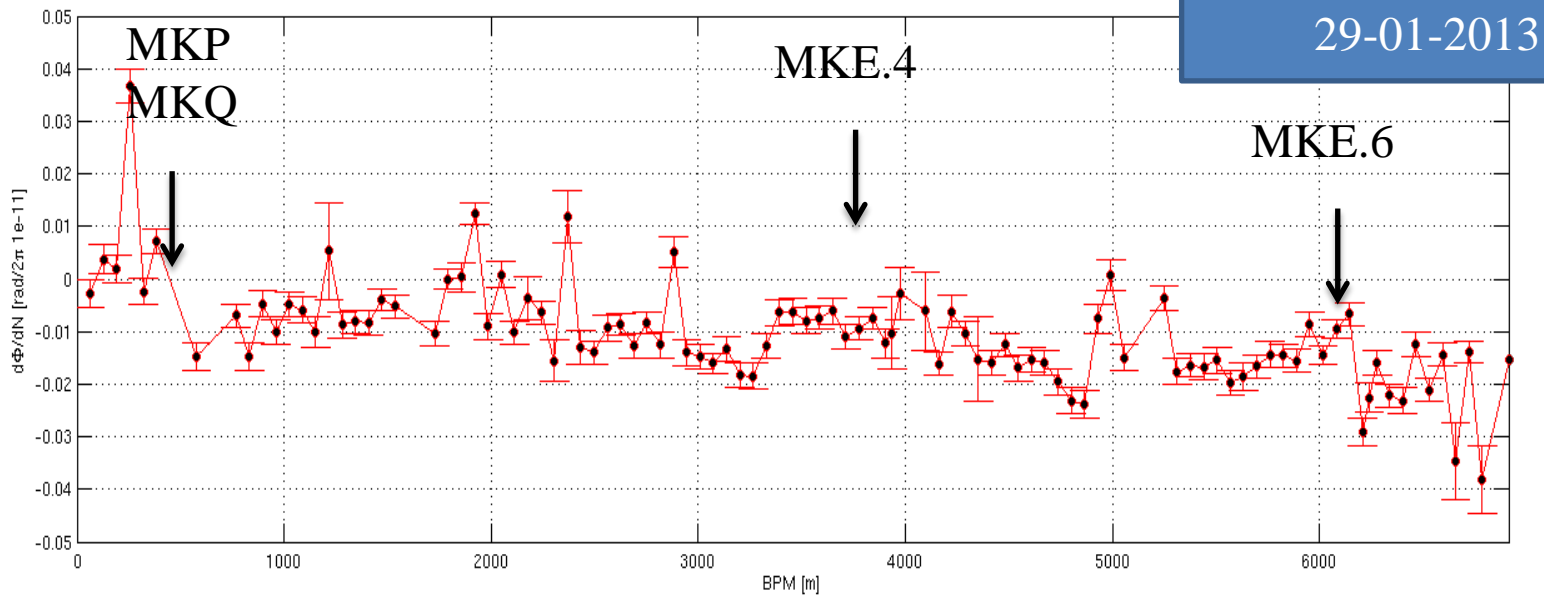


- Finally we get a slope. It exhibits the typical decreasing behavior.
- More refined analysis is ongoing to recover the empty sections (NSR>20...)
- Some hint on impedance position can already be seen.

