

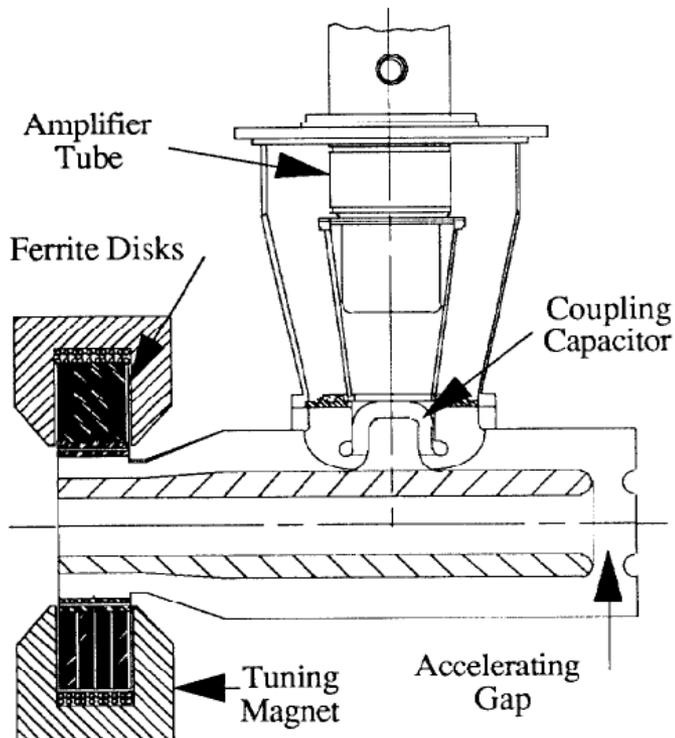
MATERIAL CHARACTERIZATION FOR THE 18 MHz TO 40 MHz SWEEP-TUNEABLE RF SYSTEM

Christine Vollinger, BE-RF

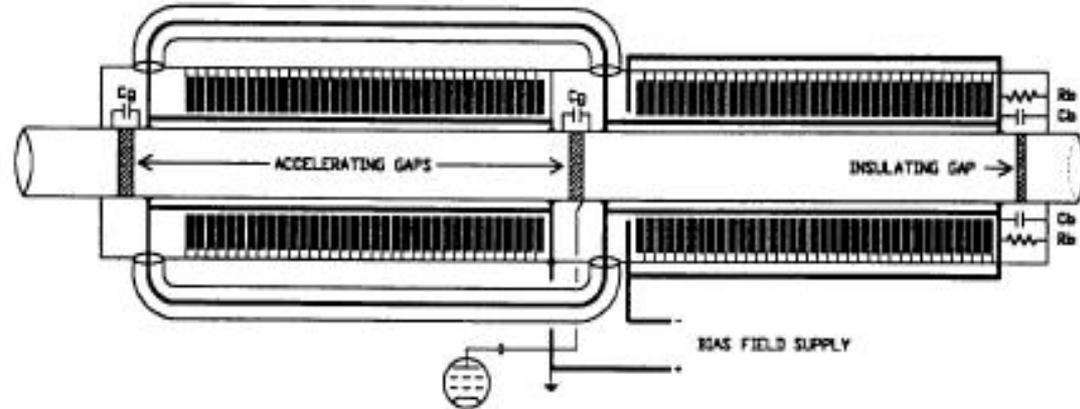
Measurement supported by Fritz Caspers

RF tuning cavity with magnetic bias

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Example for perpendicular bias
(from Friedrichs, 1991)



Example for parallel bias (from Gardner, 1991;
classical method, but less efficient than perp bias,
usually used for small tuning ranges.

**Problem: high tuning range (18-40 MHz) is
needed, but no ferrite is known to cover
that range.**

Parallel plus perpendicular biasing possible ? (one way out...)

