Transverse Impedance Localization Update

N.Biancacci

- Method
- Measurements in PS
- Measurements in SPS
- Measurements in LHC

Acknowledgement

PS, SPS and LHC operators and LHC collimation team.
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Outline

- Transverse impedance localization method.
- Observable: phase advance
    - Accuracy of phase advance detection for noisy signals.
    - Accuracy of slopes for measurements with error bars.
    - Impedance induced phase advance beating
- Application to the PS
    - Measurement of local quadrupolar orbit errors.
    - Measurements with single bunch, injection, V-plane.
- Application to the SPS
    - BPM system.
    - Measurement with single bunch, injection, V-plane.
- Application to the LHC
    - Status of analysis.
- Conclusion and overview.

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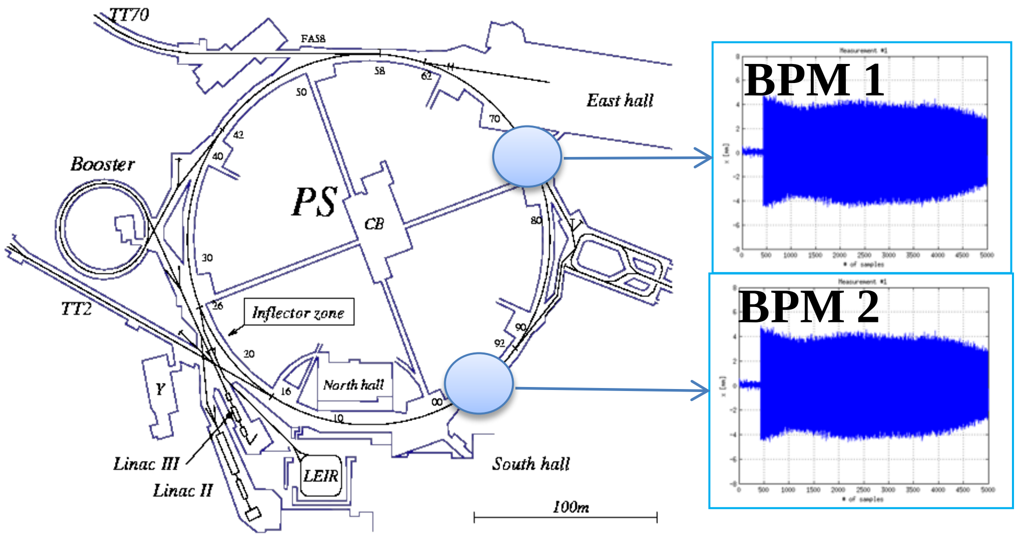
Transverse Impedance Localization Method

The transverse beam coupling impedance can be measured both globally and locally:



In the local coupling impedance measurements we measure the variation of phase advance between BPMs with intensity.

$$\Delta\varphi(N_b)_{1\to 2} \propto Z_{1\to 2\ (TOT)}$$

In the global coupling impedance measurements we measure the variation of tune frequency with intensity.

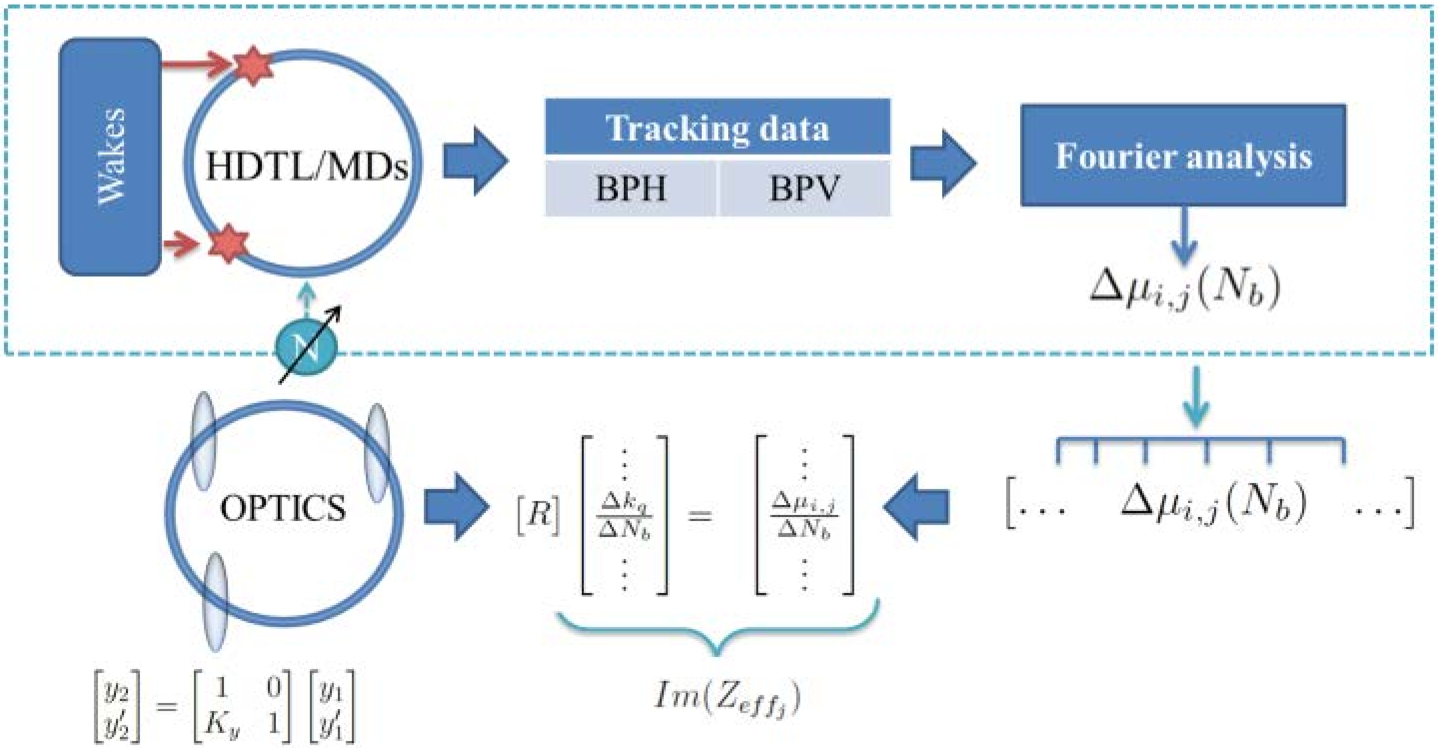
$$\Delta \mathrm{Q}(N_b) \propto Z_{\perp\ (TOT)}$$

The method for local measurements was proposed and applied by G. Arduini et al. in 2004 and 2009 in SPS [1,2] and benchmarked with HEADTAIL.

[1] "Localizing impedance sources from betatron-phase beating in the CERN SPS", G. Arduini, C. Carli , F. Zimmermann EPAC'04.
[2] "Transverse Impedance Localization Using dependent Optics" R.Calaga et al., PAC'09.

Transverse Impedance Localization Method

The aim of the measurement is: correlating the phase advance beating variation with intensity with a local source of impedance.
In "optical" terms, an impedance would behave as a (de)focusing intensity dependent quadrupole.



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  - - Measurements with AC dipole.

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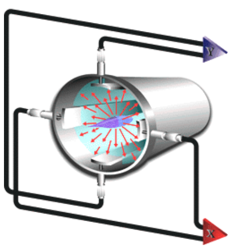
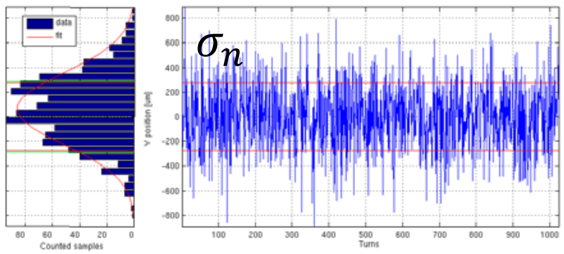
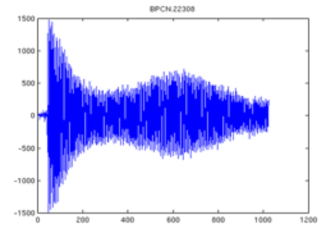
Observable: Phase advance

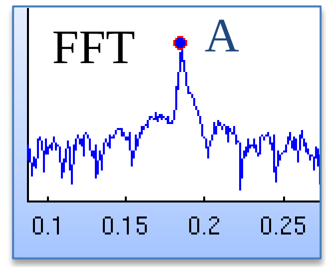
The uncertainty chain:



BPM system

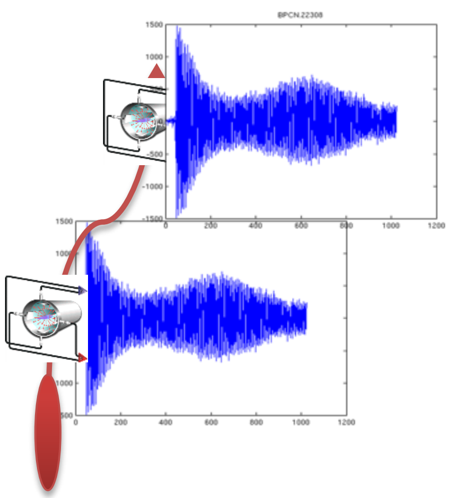






$$\boxed{\mathrm{NSR} = \frac{\sigma_n}{A}}$$

Noise Signal Ratio



$$\boxed{\sigma_{\Delta\varphi}}$$

Phase advance accuracy

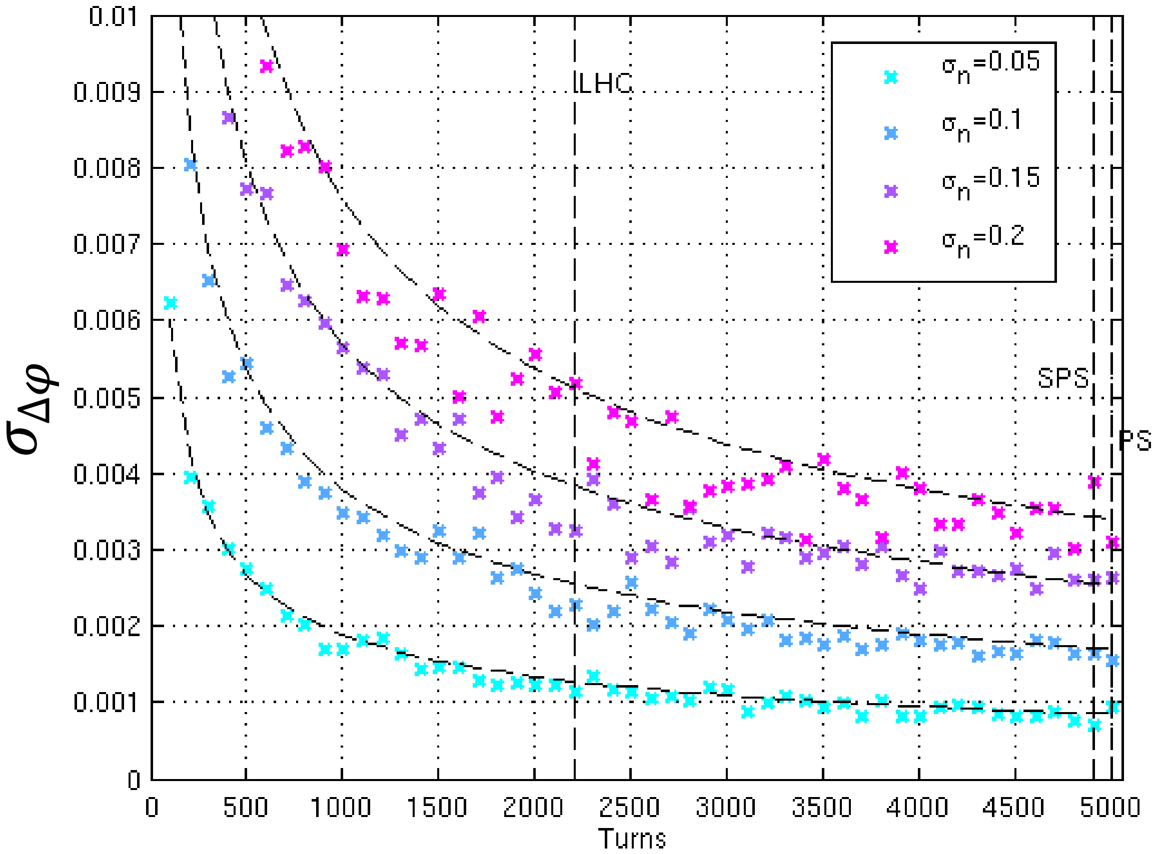
$$\boxed{\sigma_{\frac{\Delta\varphi}{\Delta N}}}$$

Phase advance slope accuracy

Accuracy of phase advance detection for noisy signals

Numerical estimation of phase uncertainty on simulated signal:

- Take 2 aleatory sinusoidal signals, with additive Gaussian noise of sigma σ_n, same tune and fixed phase advance $\Delta\varphi$, amplitude A=1 (NB: NSR=σ_n/A=σ_n in this case).
- Run 100 times and measure the phase advance.
- Measure the standard deviation $\sigma_{\Delta\varphi}$ for the phase advance (accuracy in measurements).
- Fit.



$$\sigma_{\Delta\varphi} \approx 1.2\frac{\sigma_n}{\sqrt{N}}$$

and in general,

$$\sigma_{\Delta\varphi} \approx 1.2\frac{NSR}{\sqrt{N}}$$

Note that phase is in MAD units (rad/2pi)

Accuracy of phase advance slope measurements

Given a set of **M** measurements of $\Delta\boldsymbol{\varphi}$ with equal error bars $\boldsymbol{\sigma}_{\Delta\boldsymbol{\varphi}}$, obtained along an intensity scan **X** , we can calculate $\boldsymbol{\sigma}_{\frac{\Delta\boldsymbol{\varphi}}{\Delta\boldsymbol{N}}}$ using standard straight line least squares:

$$\sigma_{\frac{\Delta\varphi}{\Delta N}} = \frac{\sigma_{\Delta\varphi}}{\sigma_X\sqrt{M}}$$

with σ_X standard deviation of the intensity scan X.

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$$\sigma_{\frac{\Delta\varphi}{\Delta N}} = \frac{\sigma_{\Delta\varphi}}{\sigma_X\sqrt{M}}$$ with σ_X standard deviation of the intensity scan X.

Comparing with the previous formula one has:

$$\sigma_{\frac{\Delta\varphi}{\Delta N}} = \frac{1.2\ NSR}{\sigma_X\sqrt{N}\sqrt{M}}$$

To be reduced
(noise level, kicker strength, BPMs gain, BPM transfer function)

To be increased: M= number of measurements. Usually a 100 points it's the case.

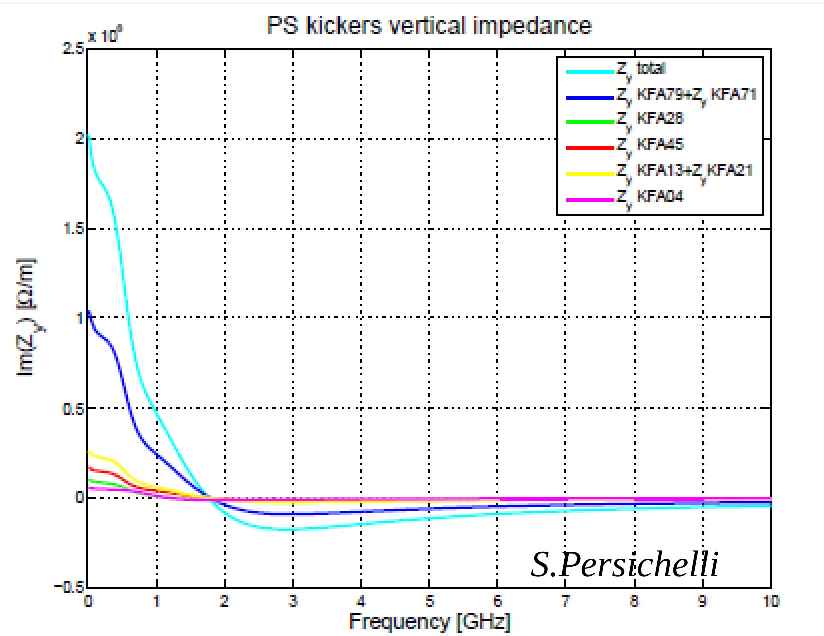
To be increased: It is the width of the scan of intensity. Upper threshold can be TMCI. Lower is BPM sensitivity.