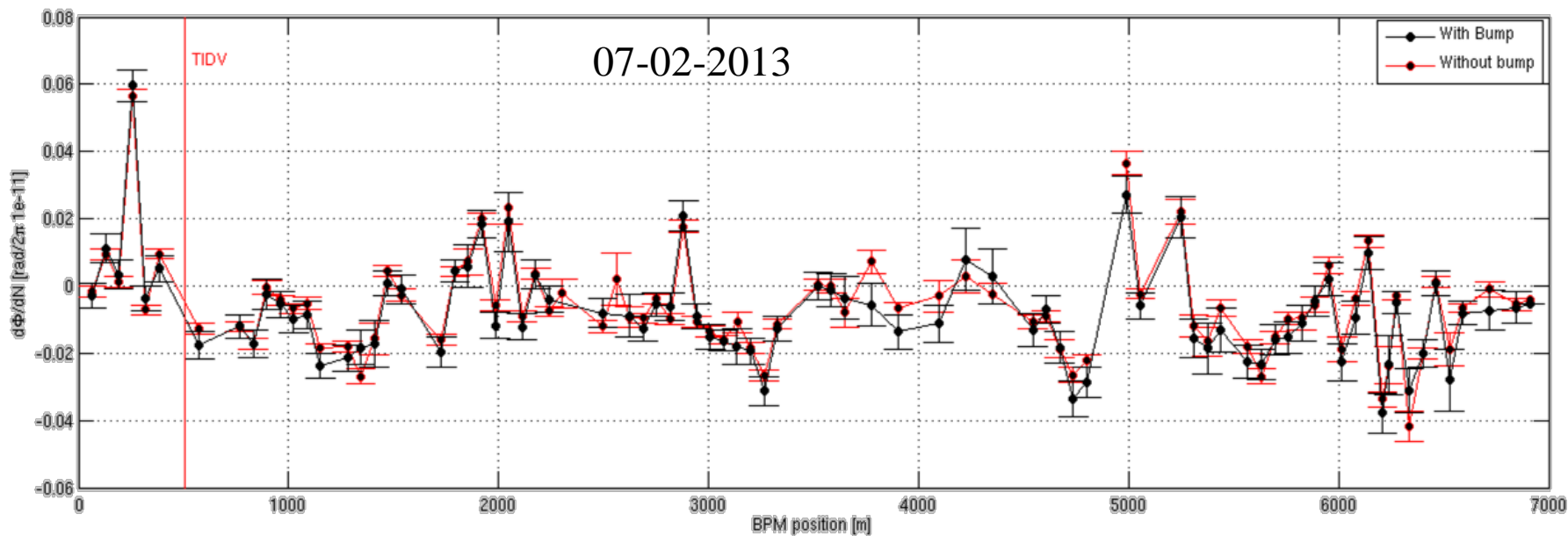
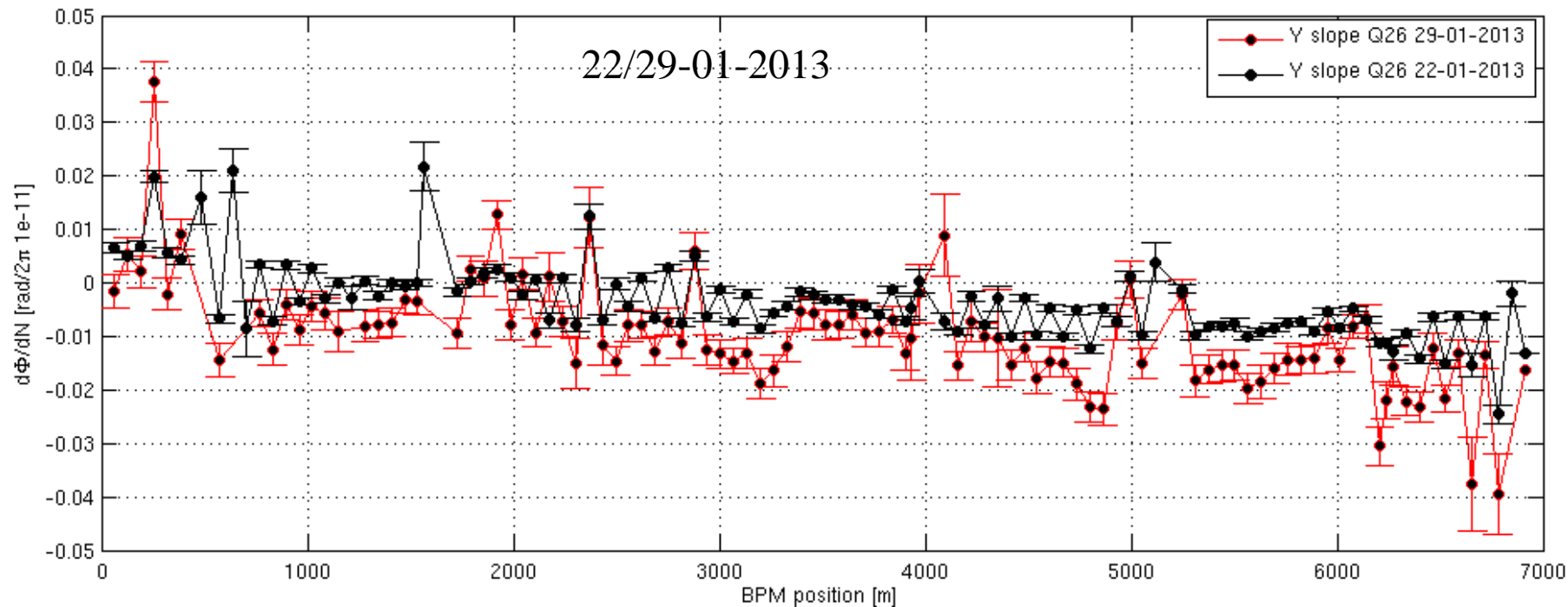
# SPS

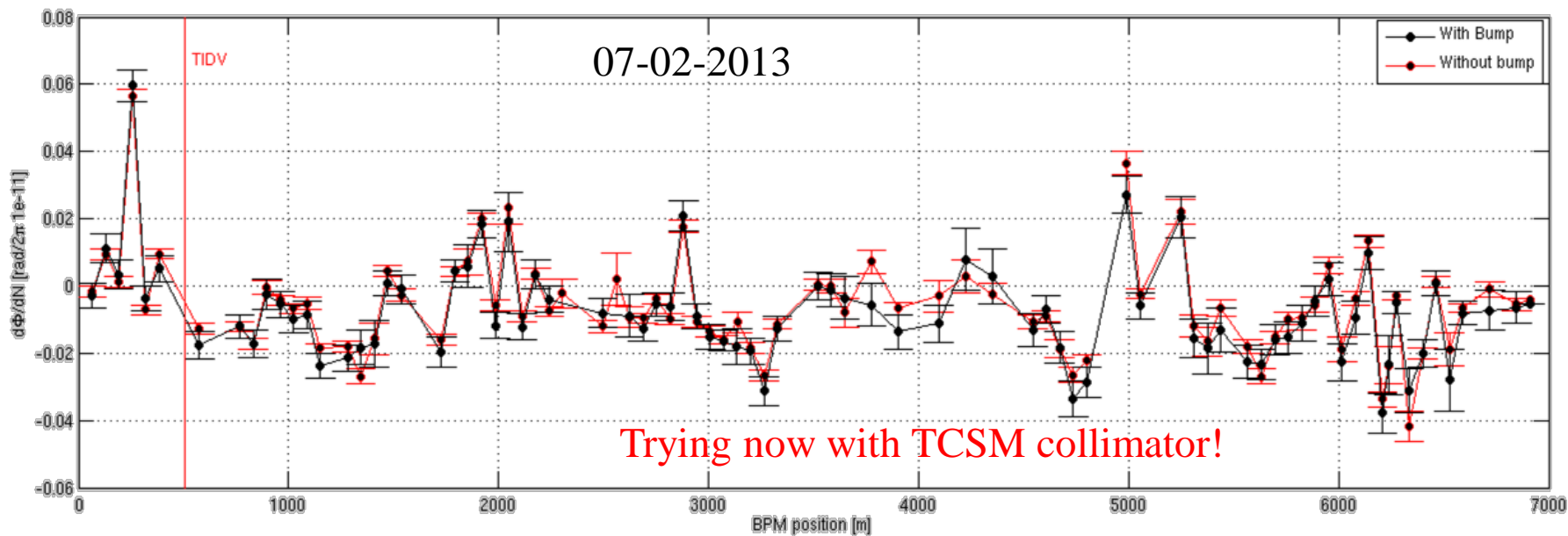
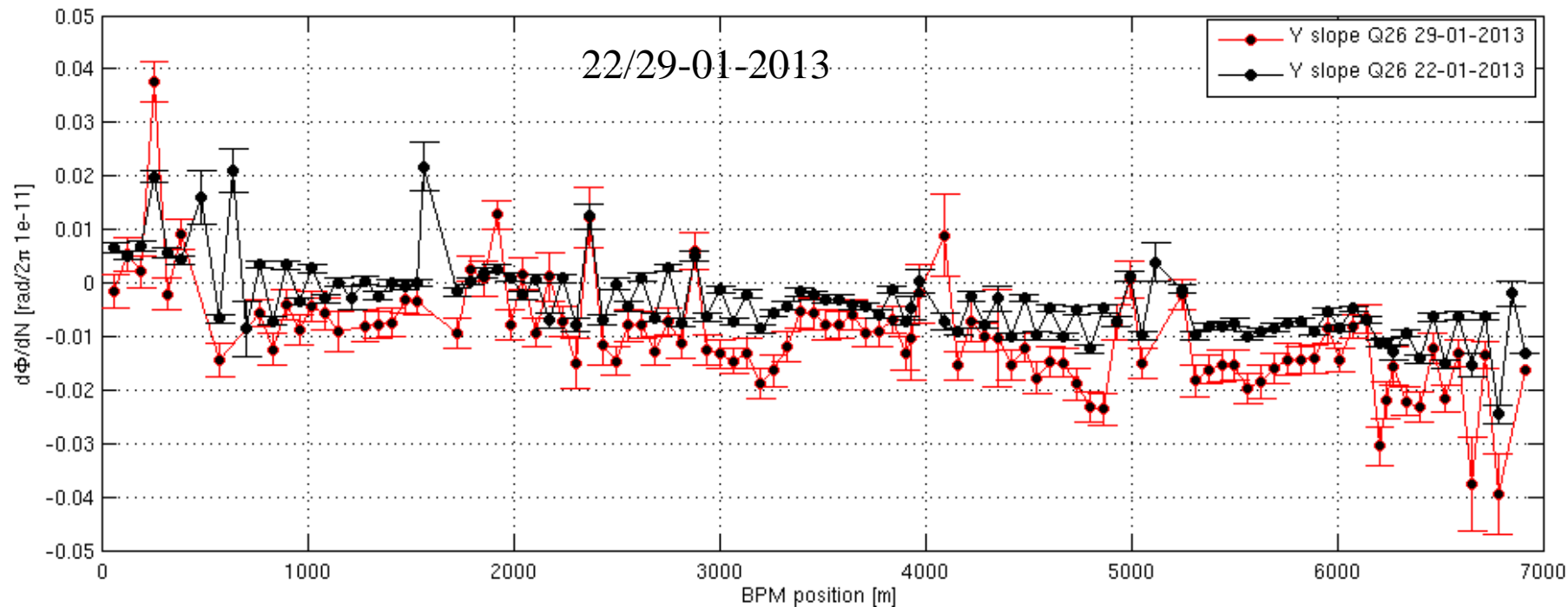