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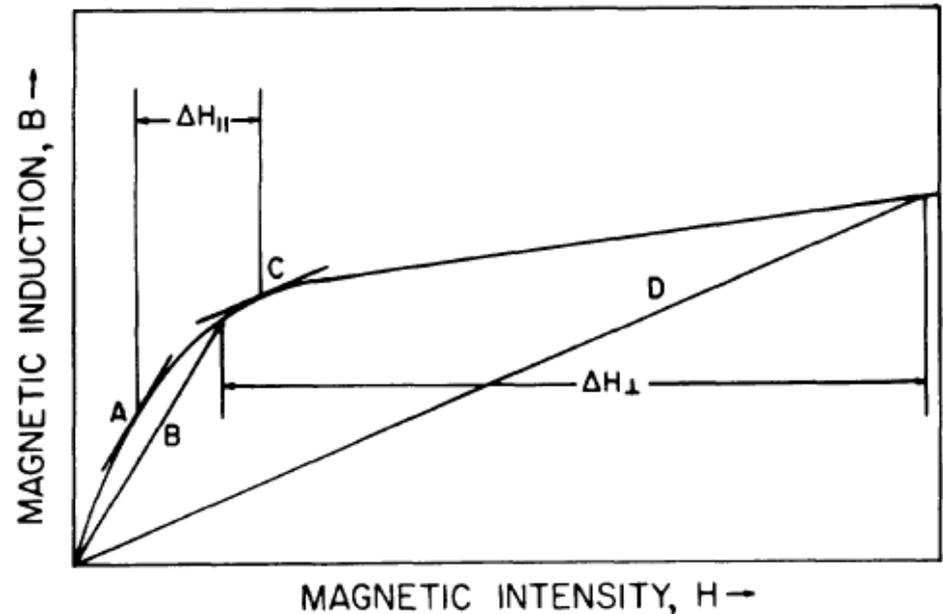
- Smythe suggested in 1983 to use
 - transverse bias to get into saturation (lower losses)
 - add'l. parallel bias for tuning (less bias).
- This was never tried before...

$$\mu_{\text{par}} = \partial B / \partial H$$

(tangent)

$$\mu_{\text{perp}} = B / H$$

(secant)



Leads to two primary goals:

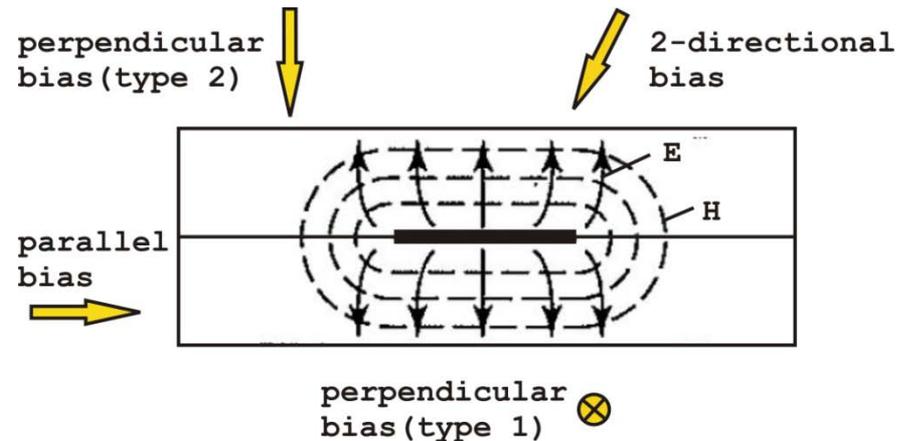
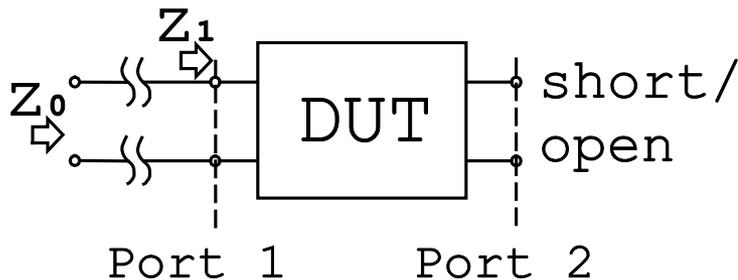
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1. Characterization of ferrite samples with different saturation and line widths under different bias conditions in the required f -range. (This required a dedicated test set-up, since supplier data does not exist – PART 1).
2. Verification of Smythe's claims (PART 2).
3. First requirement for an f -range of 18-40 MHz is a μ -range of approx. 5 (since $f \propto 1 / \text{Sqrt}[\mu]$).
4. Ratio of minimum to maximum f is given by $\text{Sqrt}[\mu_{\text{max}} / \mu_{\text{min}}]$; μ_{max} is the value at minimum bias field.