To be increased: N=Number of turns. Depends on ability on hardware and data trasmission from BPM to storage.

Impedance induced phase advance beating

A phase beating is induced by impedance kicks similarly to what is done by a quadrupolar kick. From standard formulas we can calculate the phase beating amplitude and therefore compare it with the accuracy we can get in measurements.

Example: PS kickers



1) Calculate impedance: Tsutsui's model for the kickers.

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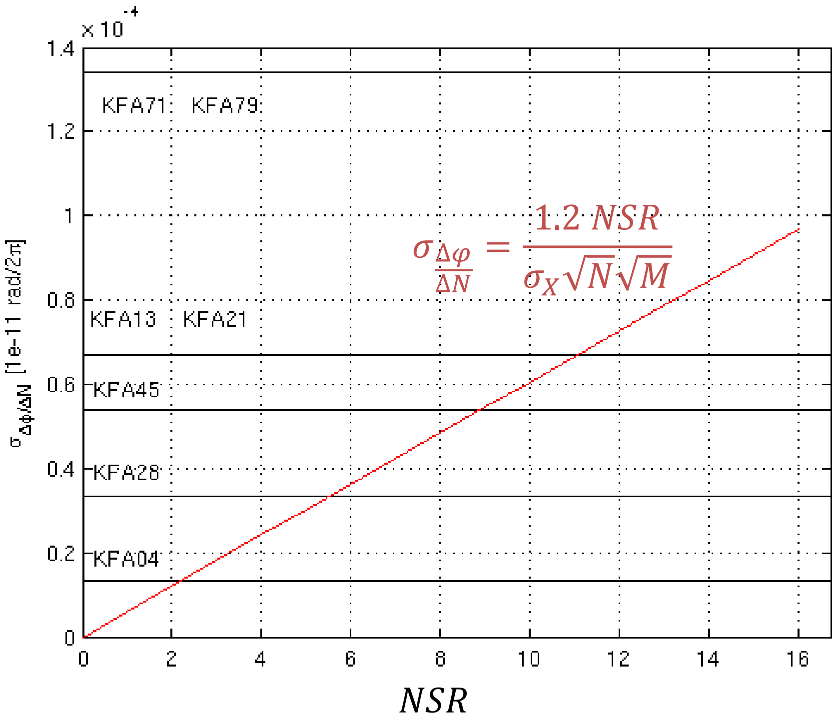

1) Calculate impedance: Tsutsui's model for the kickers.

2) Merging Sacherer formula and phase beating formula [1] we calculate the beat amplitude from impedances as:

$$A = \frac{q^2}{(2\pi)^2 T_0} \frac{\sqrt{\pi}\ Im\{Z_{eff}\}}{\gamma m_p \omega_0 Q_0 \sigma_z} \left(\frac{\delta_s}{2} + \frac{1}{2\sin(2\pi Q_0)} \right)$$

and compare with measurements and the estimation:

$$\sigma_{\frac{\Delta\varphi}{\Delta N}} = \frac{1.2\ NSR}{\sigma_X\sqrt{N}\sqrt{M}}$$

[1] "Localization of transverse impedance sources in the SPS using HEADTAIL macroparticle simulations" IPAC12, N.Biancacci et al.

PS

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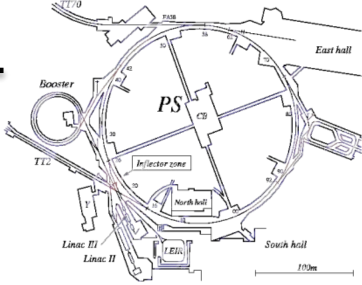
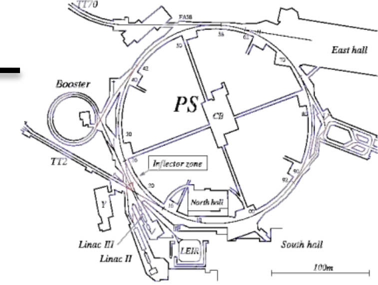


Method validation:

- take a couple of quadrupoles.
- vary their current in order to provoke a tune shift of ~0.02.
- Try to localize back the quadrupoles.

QSE current variation



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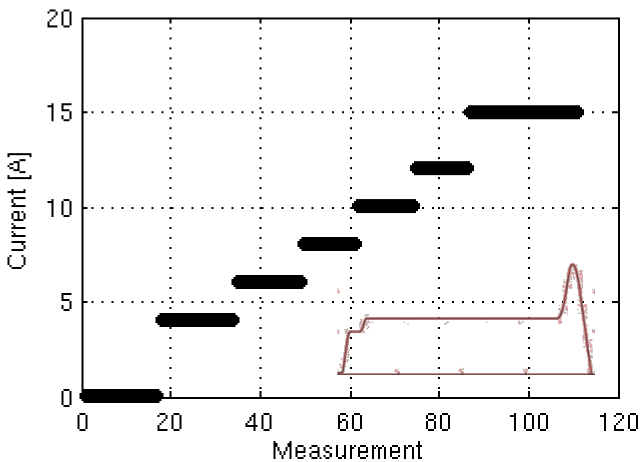
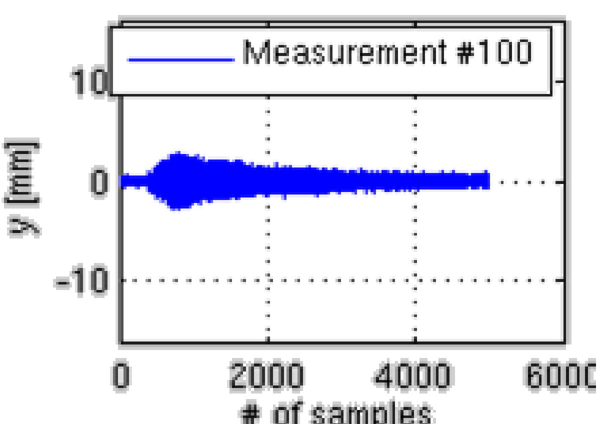
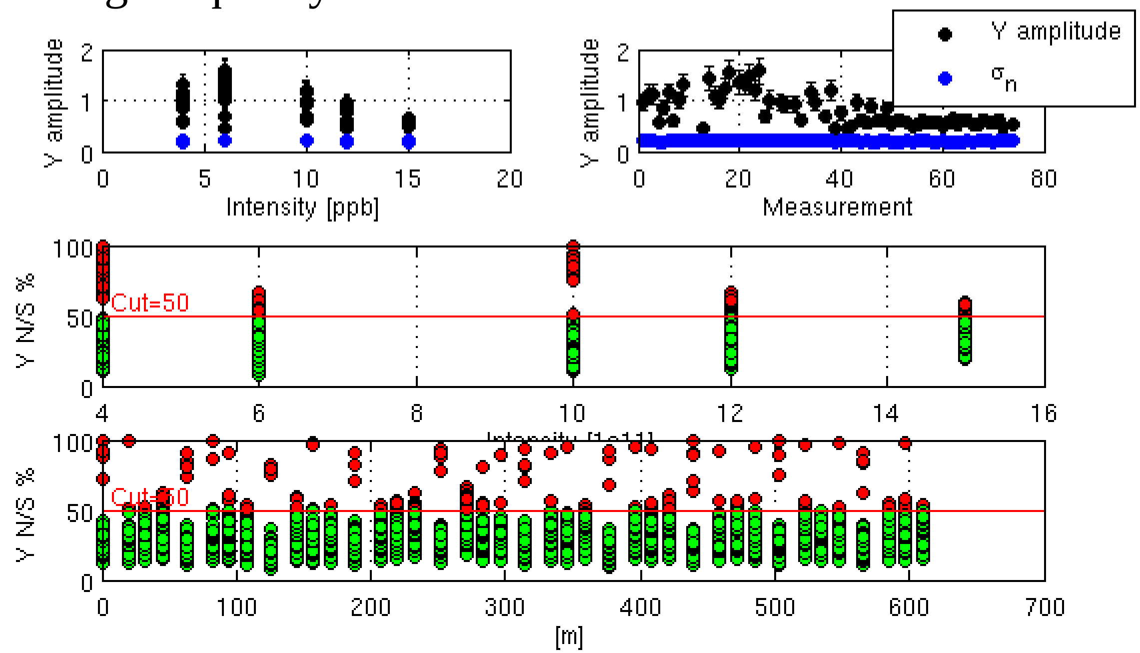
Current in the quadrupoles

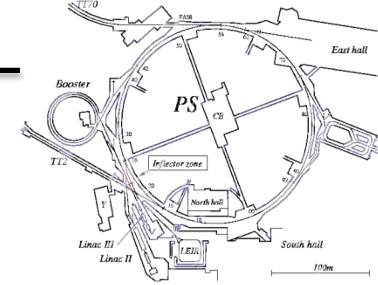


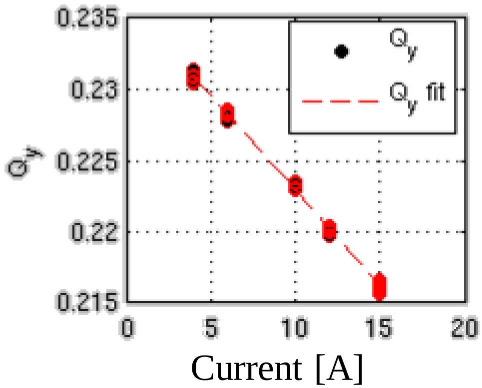


Signal quality

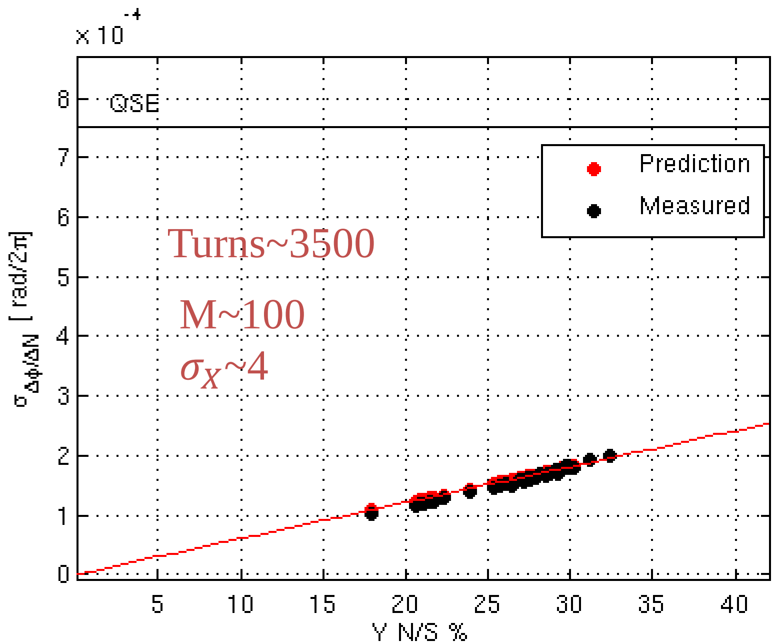


QSE current variation



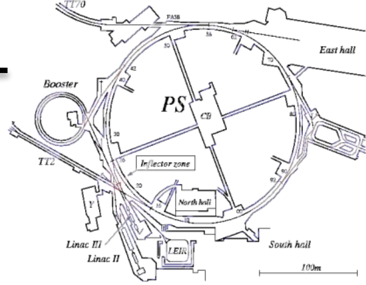


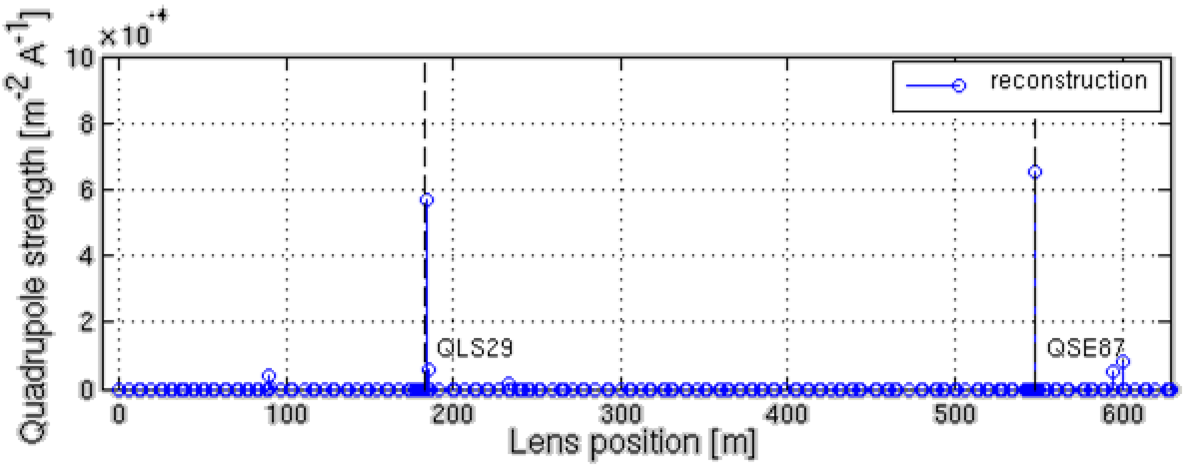
From the tune shift we verified that a considerable scan was achieved.

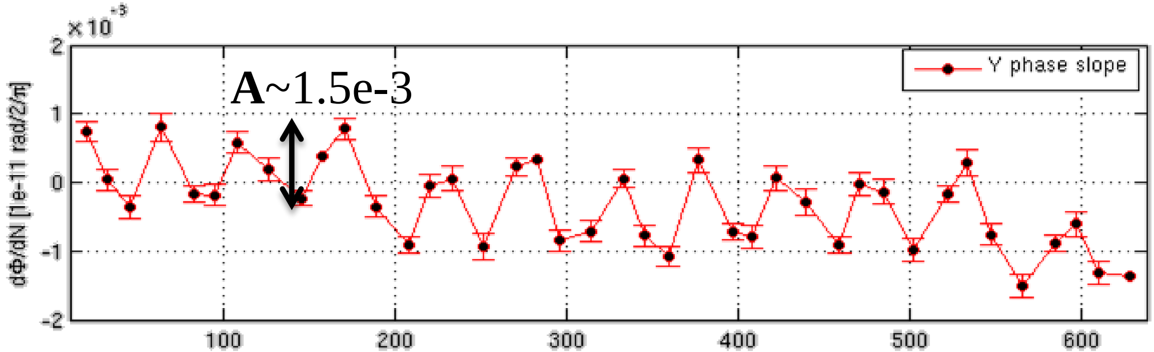


An error in a QSE quadrupole provokes a beat of amplitude A~7.5e-4. This is well within the accuracy limit. QSE are 2, so the beating waves can interact constructively or destructively.

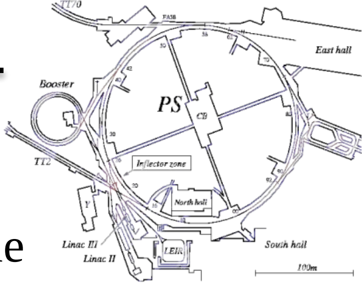
QSE current variation





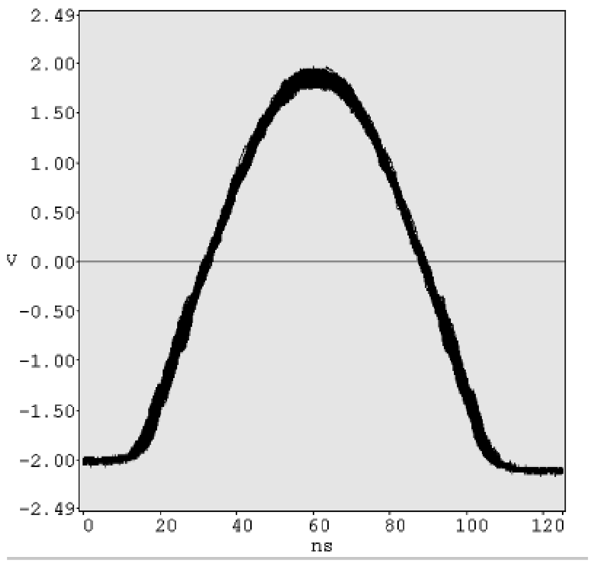


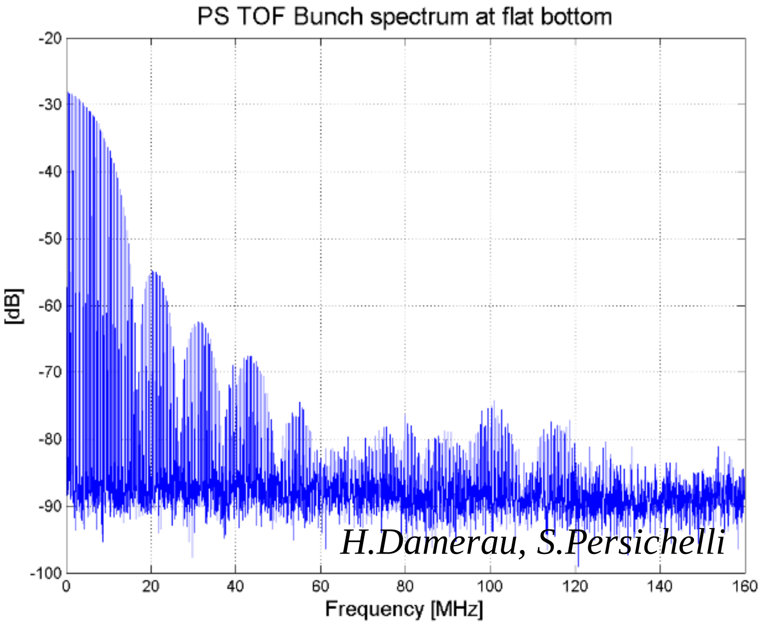
The two quadrupoles provoke beating waves that interact constructively: sum of beating amplitude A~1.5e-3 agrees with the measured one.
Both slope and reconstruction are good.
Even if it’s not a really “intensity dependent” experiment from a beam point of view, it proves that the reconstruction method can work.