- Example of phase advance slope from BPM #1 to BPM #74.



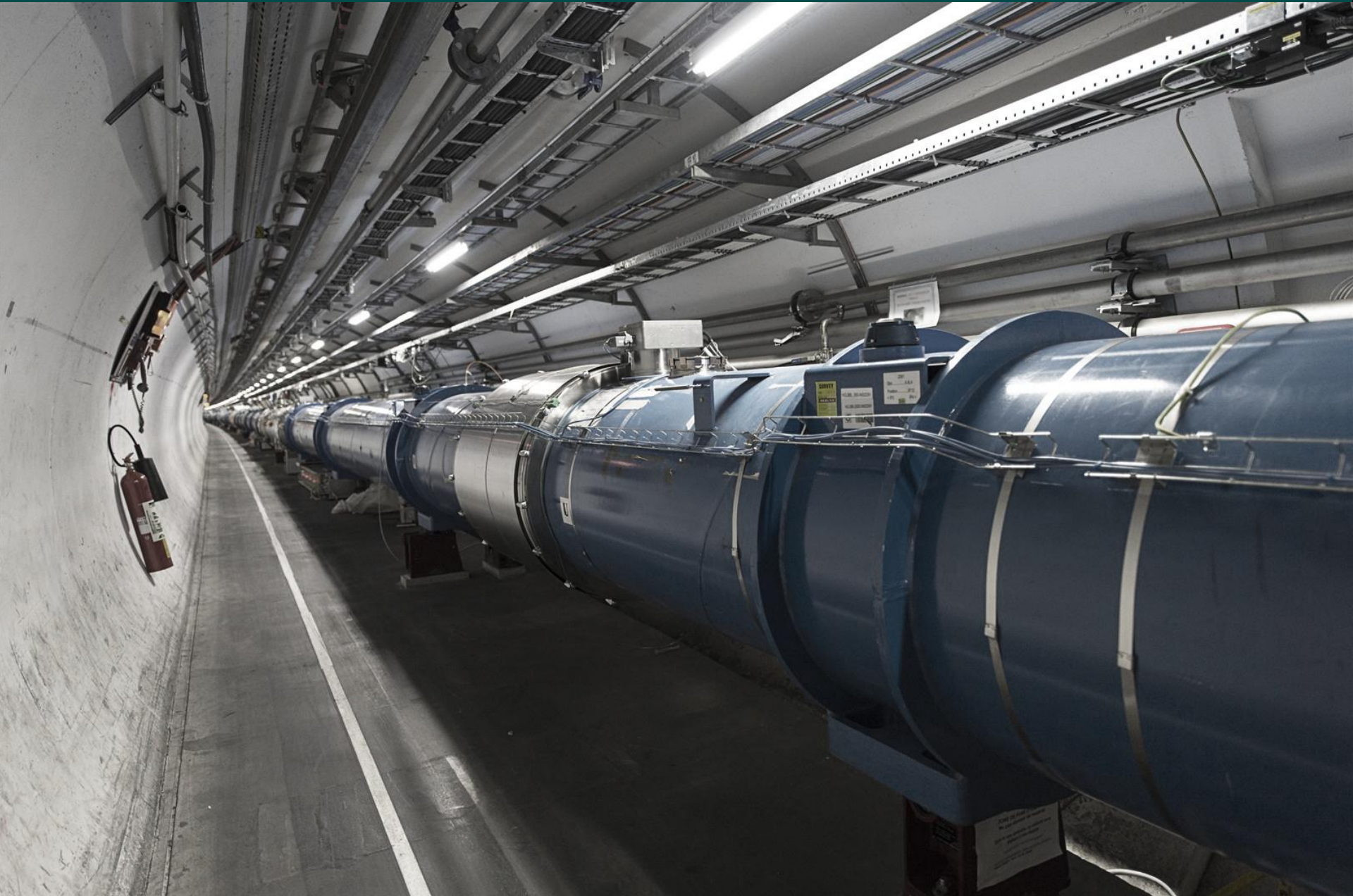
- Finally we get a slope. It exhibits the typical decreasing behavior.
- More refined analysis is ongoing to recover the empty sections (NSR>20...)
- Some hint on impedance position can already be seen.