Measurement Set-up

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- Problematic: material samples are available in sizes 1" x 1" (or smaller);
- Small sample size led to strip-line set-up on ferrite;
- 1-port frequency swept measurement with NWA chosen to obtain complex S_{11} . From S_{11} , the complex DUT impedance is determined and the complex μ can be calculated;
- Measurement taken with magnetic bias field applied parallel and perpendicular to magnetic RF-field;

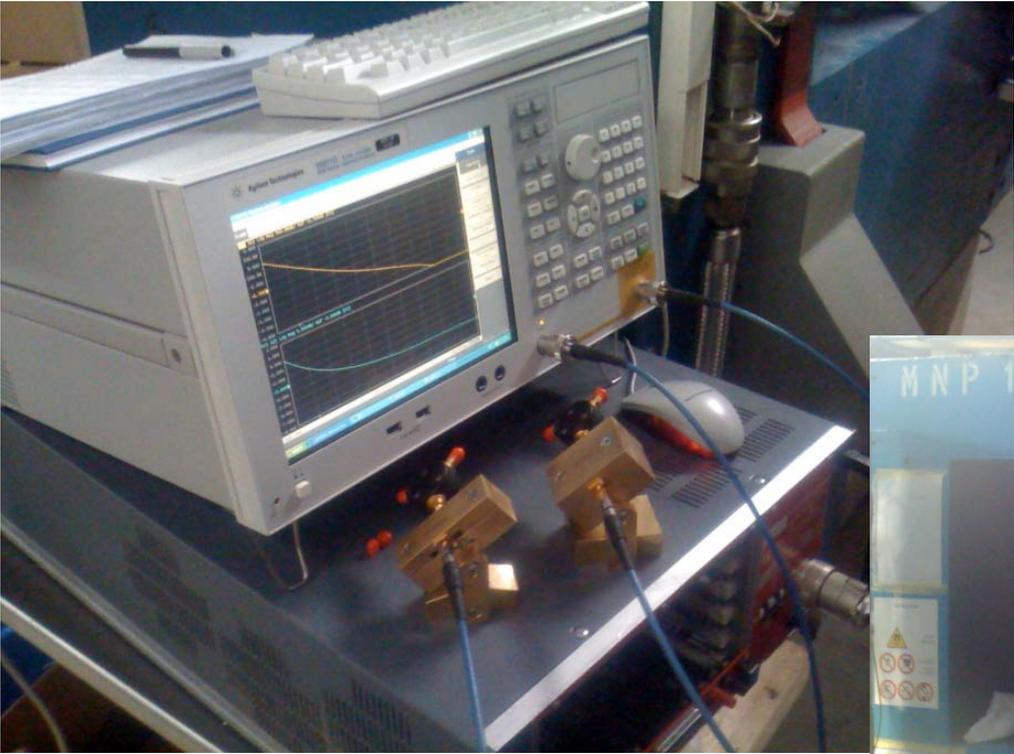


$\mu = \mu' - j \mu''$ (dispersive and dissipative part),

where magnetic quality: $Q_m = \mu' / \mu''$.