Measurement with single bunch V plane

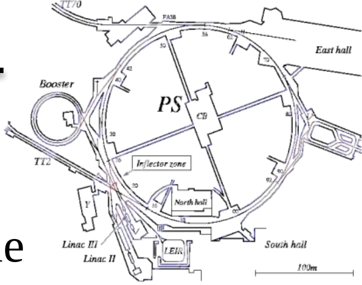
- The measurement with single bunch at injection energy 2GeV, was done with a TOF beam.
- Intensity scan from 1e12 to 6e12 ppb.
- TFB was used as vertical kicker.
- The smallest bunch length is 90ns (4σ) with 200kV in 10MHz cavities.





H.Damerau, S.Persichelli

Measurement with single bunch V plane



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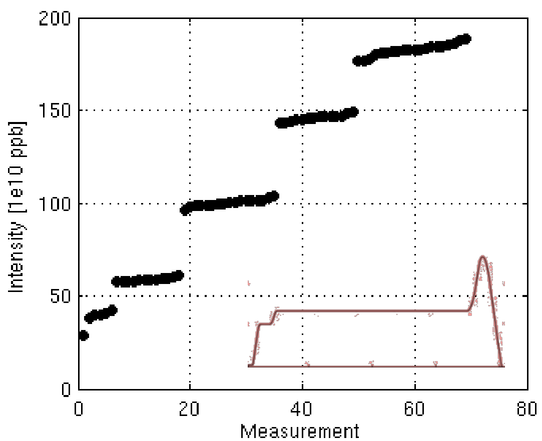
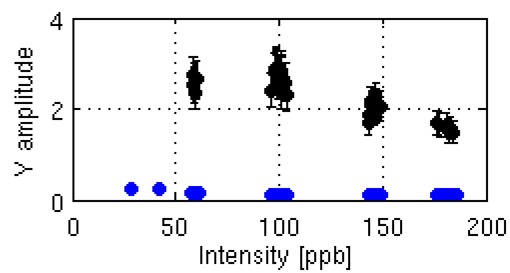
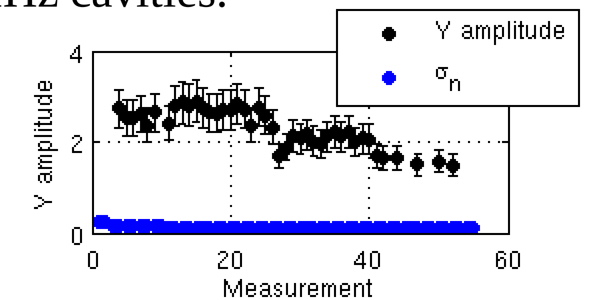
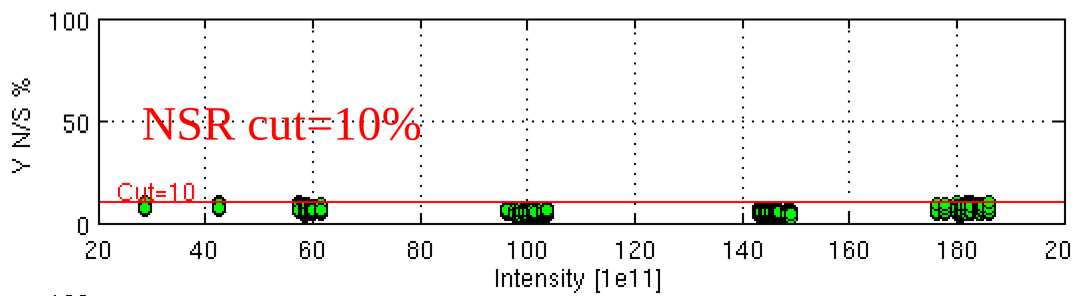
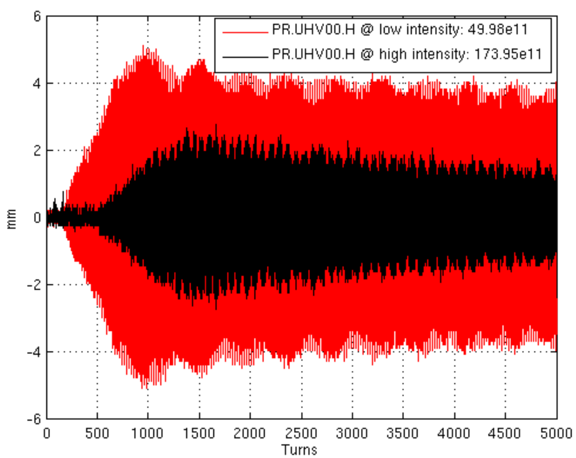
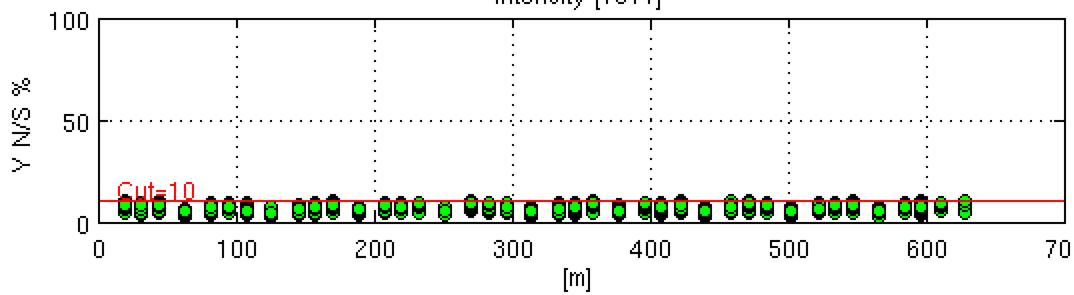




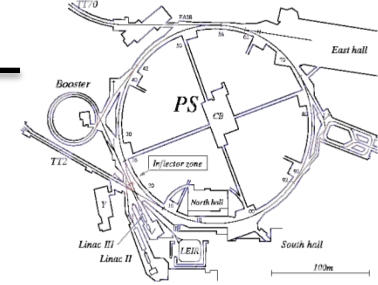


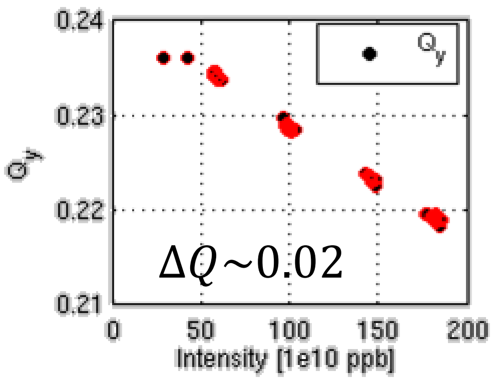


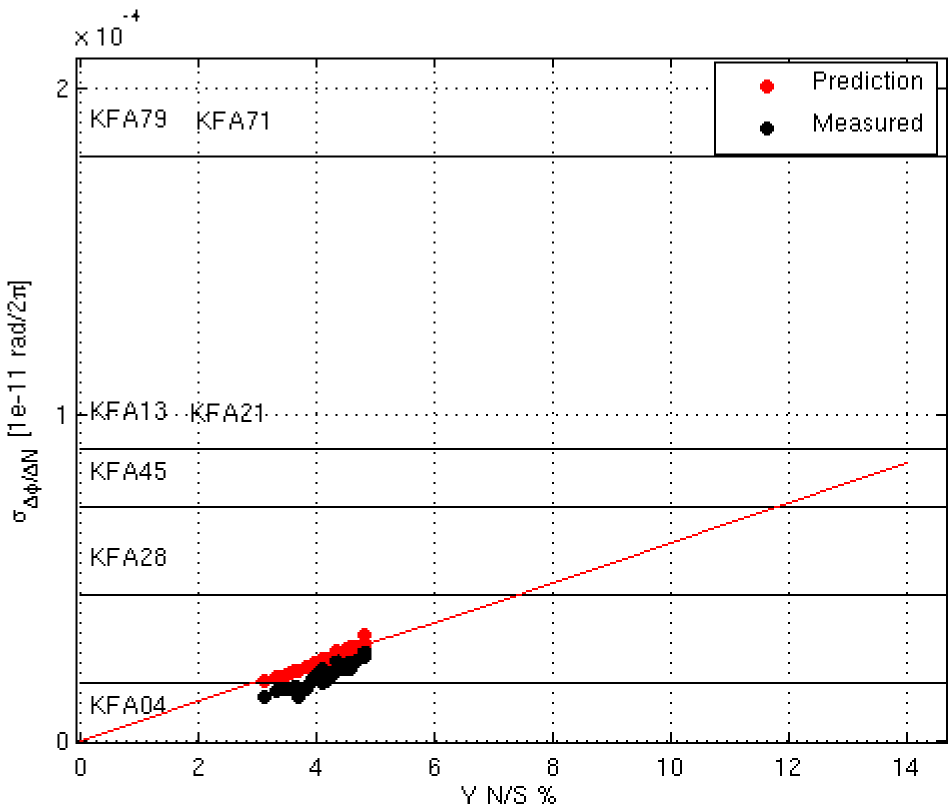




Measurement with single bunch V plane







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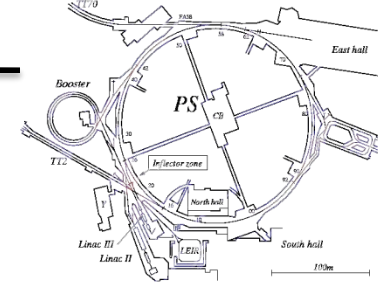
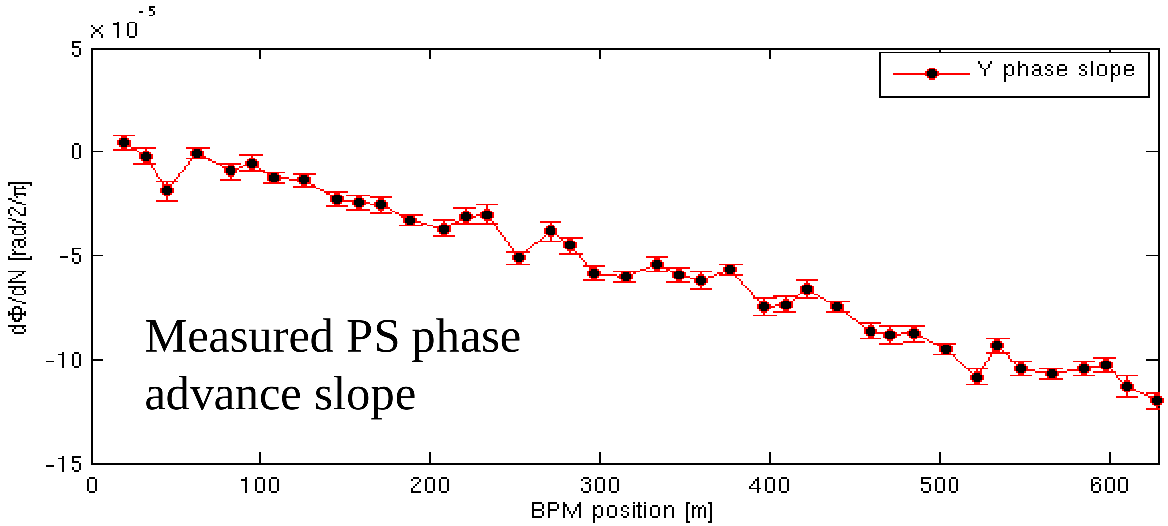
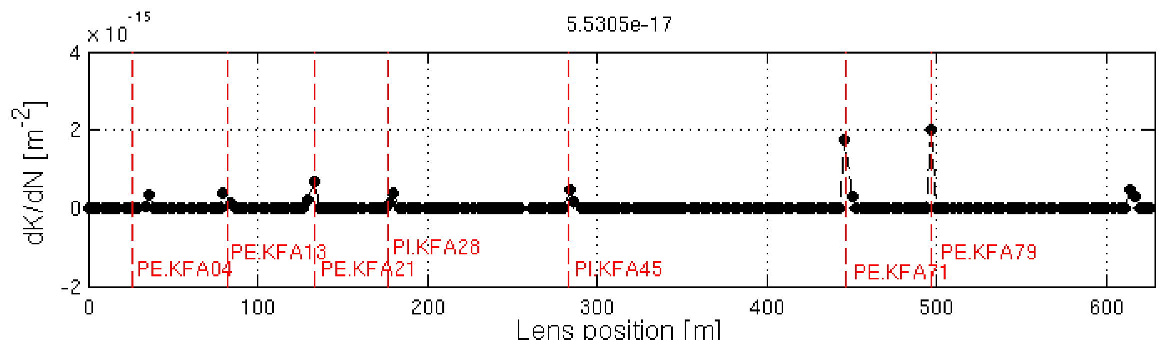
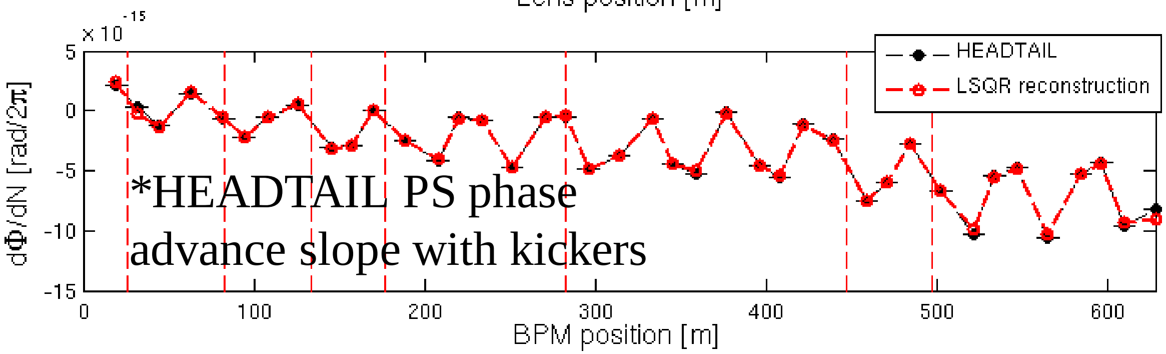