- Transverse impedance localization method.
- Observable: phase advance
  - Accuracy of phase advance detection for noisy signals.
  - Accuracy of slopes for measurements with error bars.
  - Impedance induced phase advance beating
- Application to the PS
  - Measurement of local quadrupolar orbit errors.
  - Measurements with single bunch, injection, V-plane.
- Application to the SPS
  - BPM system.
  - Measurement with single bunch, injection, V-plane.
- **Application to the LHC**
  - **Status of analysis.**
- Conclusion and overview.

# LHC



# MD Summary

## MD purpose:

Measure phase advance variation with intensity -> Gives hint of impedance locations.

## MD requirements:

- 2h MD time.
- Single bunch on B1, B2, excited with AC dipole.
- Measurements with TDI position parked IN and OUT.
- Acquisition with both BPM system and ADT.

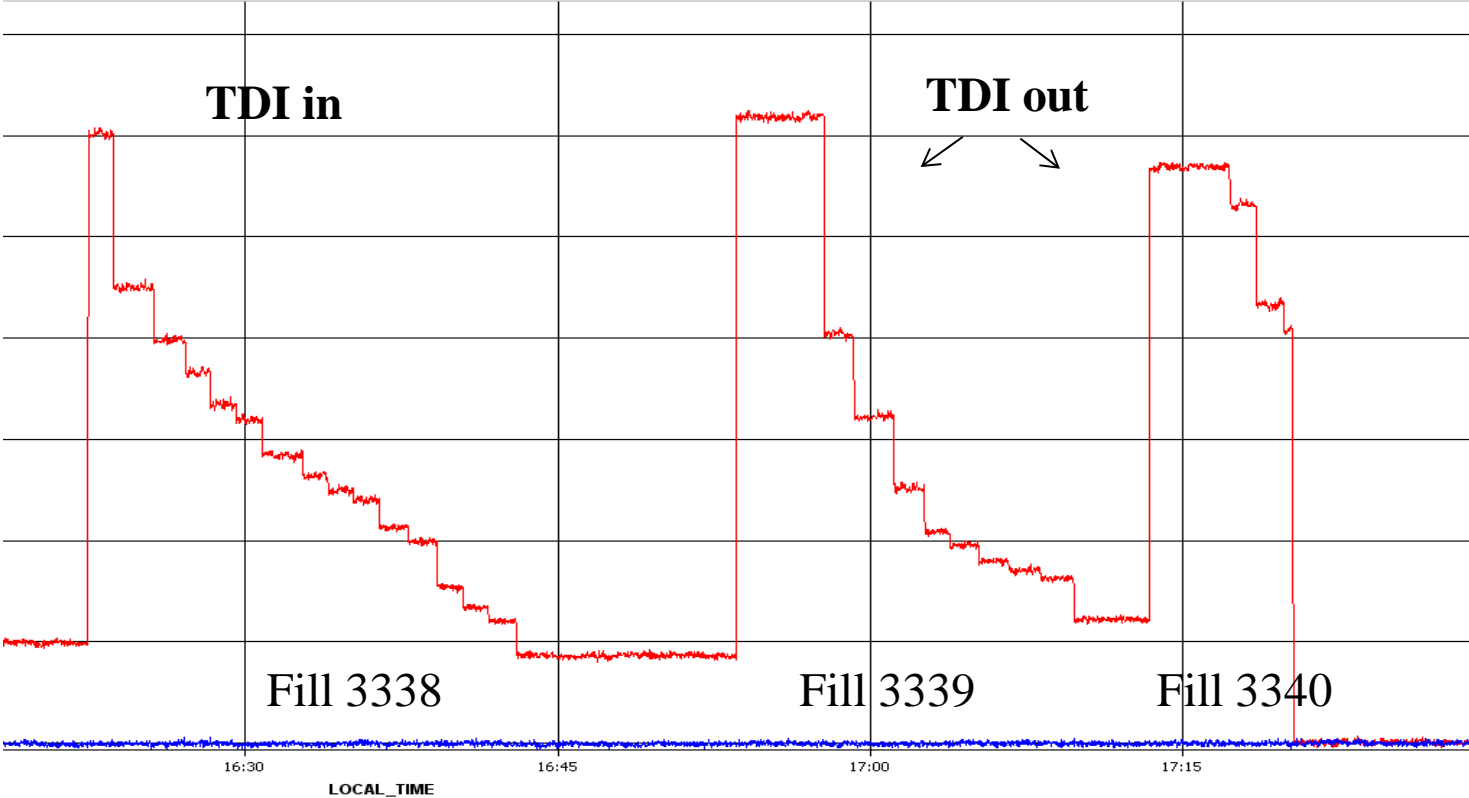
## What we had:

- 1h45 MD time;
- Only B1 due to interlock problem on B2 dump system.
- Trouble in synchronization made ADT measurements difficult.
- 3 intensity scan for B1 (Fills 3338/3339/3340)
- Efficiently working BPM system (almost all BPMs working with N/S ~ 15%)



# MD Summary

MD overview:

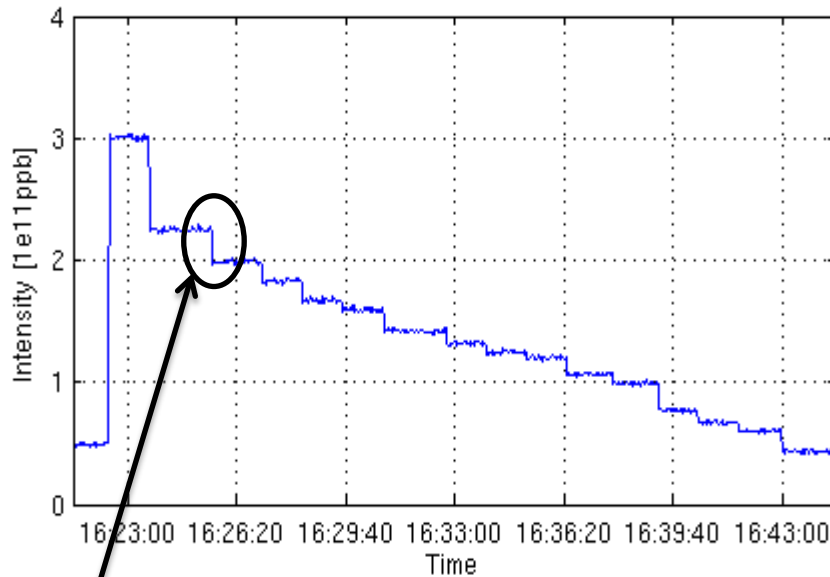


# Fill 3338

Fill 3338 as an example:

## Intensity

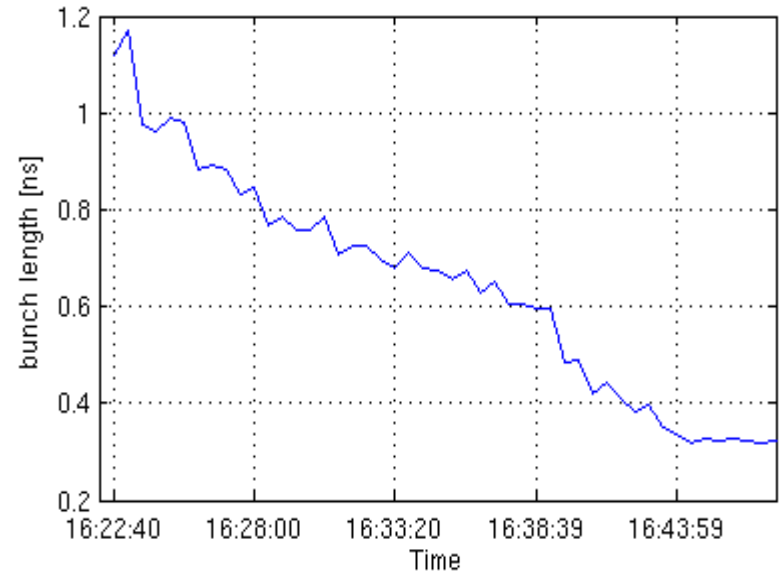
28-11-2012 Fill 3338



Steps obtained by kicking the beam with AC dipole.

## Bunch length

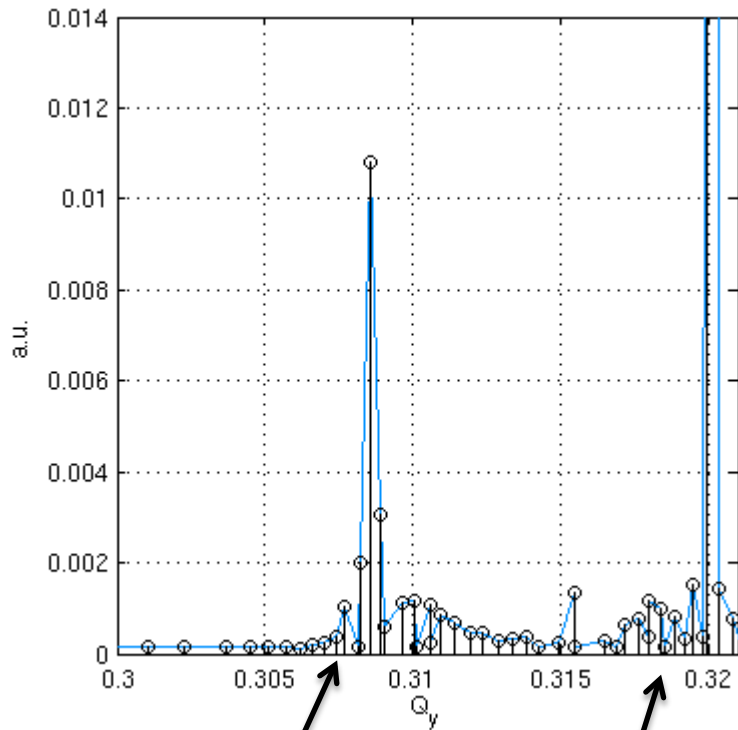
28-11-2012 Fill 3338



Bunch length decreases after the scraping.

# Status of Analysis

The tune frequency is needed to correct the optics from the TBT data measured at the AC dipole frequency.

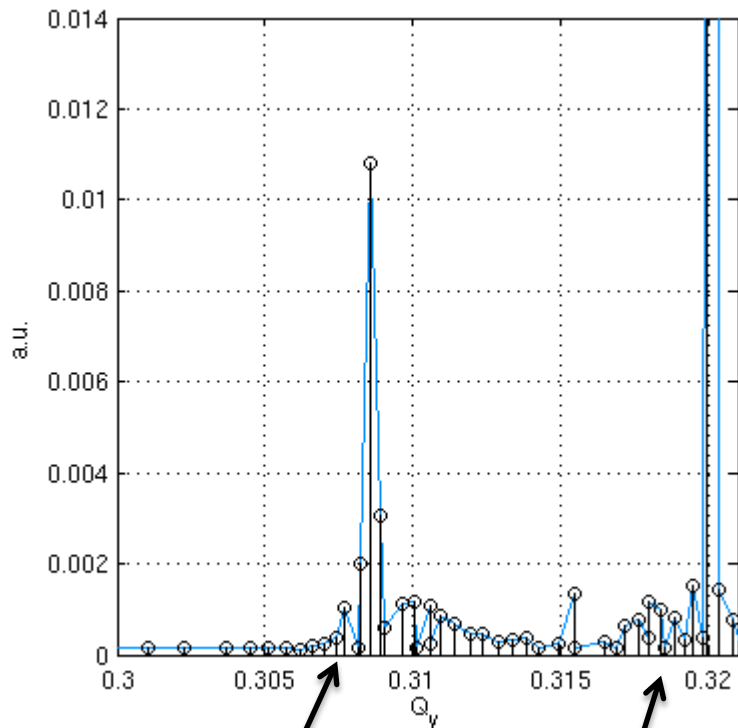


Free oscillation  
tune (~0.308)