Measurement set-up

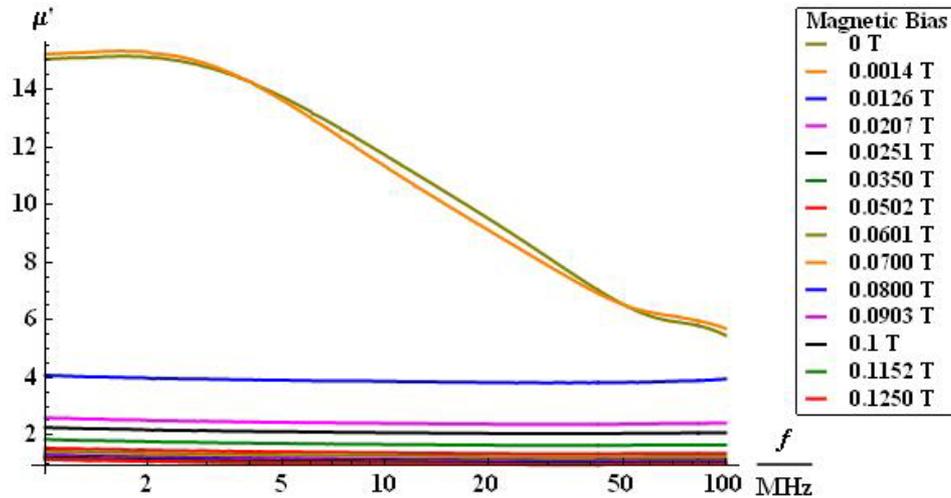
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Example:

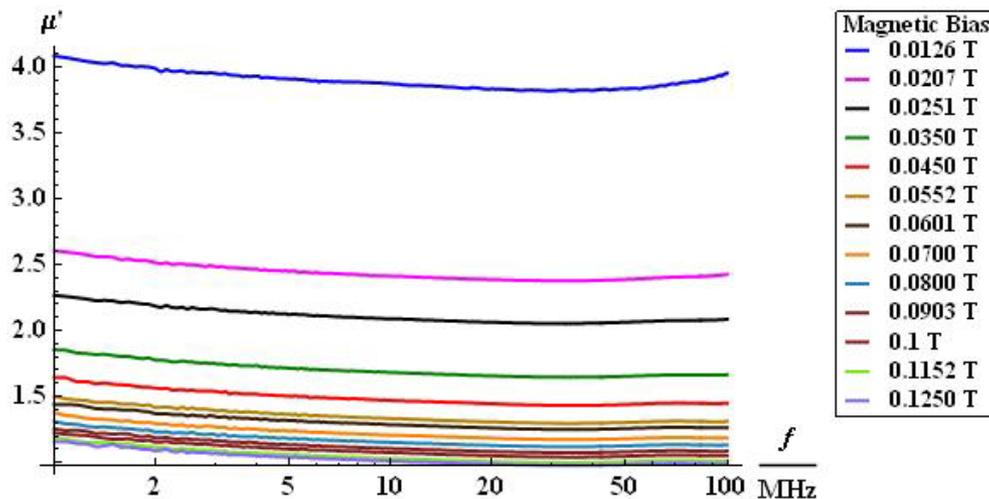
μ' in perp. Bias “type1” for Material #1 (Y36)

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μ' -ratio:

$$\mu'(18 \text{ MHz}, 0.0014 \text{ T}) / \mu'(40 \text{ MHz}, 0.1250 \text{ T}) = 13.7$$



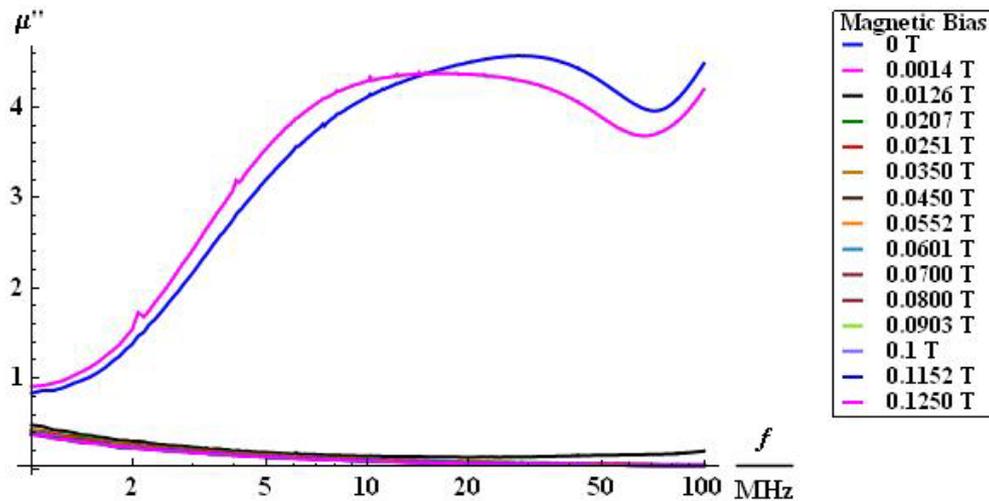
μ' -ratio:

$$\mu'(18 \text{ MHz}, 0.0126 \text{ T}) / \mu'(40 \text{ MHz}, 0.1250 \text{ T}) = 4.4$$

Example:

μ'' in perp. Bias "type 1" for Material #1 (Y36)

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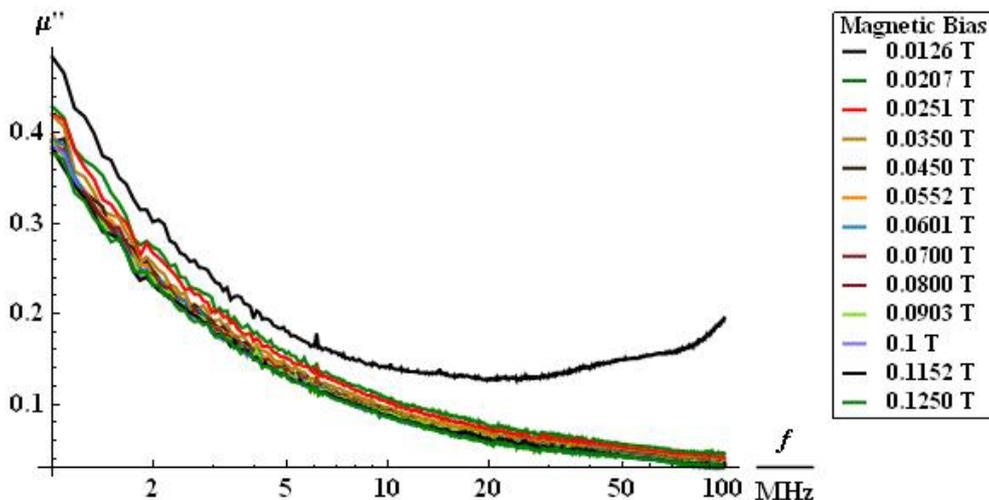


μ'' -values:

$$\mu''(18 \text{ MHz}, 0.0014 \text{ T}) = 4.5$$

$$\mu''(18 \text{ MHz}, 0.0126 \text{ T}) = 0.14$$

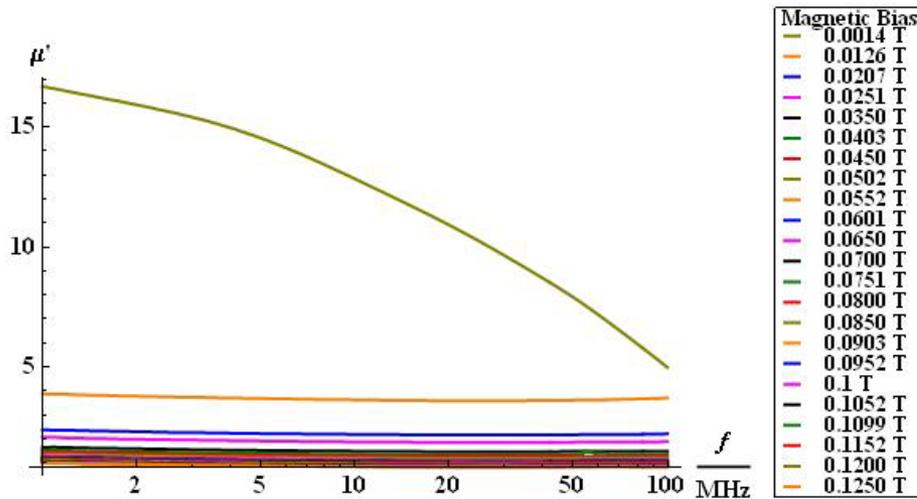
$$\mu''(40 \text{ MHz}, 0.1250 \text{ T}) = 0.044$$