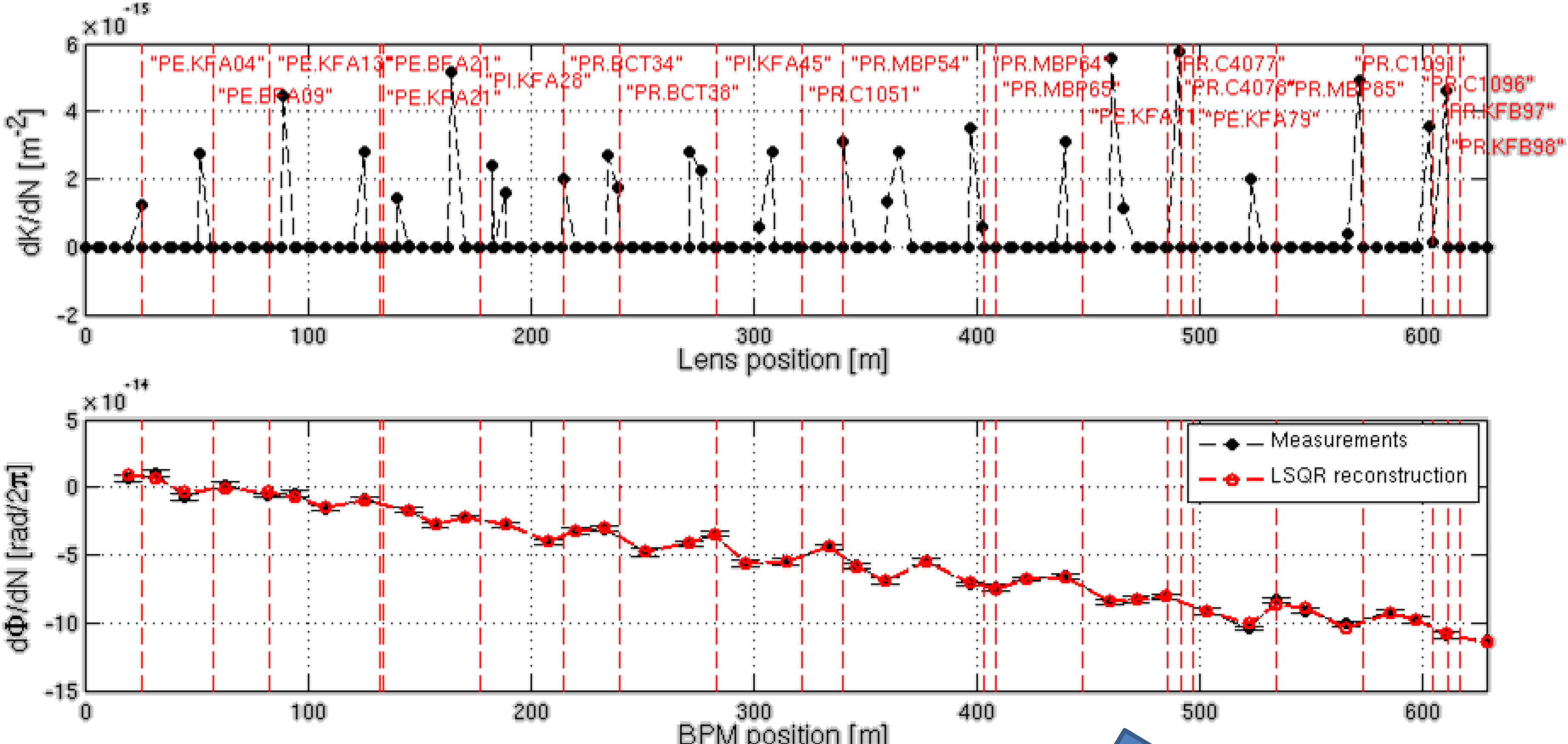




- Measurement is rather clean.
- The step like behaviour expected from HEADTAIL simulation is smoothed.
- Probably SC contribution?
- Resistive wall tune shift contribution should be cut out?

* Impedance calculated with Tsutsui's model

Reconstruction of PS-30-01-2013_V3:



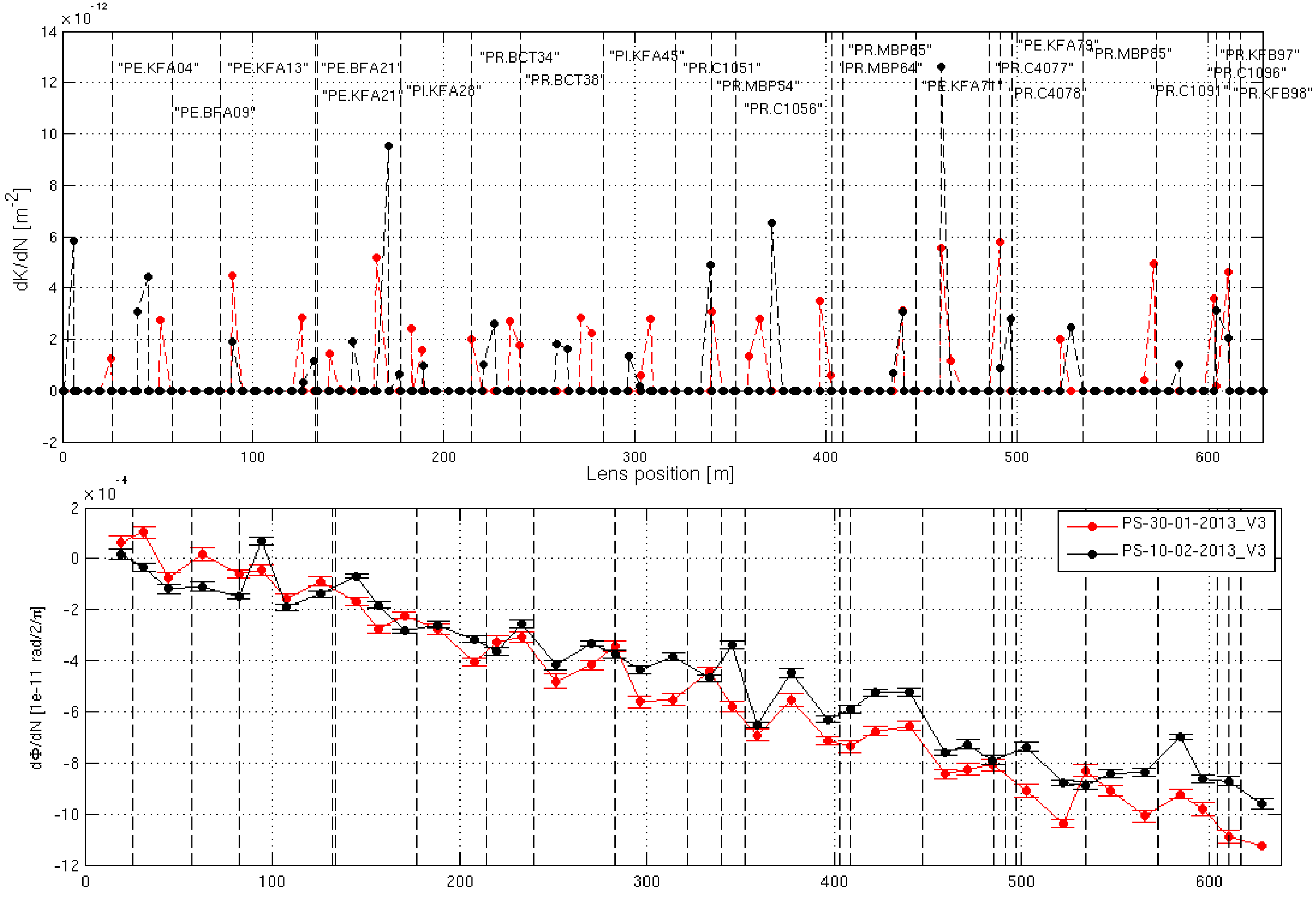
Identified elements:

KFA04
BFA09
KFA13
KFA21
KFA28
KFA45
KFA79

BCT34/38: Beam current transformer
C1051/56: RF cavity
C4077/78: RF cavity
MBP64/65: Wire scanner
KFB97/98: Feedback

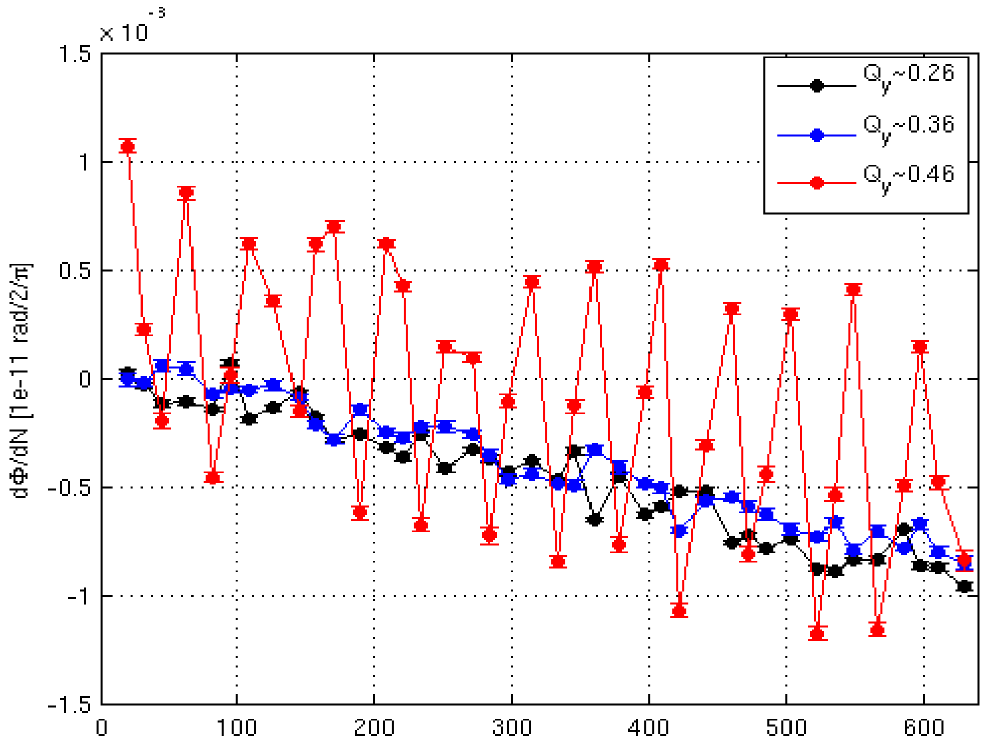
Preliminary

Measurements reproducibility: 10/02 Vs 30/01,



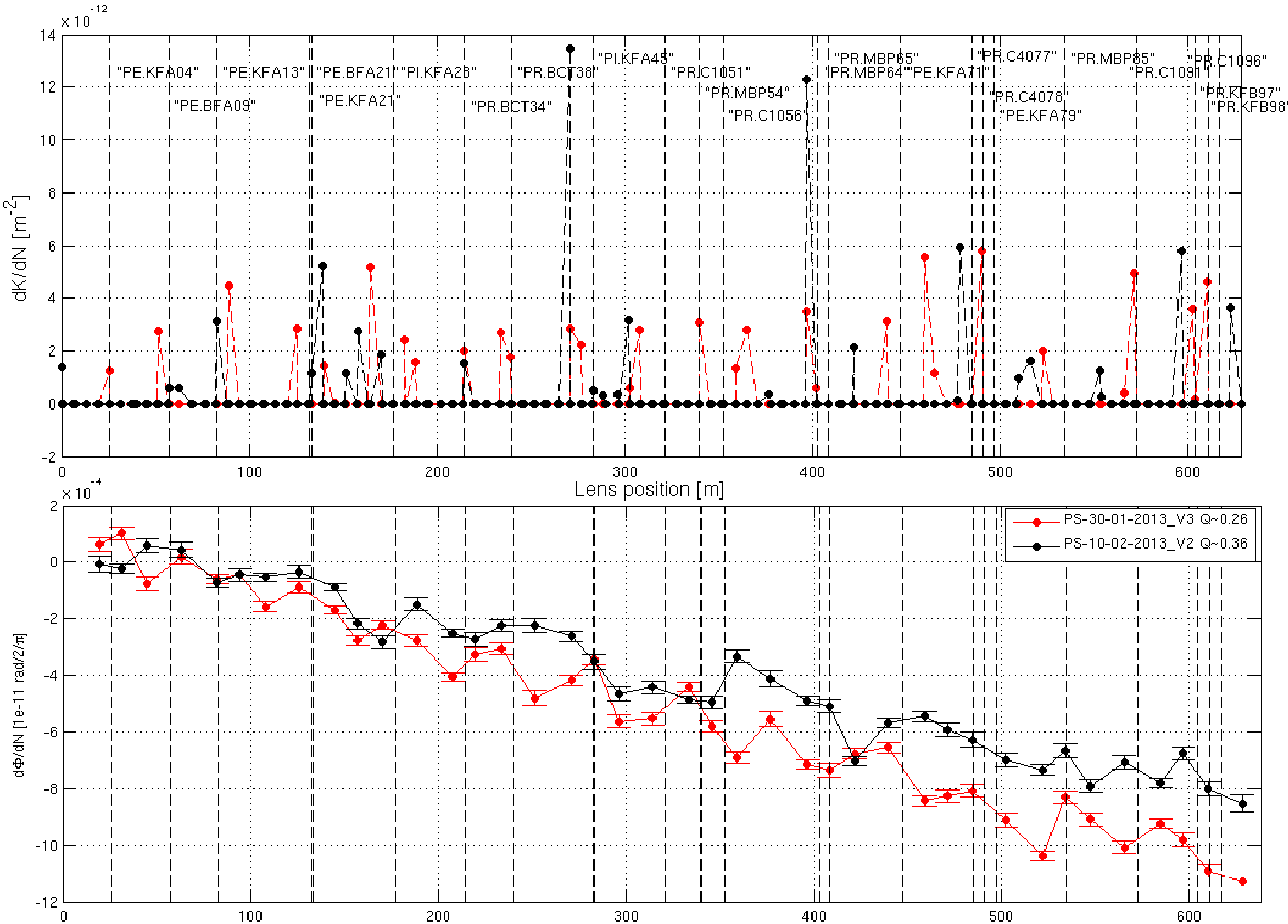
Trying with tunes closer to half resonance Qy~0.5, the signal should increase.

$$A = \frac{q^2}{(2\pi)^2 T_0} \frac{\sqrt{\pi}\, Im\{Z_{eff}\}}{\gamma m_p \omega_0 Q_y \sigma_z} \left(\frac{\delta_s}{2} + \frac{1}{2\sin(2\pi Q_y)} \right) \longrightarrow \begin{cases} 0.26 \rightarrow \text{x1} \\ 0.36 \rightarrow \text{x1.2} \\ 0.46 \rightarrow \text{x4} \end{cases}$$



But the optics model is very compromised close to the resonance due to the natural optics errors.