AC dipole  
tune (0.32)

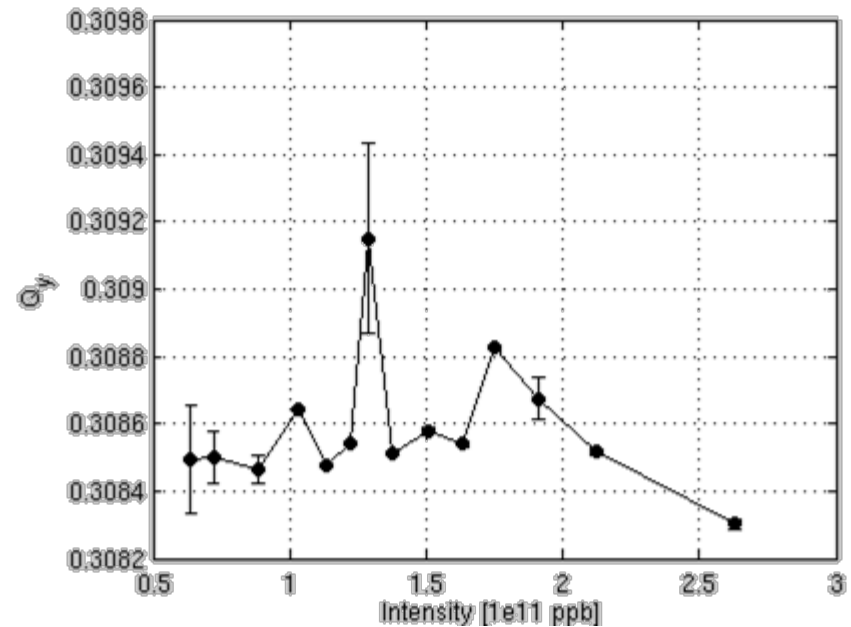
# Status of Analysis

The tune frequency is needed to correct the optics from the TBT data measured at the AC dipole frequency.



Free oscillation  
tune ( $\sim 0.308$ )

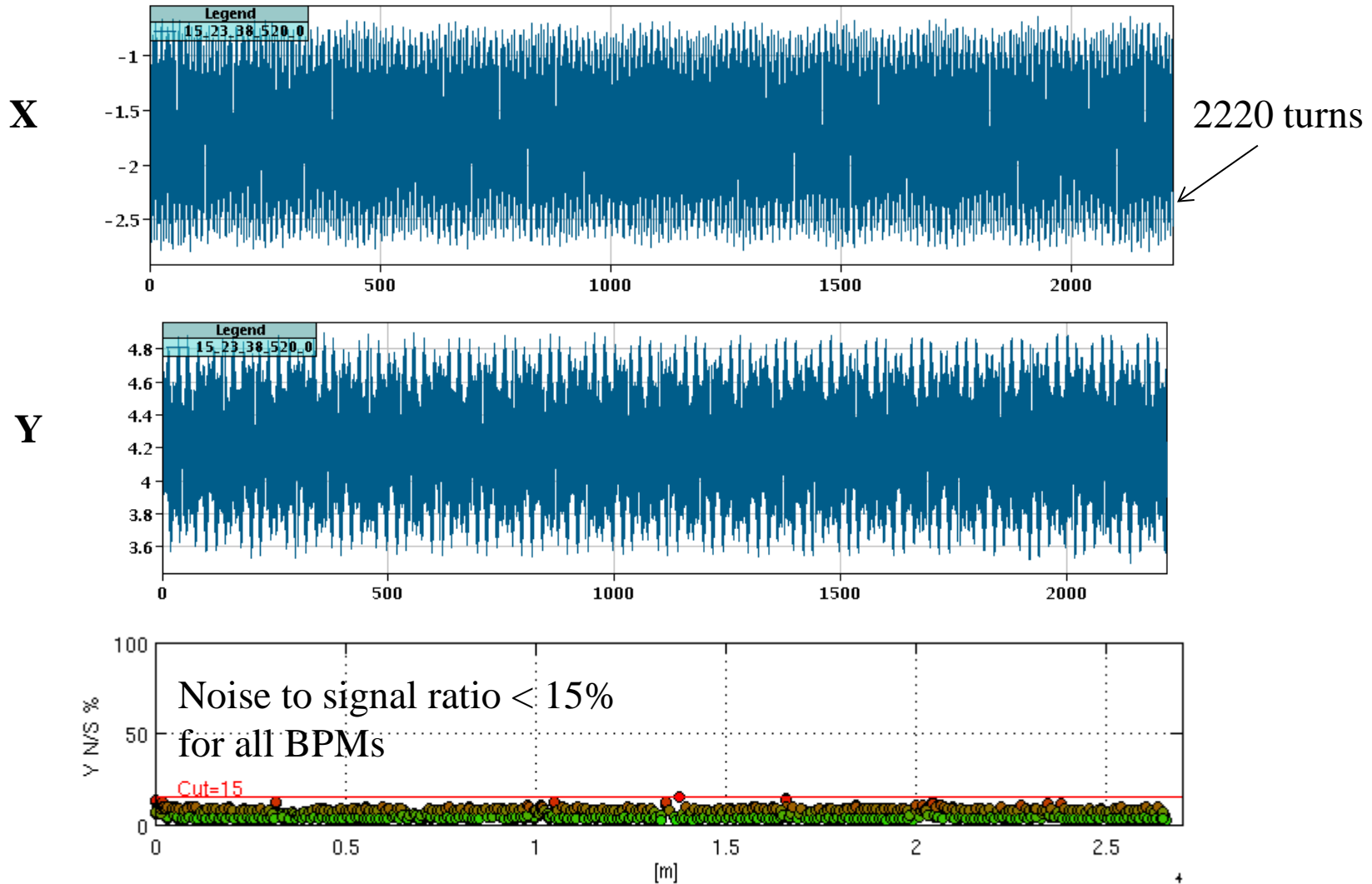
AC dipole  
tune (0.32)



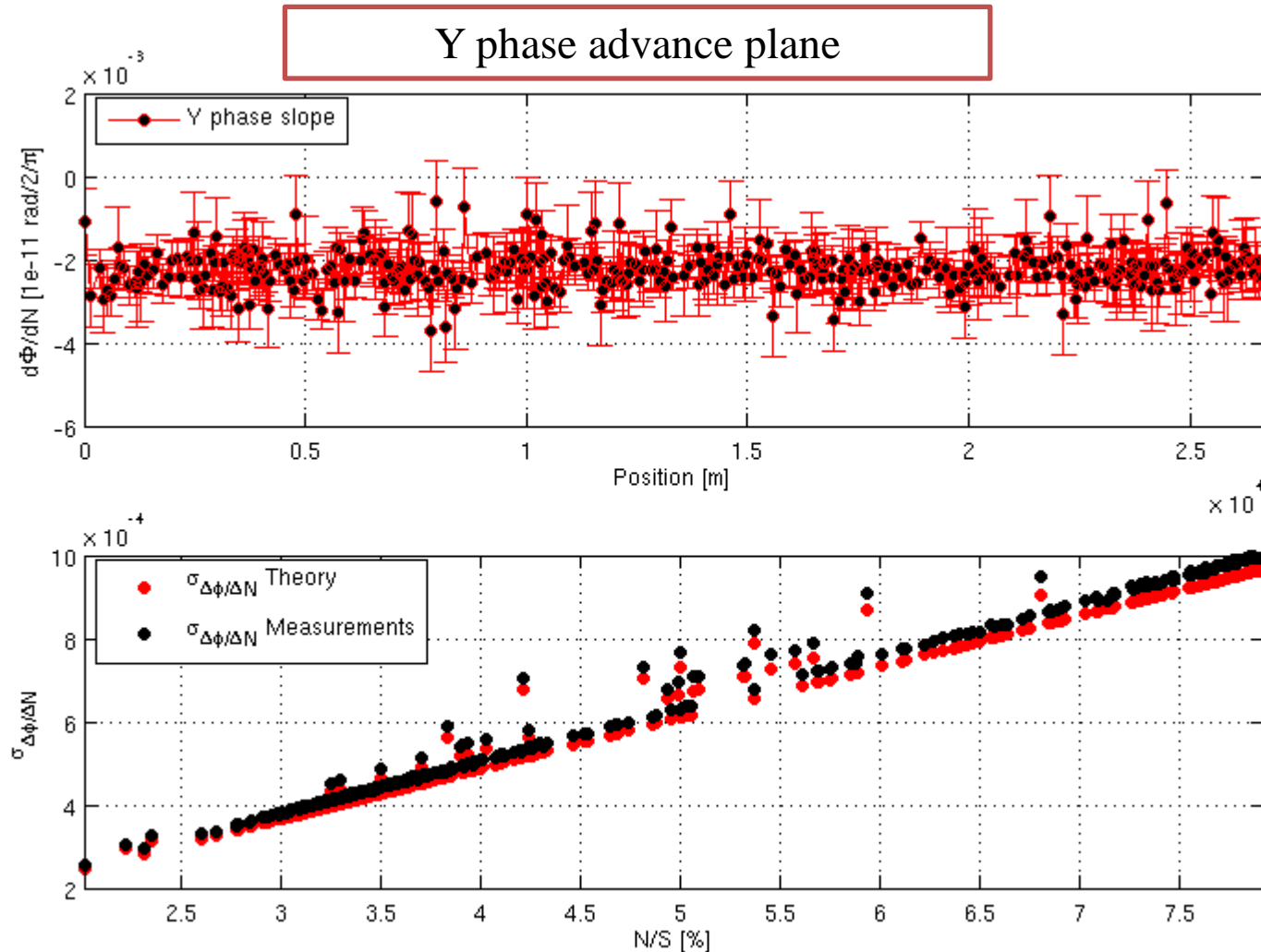
The vertical tune shift with intensity  
looks puzzling...  
More checks are to be done.

# Status of Analysis

Optics measurements from turn by turn data with the AC dipole:



# Status of Analysis



Good agreement between accuracy expectation and measurements, but we need to quantify the impedance beating to really judge the feasibility of this measurement in LHC.

# Conclusion and overview

## Resuming:

- A better understanding of the major constraints in the impedance localization measurement has been achieved.
- Measurements for PS are well between error bars but reconstruction is not straightforward.
- SPS measurements are still on going, especially for Q20 (see backup). Trials with moving collimators are on going.
- Measurements for LHC have still to be analysed in detail, especially to understand the puzzling tune behaviour.

## Simulation plan:

- Better understanding/implementation of the reconstructing algorithm.
- Trying to reconstruct with more constraints (e.g.: putting already the impedance we know in the model)
- HEADTAIL studies to quantify uncertainty in position with respect to the measured data quality.
- HEADTAIL studies of phase beating amplitude and compare with accuracy got in measurements: *it's the link to conclude a priori on feasibility!*
- HEADTAIL studies of chromaticity variation impact on measured phase.
- Any other suggestion you could have!