Measurements reproducibility: 30/01 Qy~0.26 Vs 10/02 Qy~0.36



SPS

SPS

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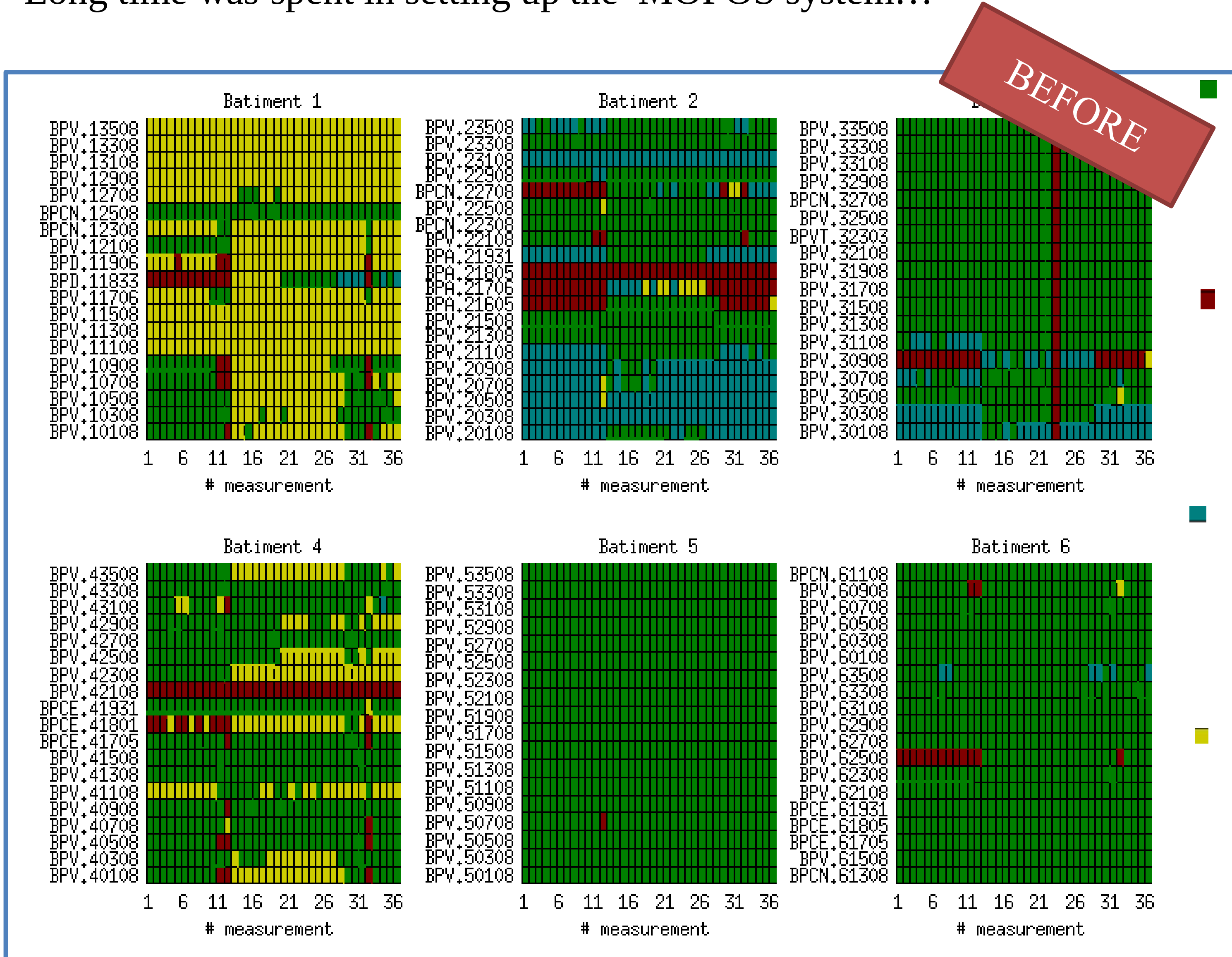
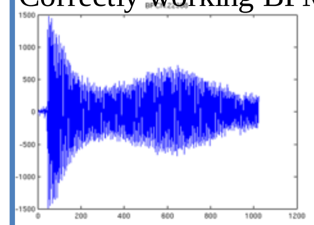
SPS

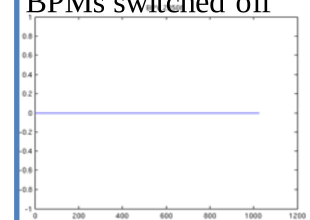
Long time was spent in setting up the MOPOS system…



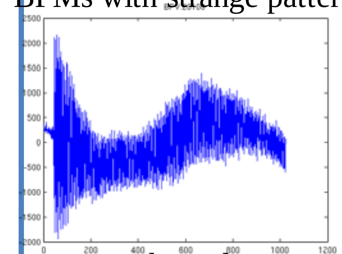
Correctly working BPMs



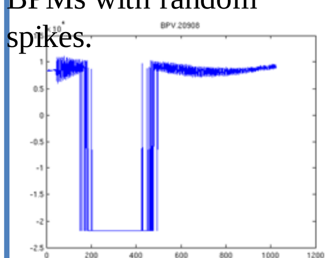
BPMs switched off



BPMs with strange patterns

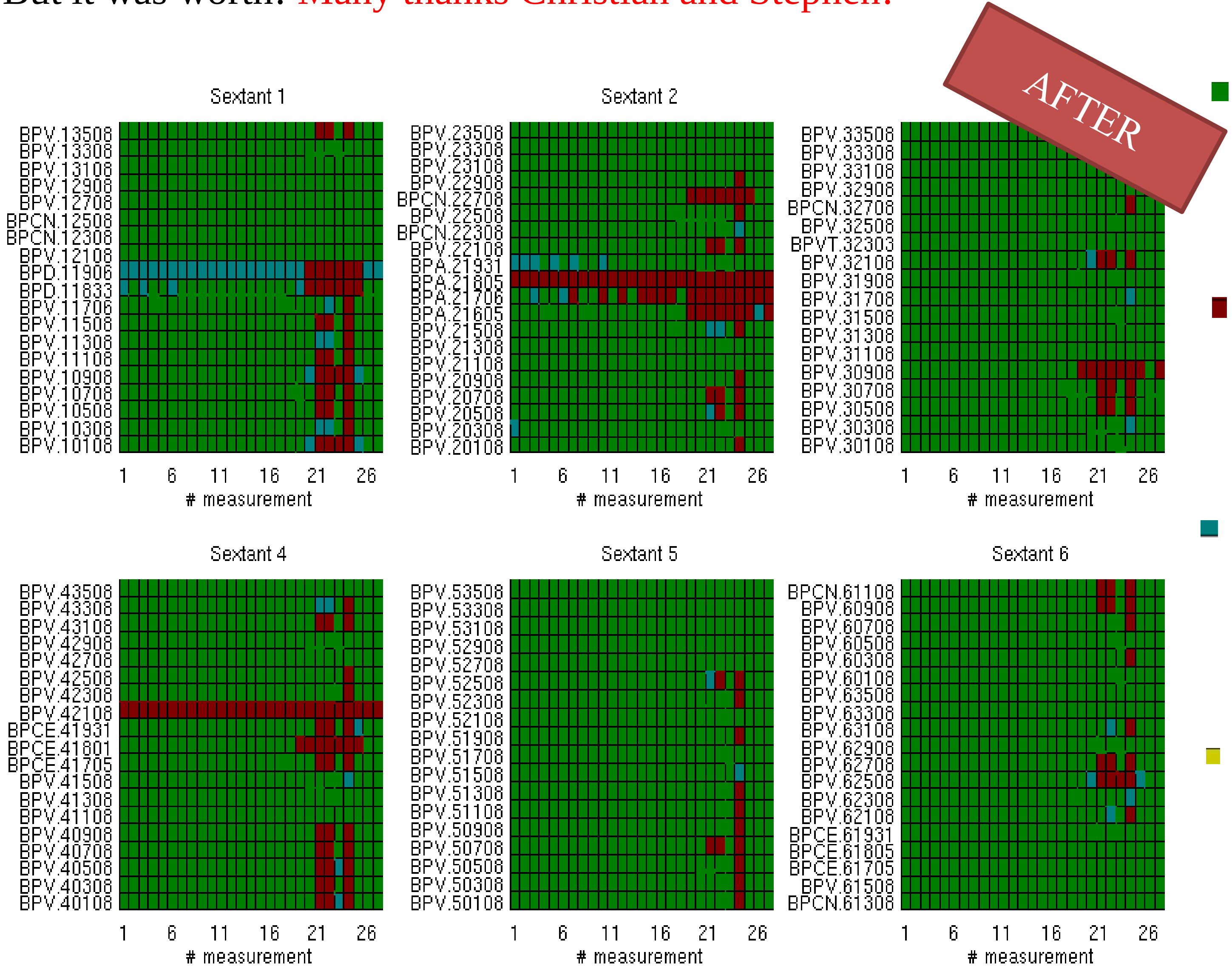


BPMs with random spikes.

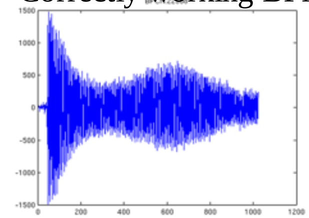


SPS

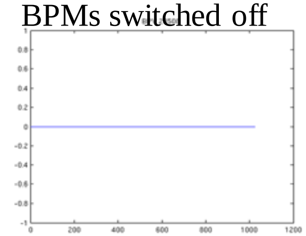
But it was worth! Many thanks Christian and Stephen!



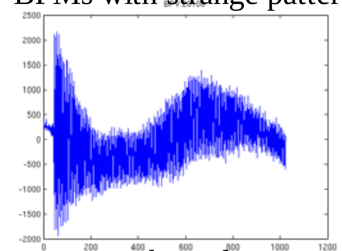
Correctly working BPMs



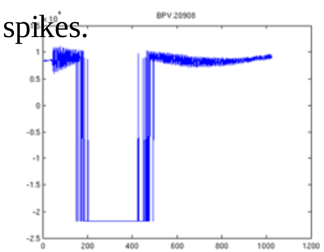
BPMs switched off



BPMs with strange patterns



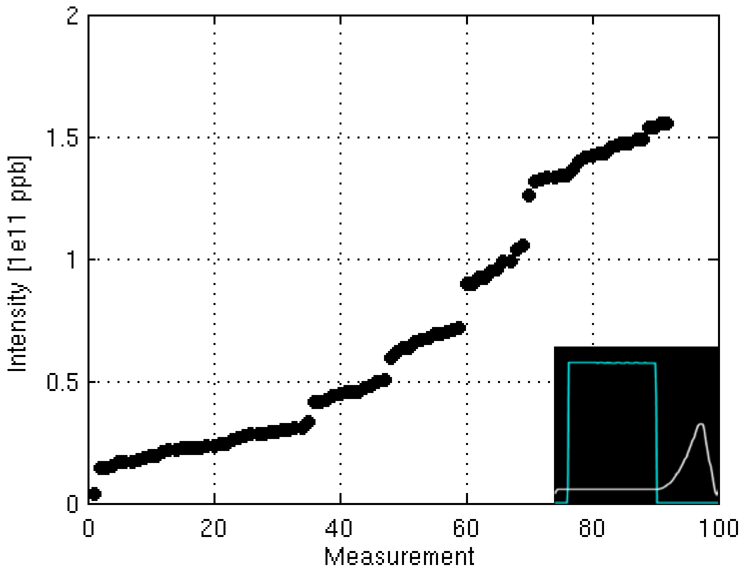
BPMs with random spikes.

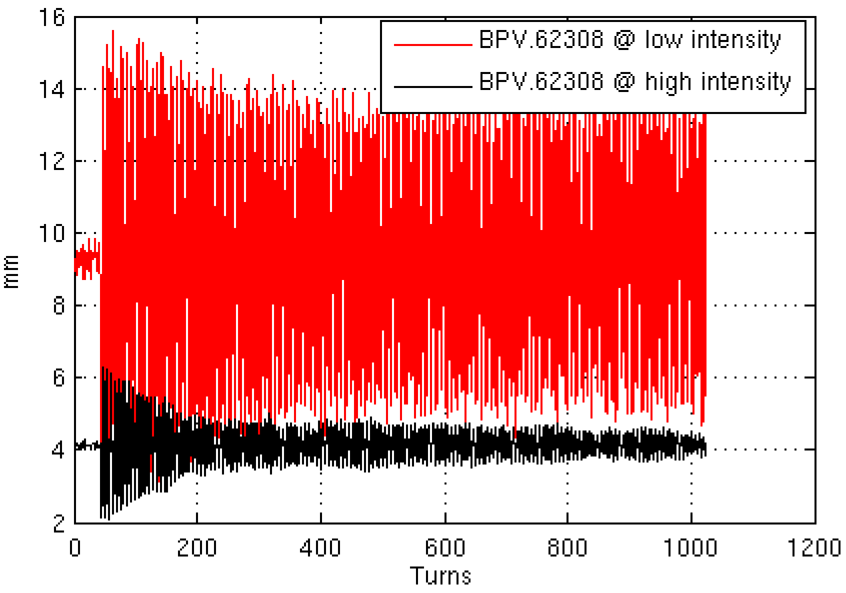


SPS

A scan in intensity is done from 4e10 to 1.6e11 for a LHCINDIV type of beam at flat bottom (26GeV).

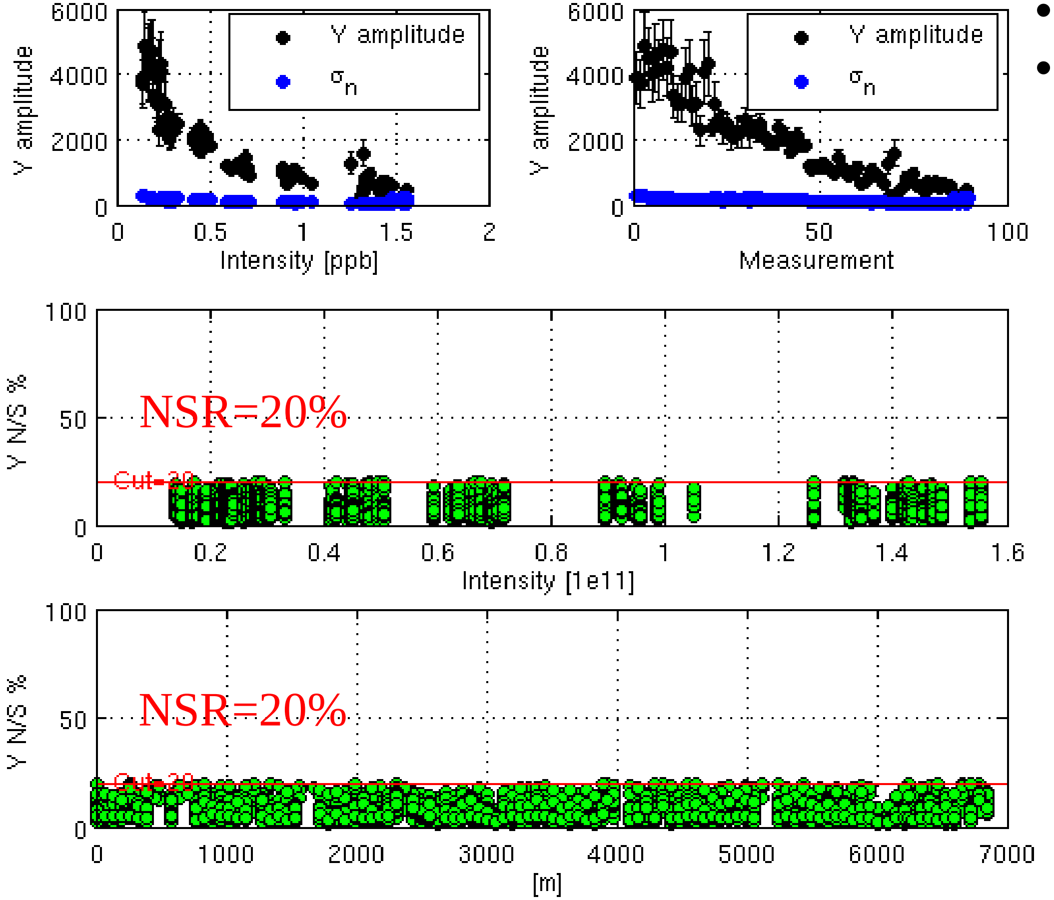
Min Y aperture: MBA, 17mm half height





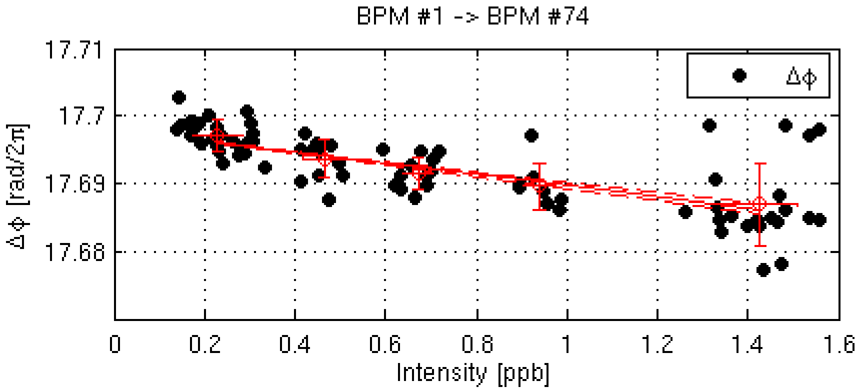
NB: Chromaticity is set almost to zero in Y plane. At high intensity measurement are taken with beam almost unstable in order to get the maximum number of turns.