## Measurements plan:

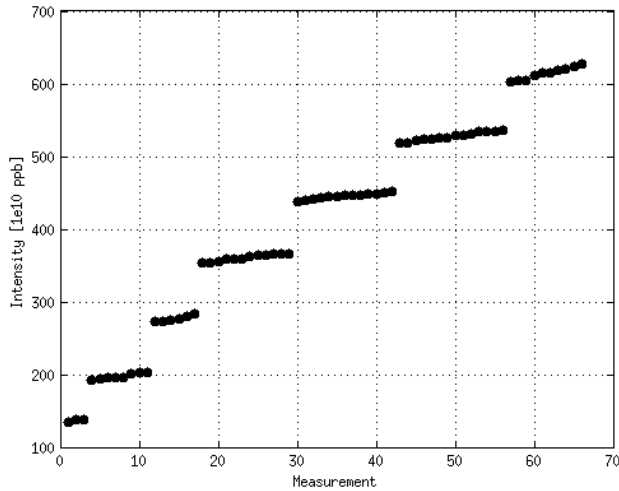
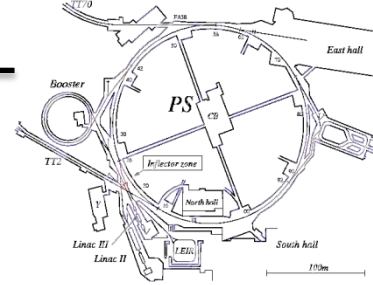
- Thanks to Simon White and Wolfram Fischer .... Measurements in RHIC on 14-27/04/2013!!

*Thanks!*

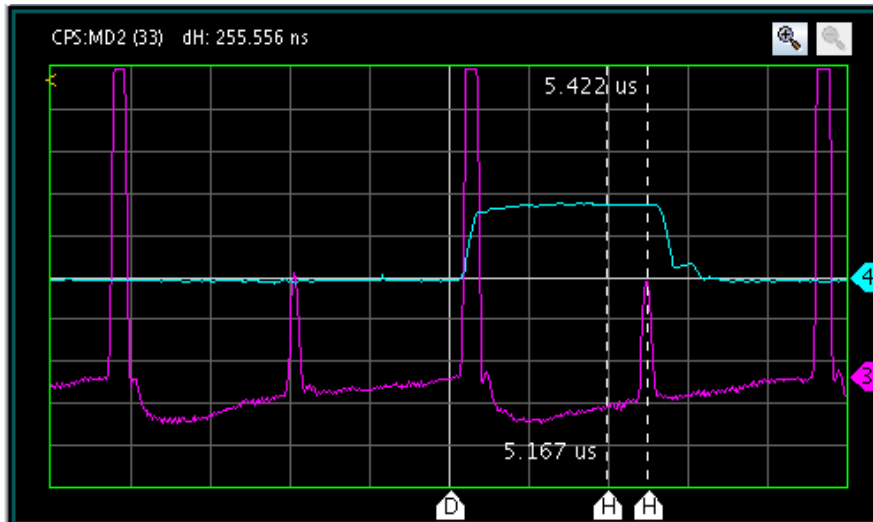


**BACKUP**

## Measurement with two bunches V plane

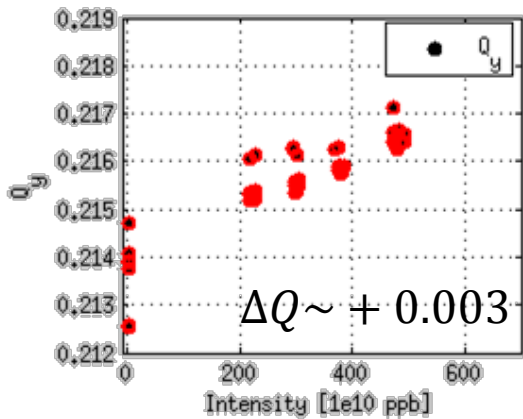
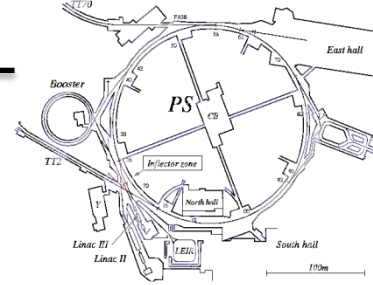


Using two bunches whose the leading one is bringing all the charge, and the trailing one is used as probe, we could measure the effects seen by the probe.

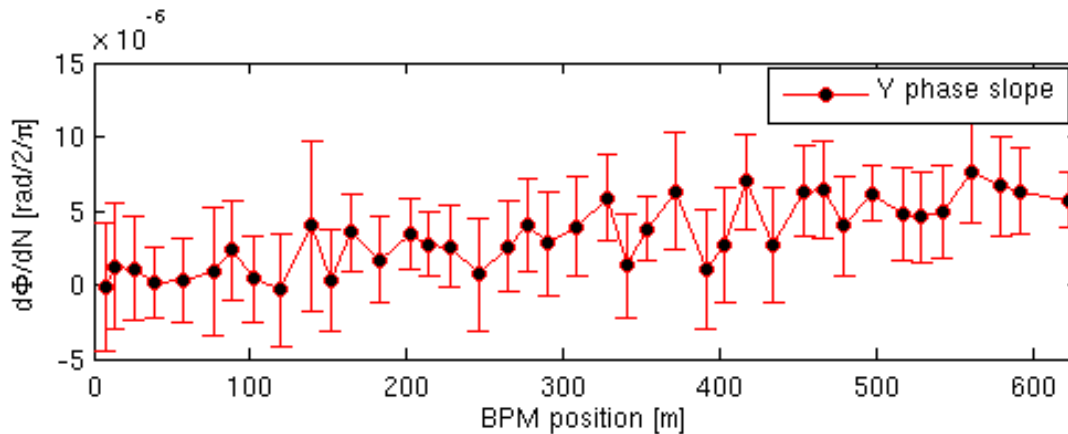


- Bunches are separated of half the machine (1us).
- Kicker is acting horizontally only on the trailing.
- By coupling we measure the trailing in vertical plane.
- Scan in intensity from 1e12 to 6e12.

# Measurement with two bunches V plane



- Tune shift is due to coupled bunch effects.
- Is going up as corresponds to the horizontal tune.
- Is considerably reduced respect to the single bunch case.
- Imposed NSR $\sim 10\%$  led to  $\sigma_{\Delta\varphi} \sim 0.002$  as expected.



Unfortunately, being the tune shift lower, the error bars become considerably big...

Q20 13/02//2013