SPS

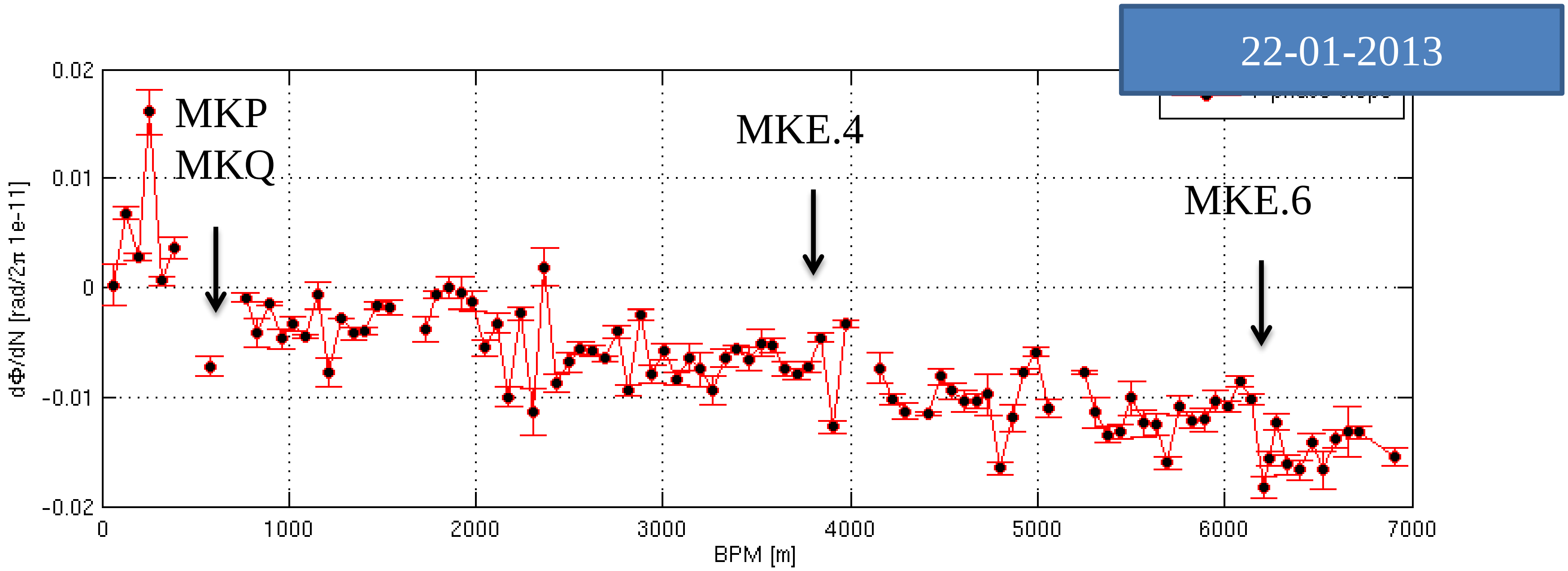


- ~1000 turns are analyzed.
- Phases are collected only for signals with NSR<20%.

SPS

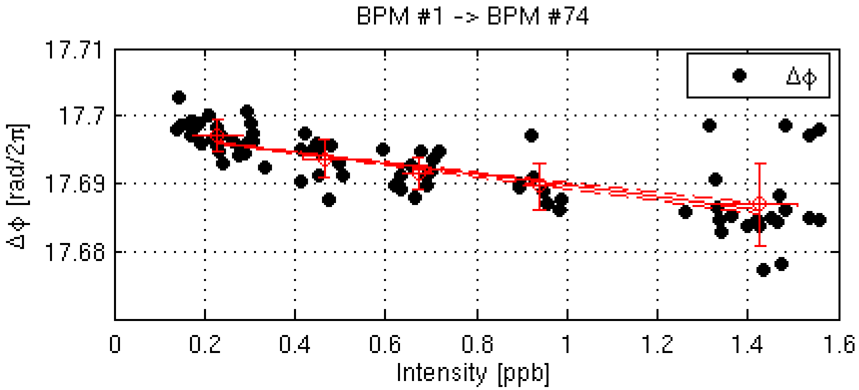


- Example of phase advance slope from BPM #1 to BPM #74.



- Finally we get a slope. It exhibits the typical decreasing behavior.
- More refined analysis is ongoing to recover the empty sections (NSR>20…)
- Some hint on impedance position can already be seen.

SPS



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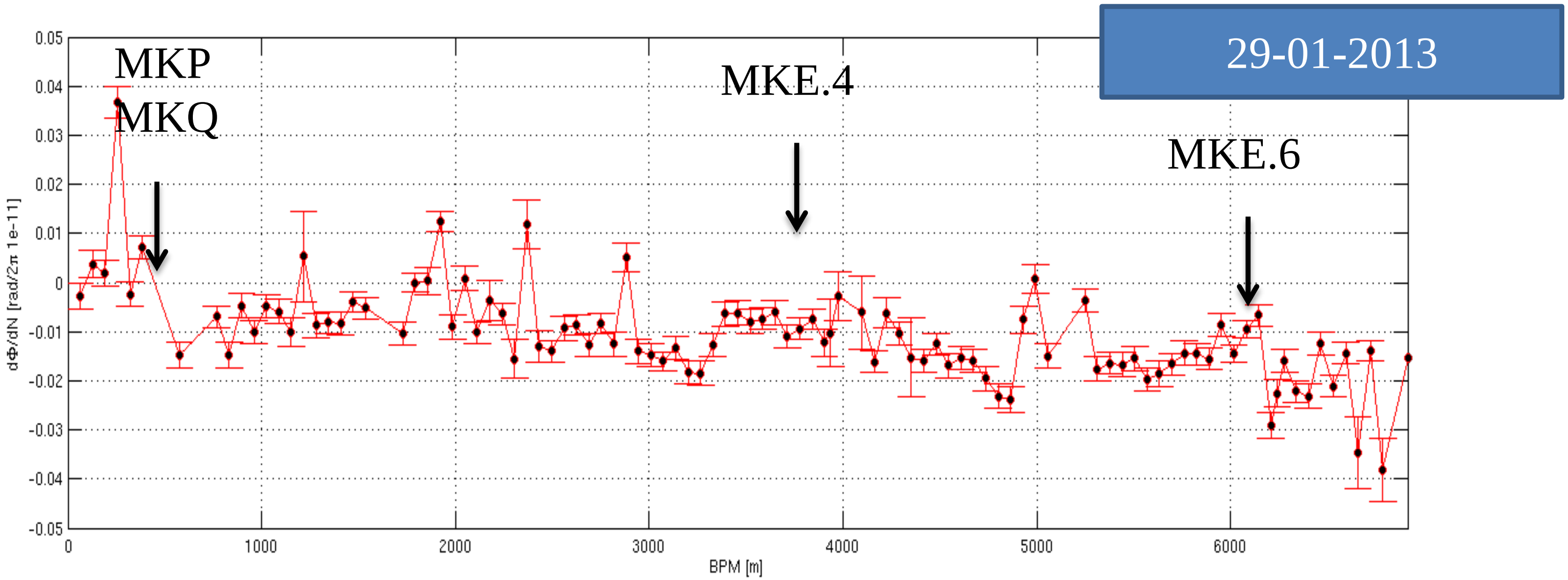

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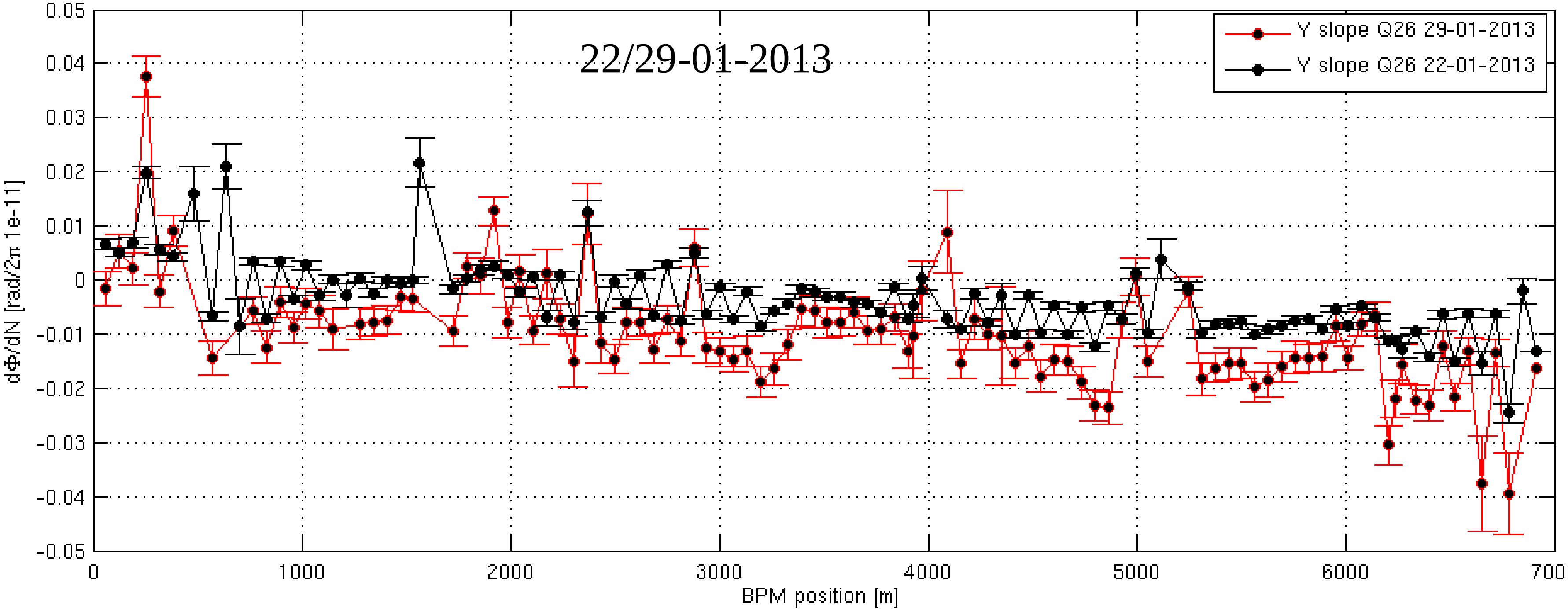
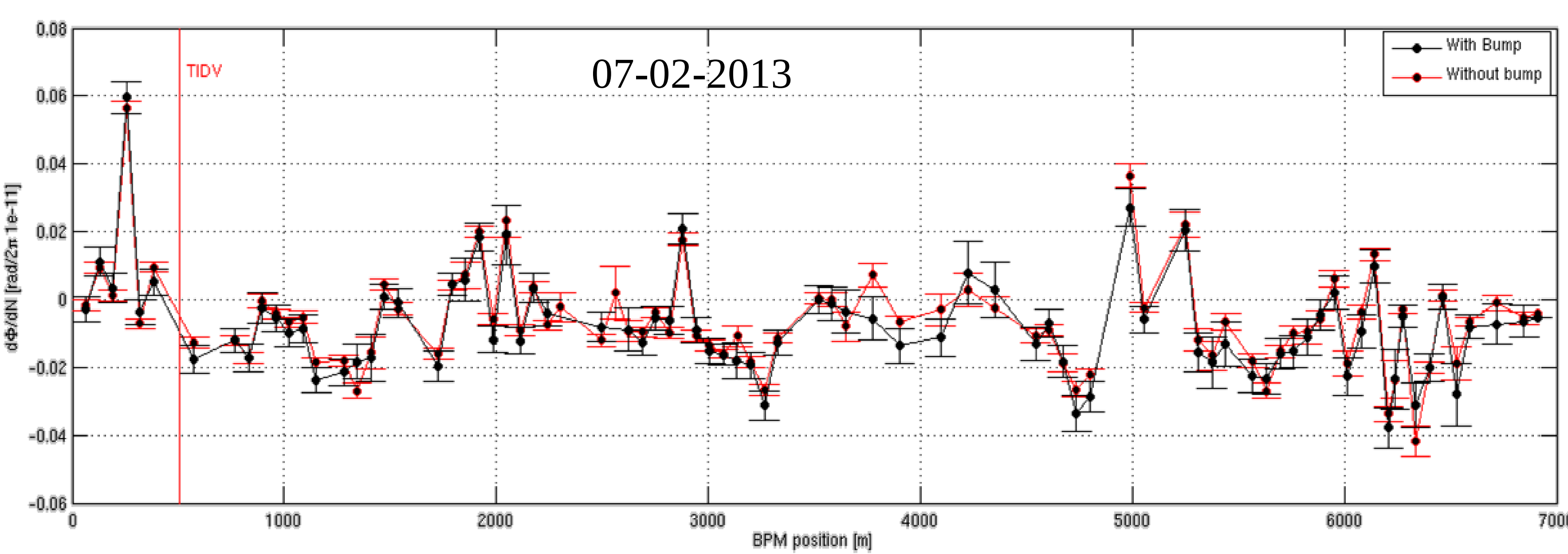
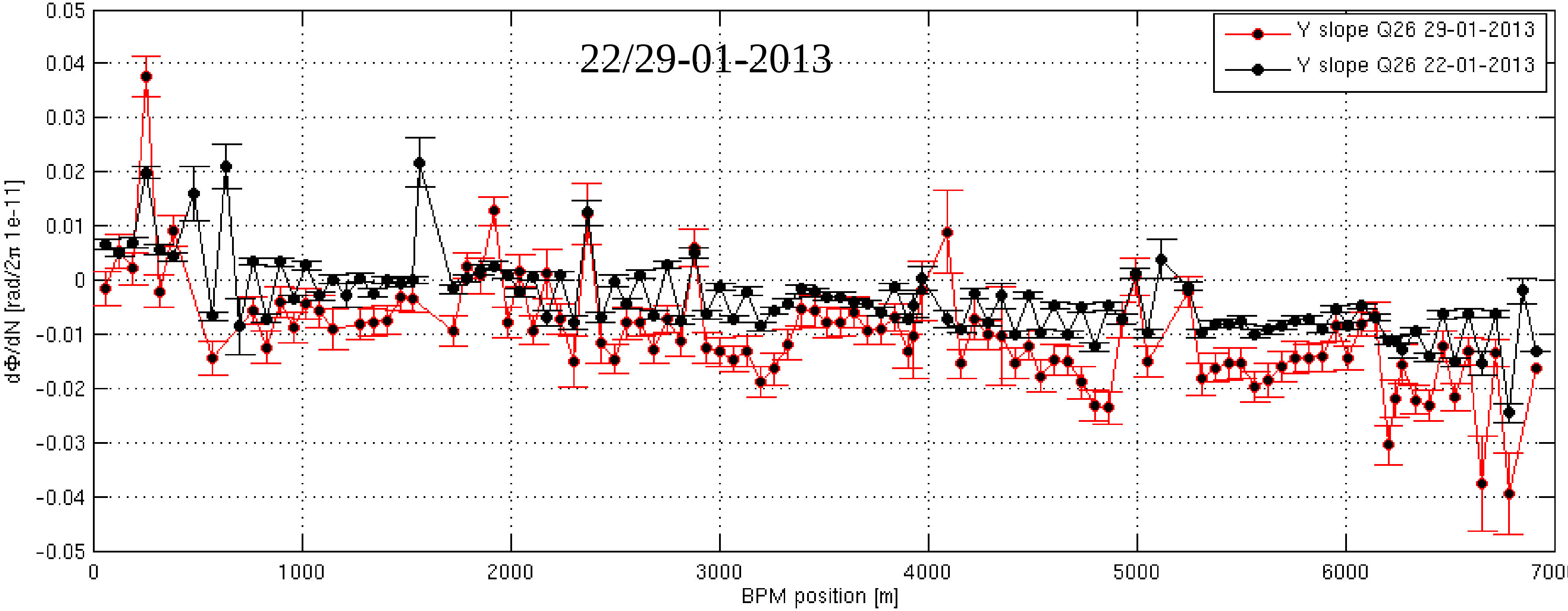
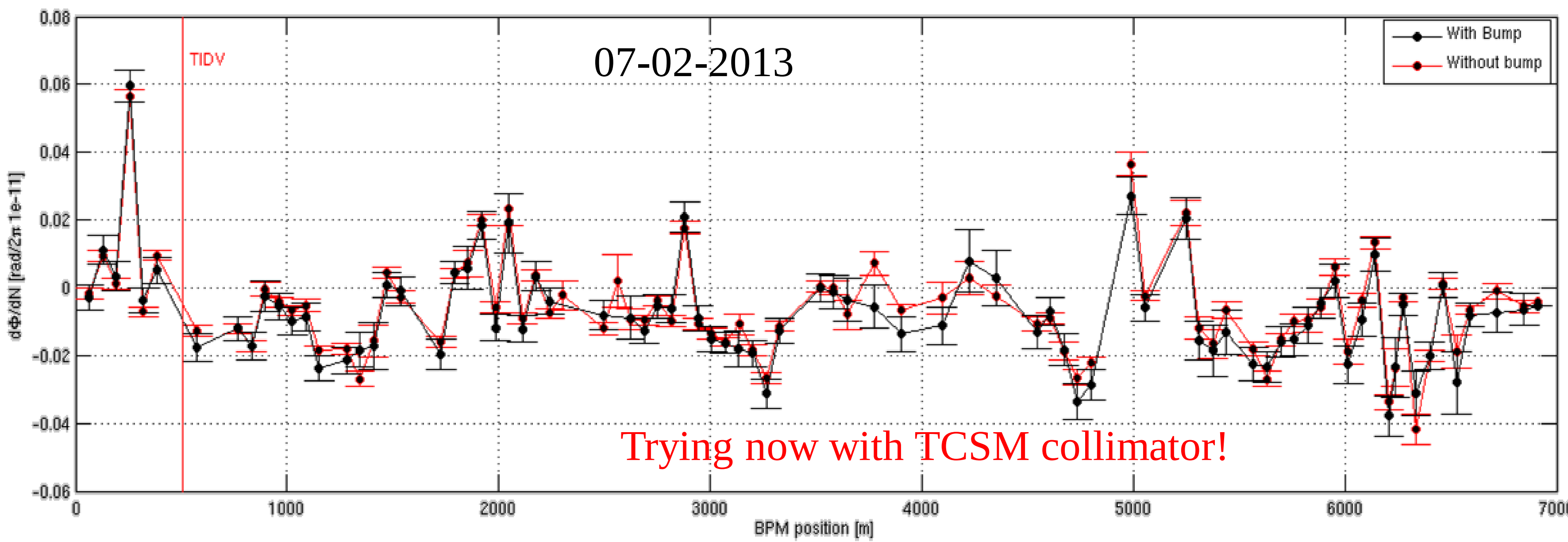

22/29-01-2013
Y slope Q26 29-01-2013
Y slope Q26 22-01-2013
dΦ/dN [rad/2π 1e-11]
BPM position [m]


07-02-2013
TIDV
With Bump
Without bump
dΦ/dN [rad/2π 1e-11]
BPM position [m]



22/29-01-2013
Y slope Q26 29-01-2013
Y slope Q26 22-01-2013
dΦ/dN [rad/2π 1e-11]
BPM position [m]

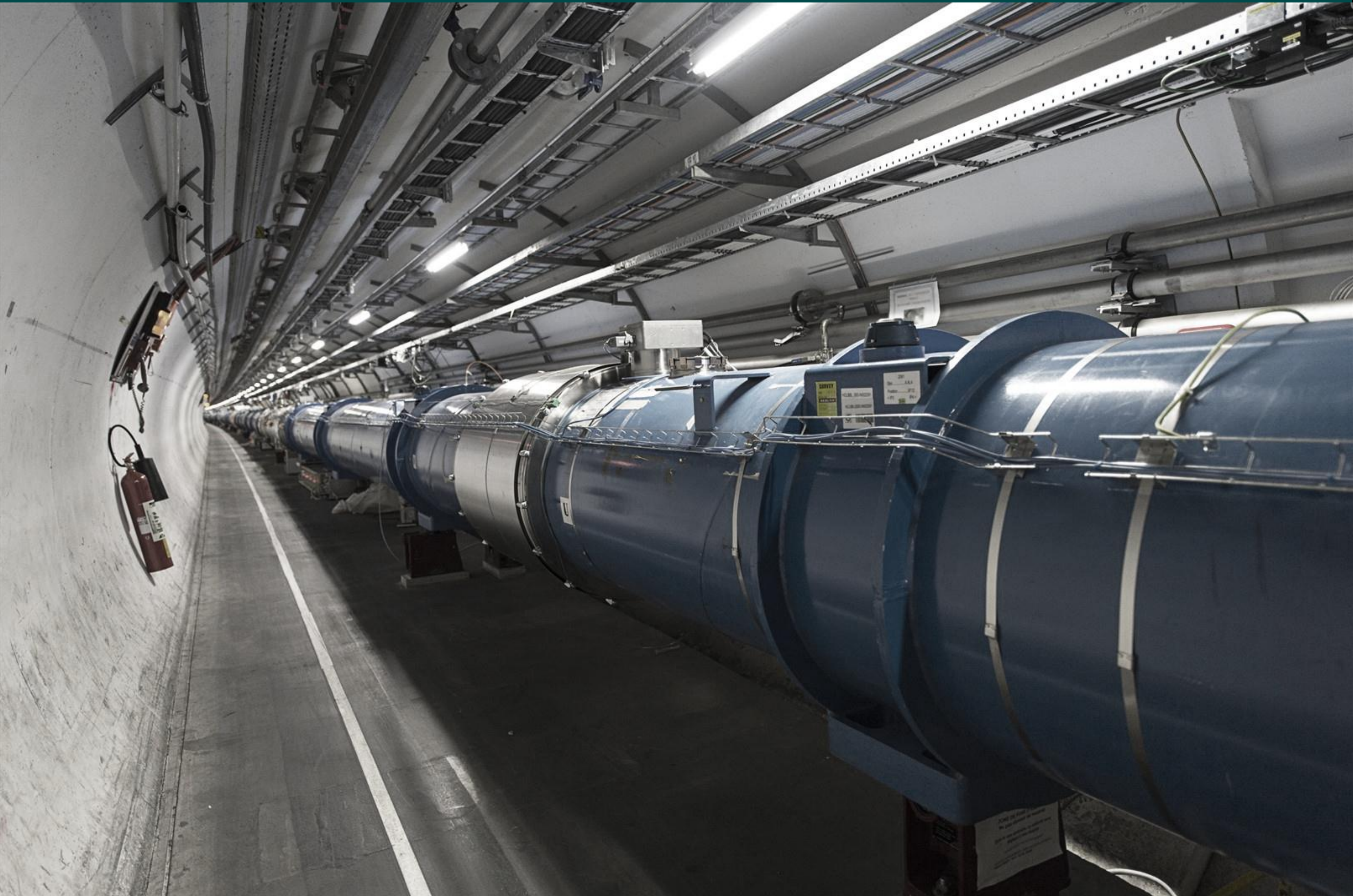


07-02-2013
TIDV
With Bump
Without bump
dΦ/dN [rad/2π 1e-11]
BPM position [m]
Trying now with TCSM collimator!

- Transverse impedance localization method.
- Observable: phase advance
  - Accuracy of phase advance detection for noisy signals.
  - Accuracy of slopes for measurements with error bars.
  - Impedance induced phase advance beating
- Application to the PS
  - Measurement of local quadrupolar orbit errors.
  - Measurements with single bunch, injection, V-plane.
- Application to the SPS
  - BPM system.
  - Measurement with single bunch, injection, V-plane.
- **Application to the LHC**
  - **Status of analysis.**

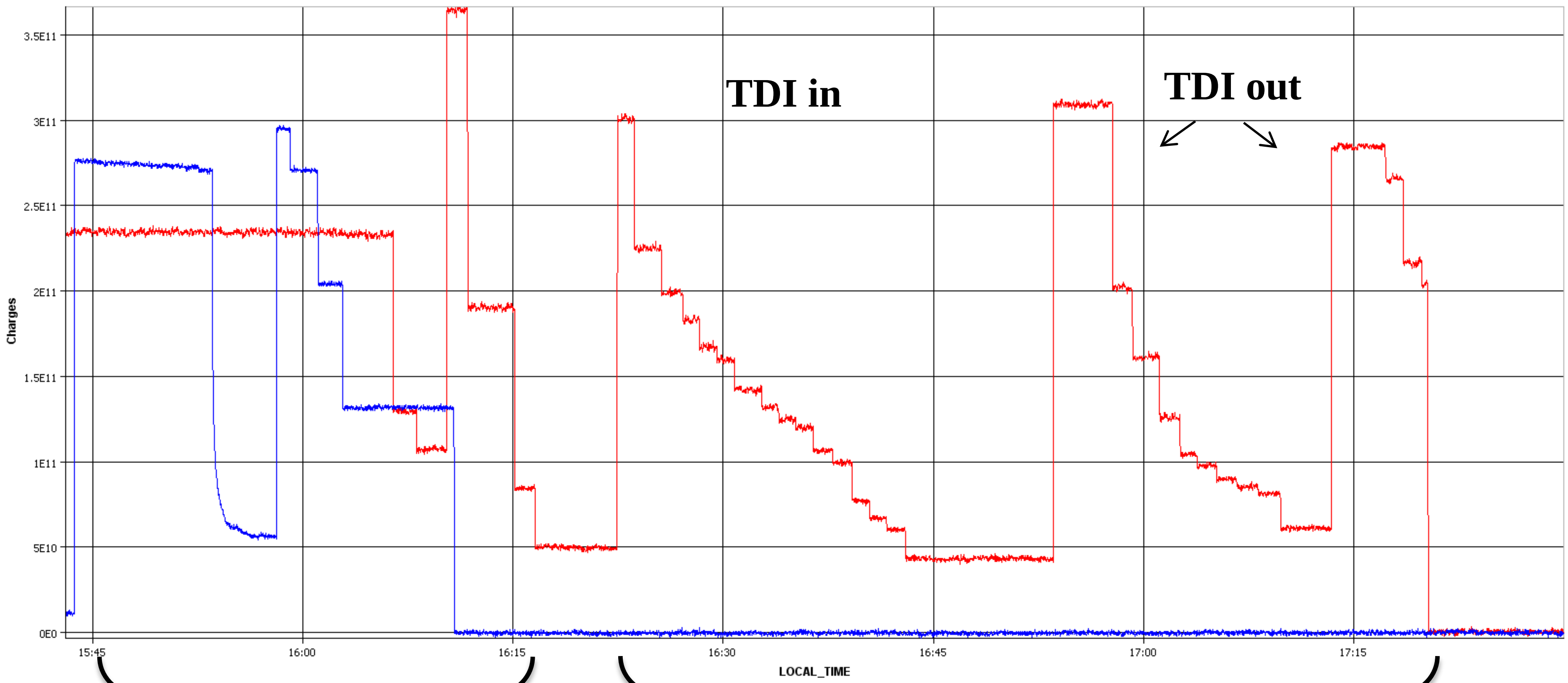
- Conclusion and overview.

LHC



Status of Analysis

MD overview:



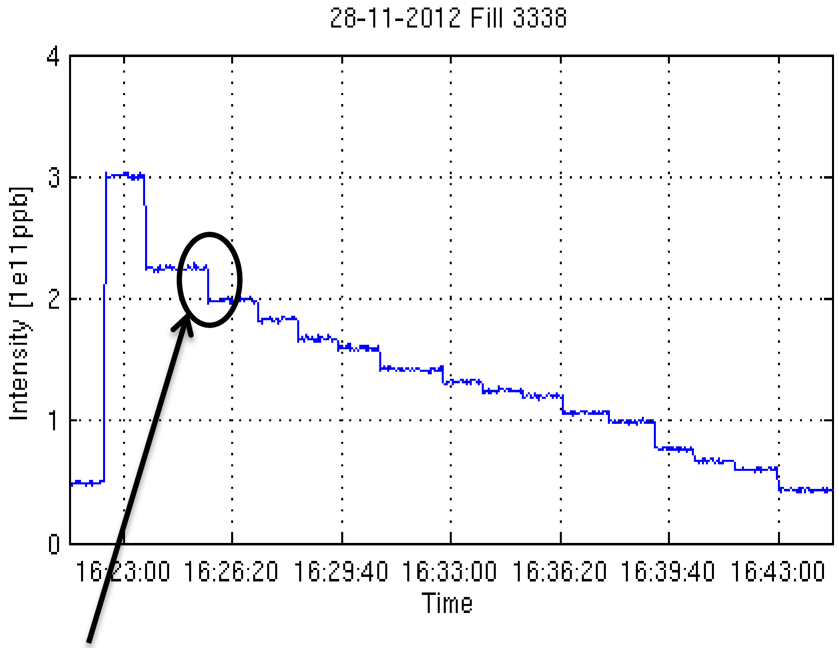
B1 and B2 unstable due to low chromaticity.
We had to increase of 6 units both beams.

Good measurements.

Status of Analysis

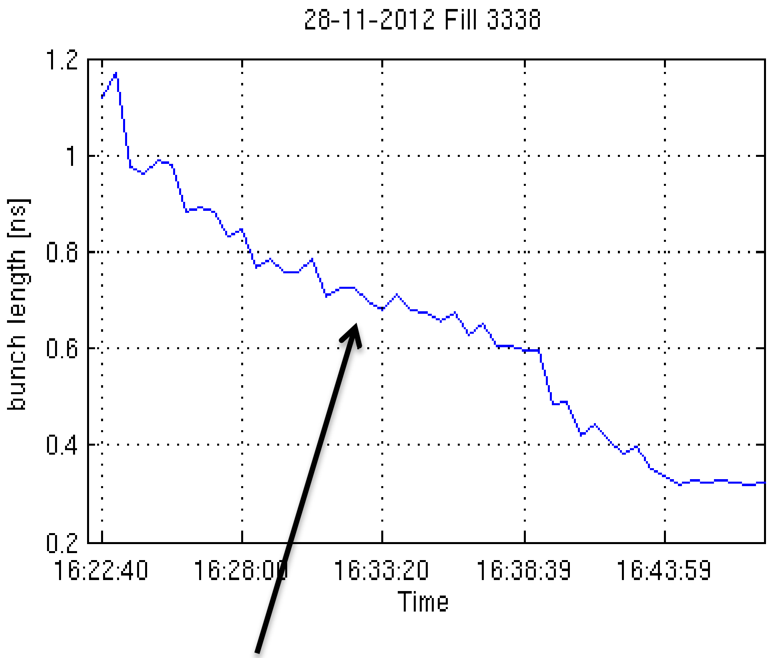
First scan as example:

Intensity



Steps obtained by scraping the beam during the kick

Bunch length

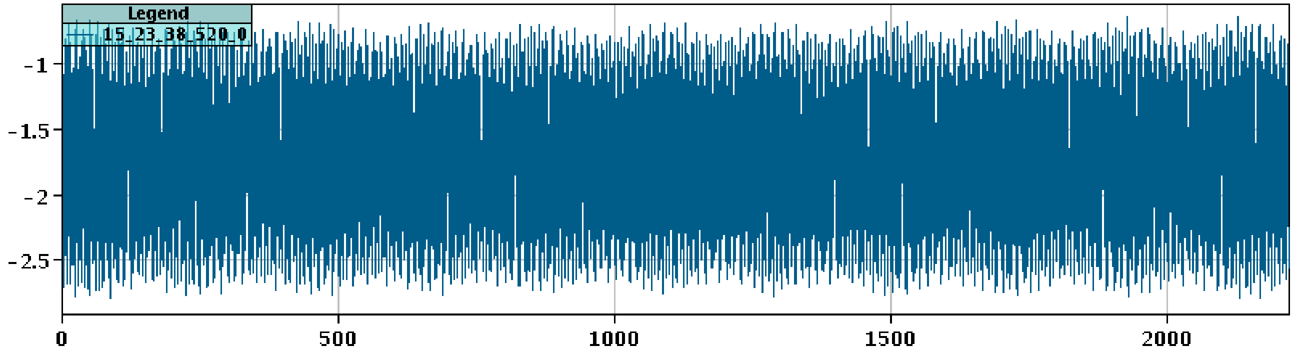


Bunch length decreases due to the scraping.

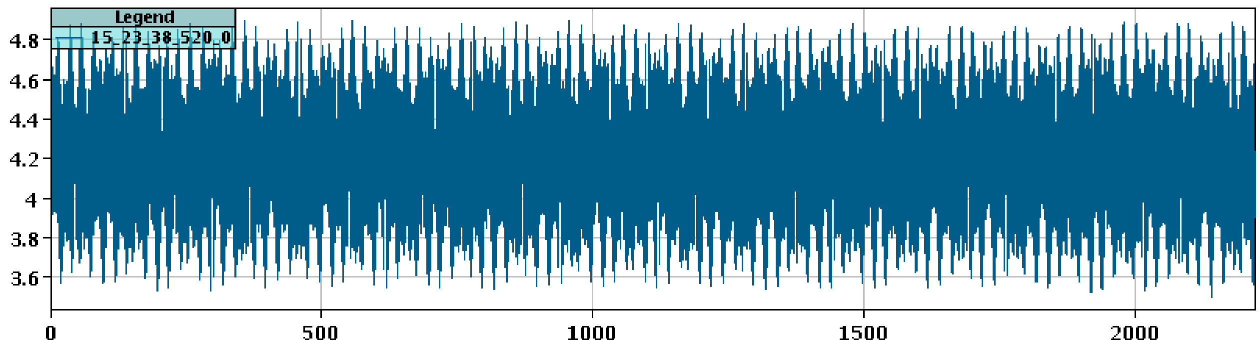
Status of Analysis

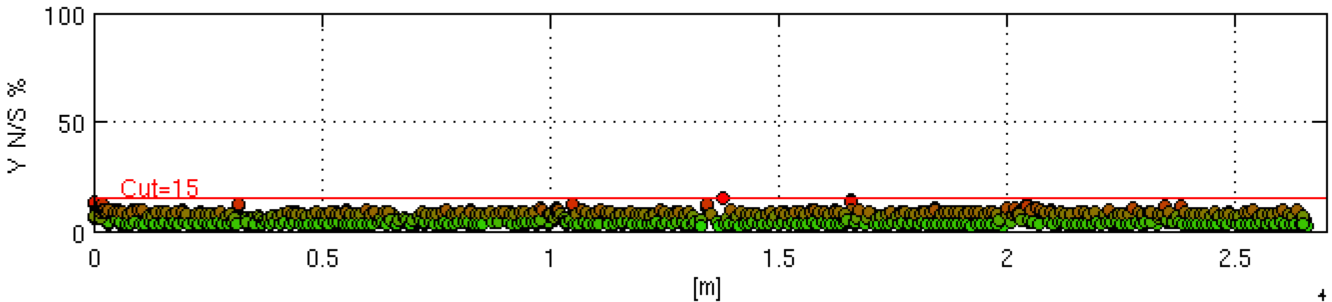
AC dipole oscillation looks very clean

X

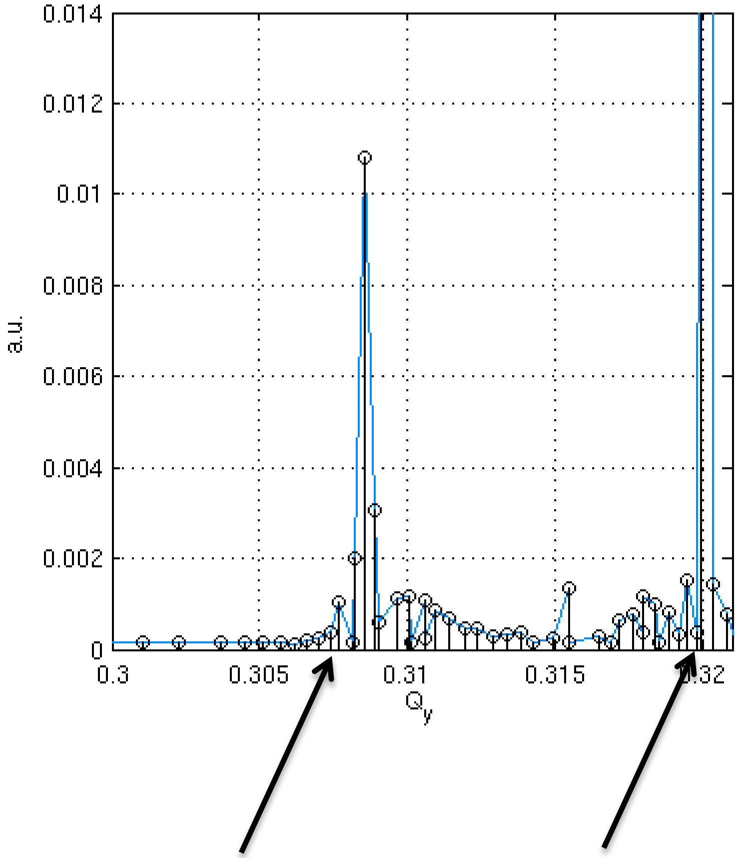


Y



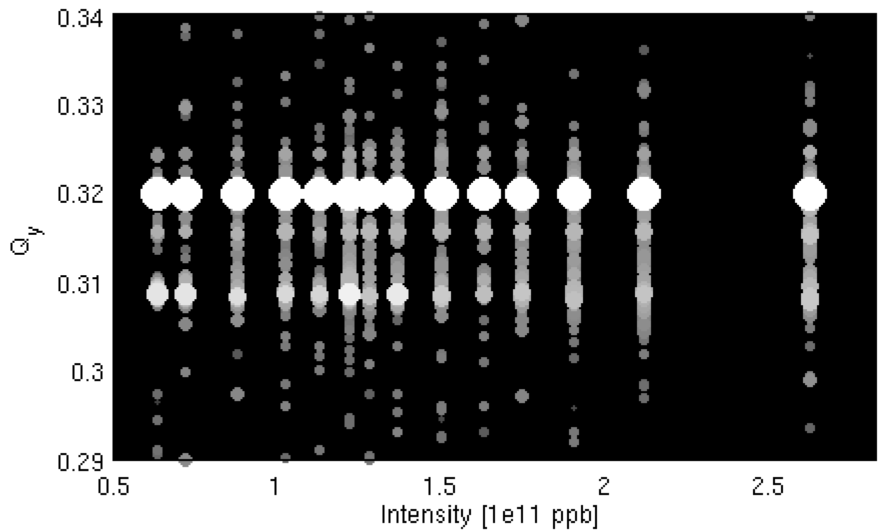


Status of Analysis



Free oscillation tune (~0.308)

AC dipole tune (0.32)

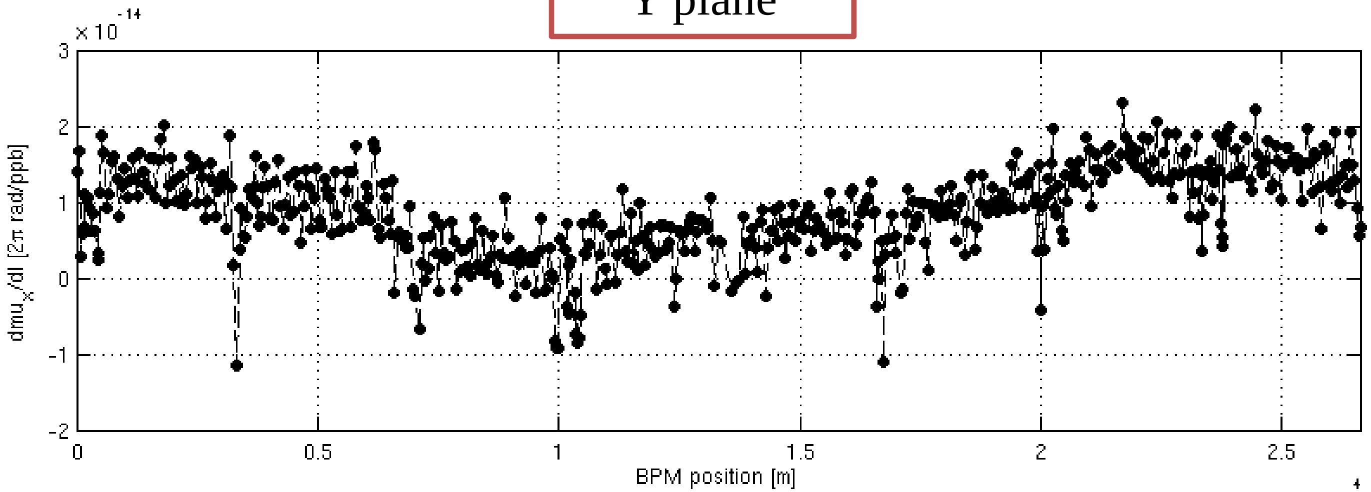


The tune seems to be locked at 0.3085.
This behaviour is still not clear.

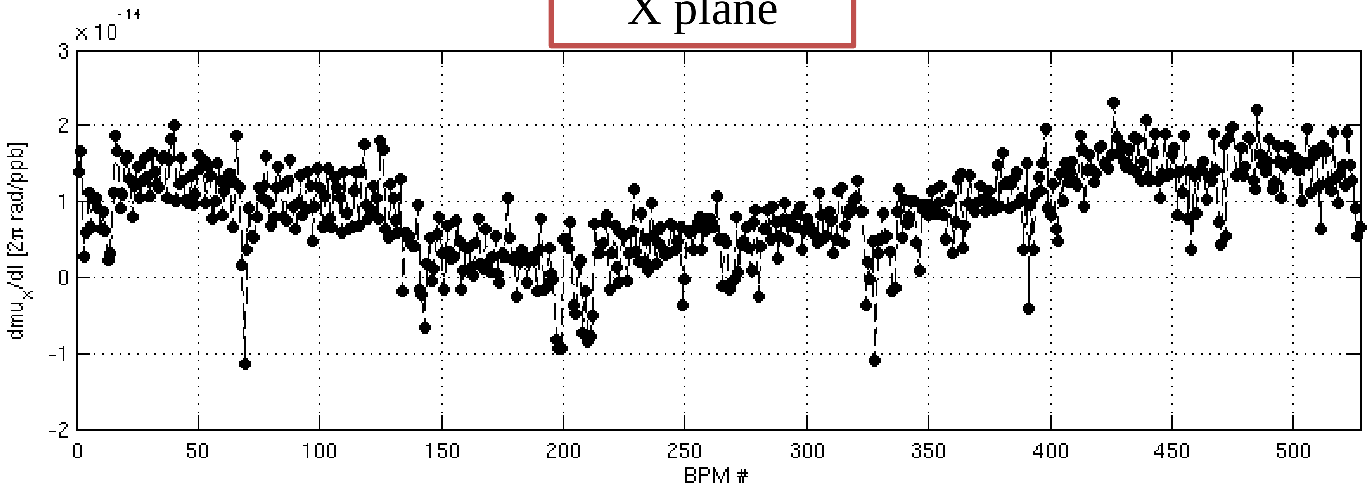
- Is it related to the scraping ?
- Is it an AC dipole unstable line?
- Other effects ?

Status of Analysis

Y plane



X plane



Accumulated phase advance slopes analysis on going….

Conclusion and overview

Resuming:

- A better understanding of the major constraints in the impedance localization measurement has been achieved.
- Measurements for PS are well between error bars but reconstruction is not straightforward.
- SPS measurements are still on going, especially for Q20 (see backup). Trials with moving collimators are on going.
- Measurements for LHC have still to be analysed in detail.

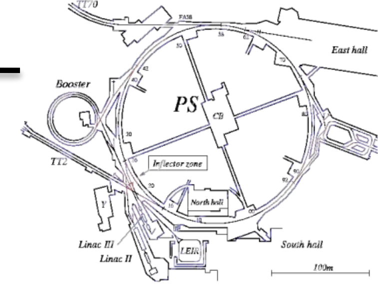
Plan:

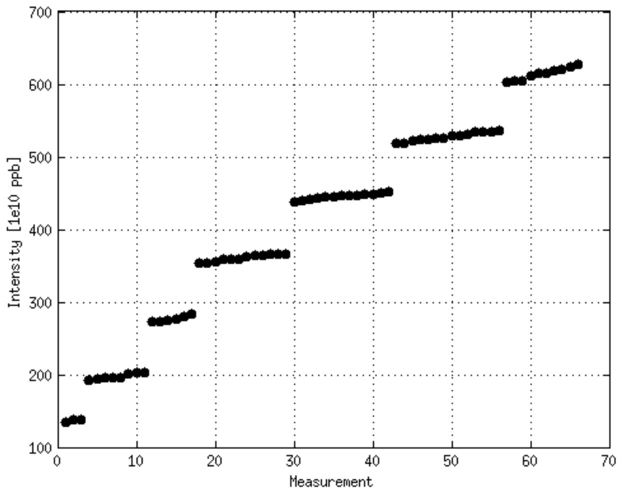
- Better understanding/implementation of the reconstructing algorithm (maybe the response matrix is too simple? Maybe I'm neglecting some other intensity dependent effect?)
- Acquire data for Q20 SPS.
- HEADTAIL studies to understand differences between measured slopes and simulated slopes.
- Understand resistive wall effects on measurements.
- Your suggestions are welcome!

Thanks!

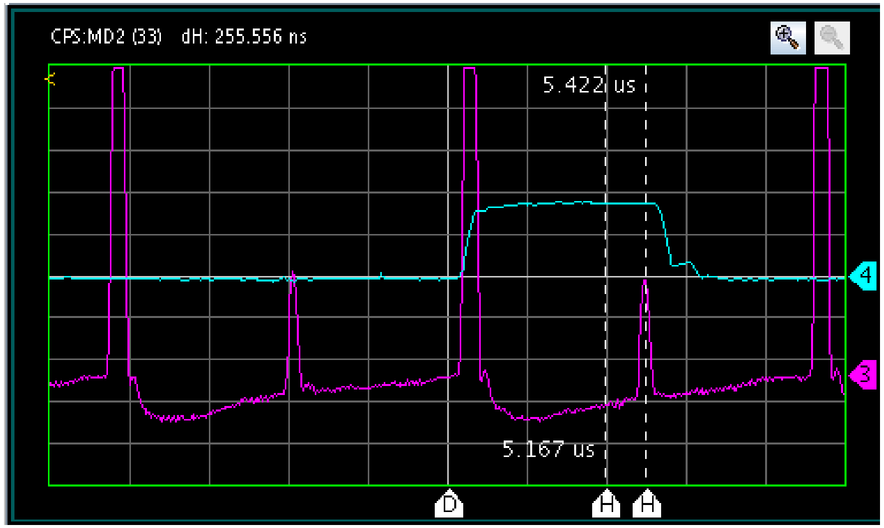
BACKUP

Measurement with two bunches V plane



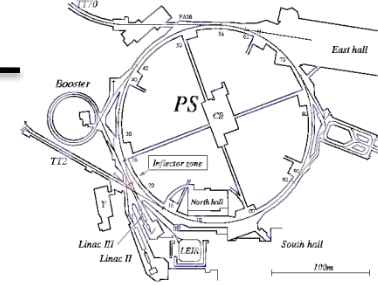


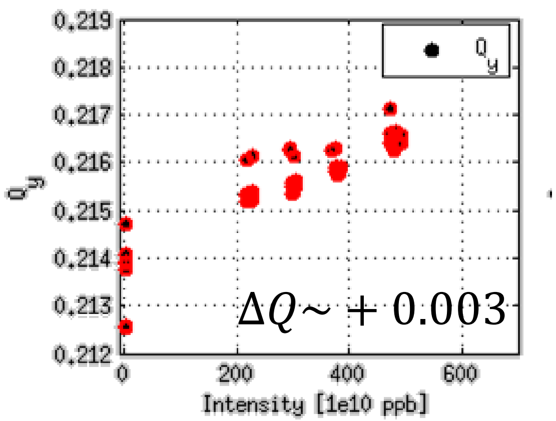
Using two bunches whose the leading one is bringing all the charge, and the trailing one is used as probe, we could measure the effects seen by the probe.



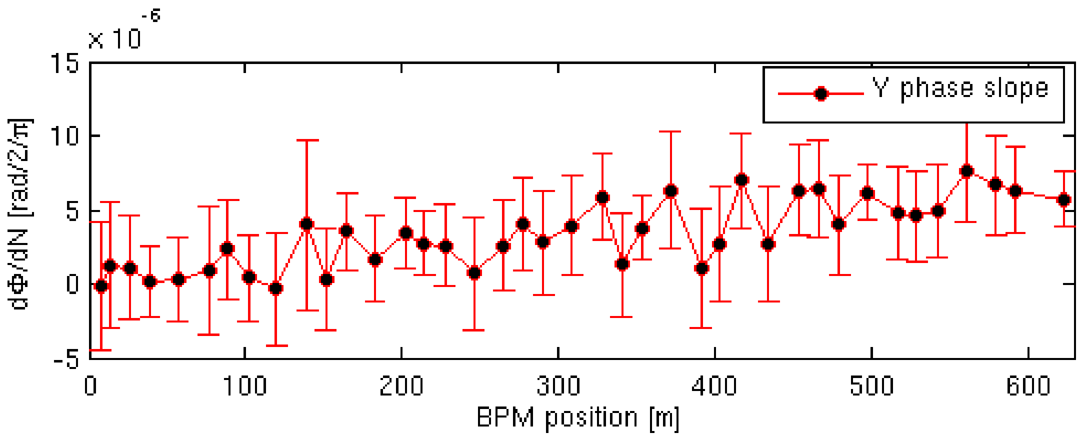
- Bunches are separated of half the machine (1us).
- Kicker is acting horizontally only on the trailing.
- By coupling we measure the trailing in vertical plane.
- Scan in intensity from 1e12 to 6e12.

Measurement with two bunches V plane





- Tune shift is due to coupled bunch effects.
- Is going up as corresponds to the horizontal tune.
- Is considerably reduced respect to the single bunch case.
- Imposed NSR~10% led to $\sigma_{\Delta\varphi} \sim 0.002$ as expected.



Unfortunately, being the tune shift lower, the error bars become considerably big…

Q20 13/02//2013