Example:

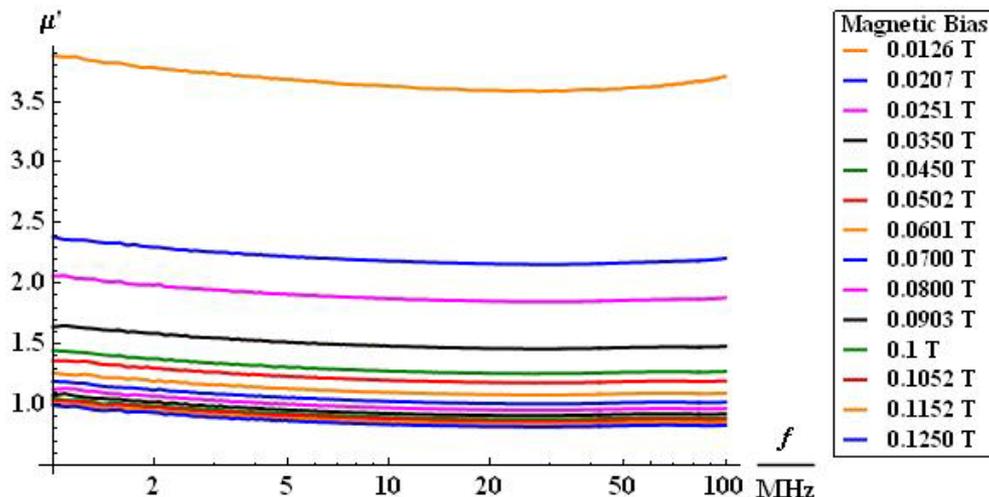
μ' in perp. Bias “type 1” for Material #2 (G300)

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μ' -ratio:

$$\mu'(18 \text{ MHz}, 0.0014 \text{ T})/\mu'(40 \text{ MHz}, 0.1250 \text{ T}) = 9.7$$



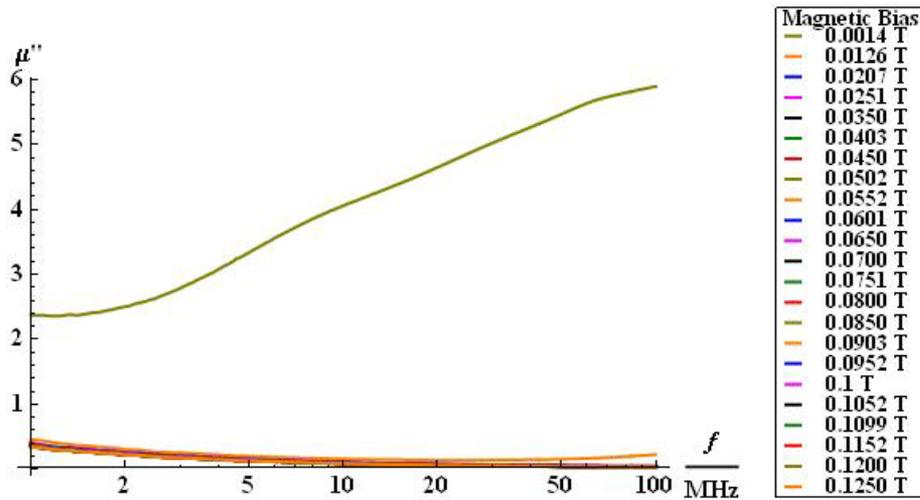
μ' -ratio:

$$\mu'(18 \text{ MHz}, 0.0126 \text{ T})/\mu'(40 \text{ MHz}, 0.1250 \text{ T}) = 3.9$$

Example:

μ'' in perp. Bias "type 1" for Material #2 (G300)

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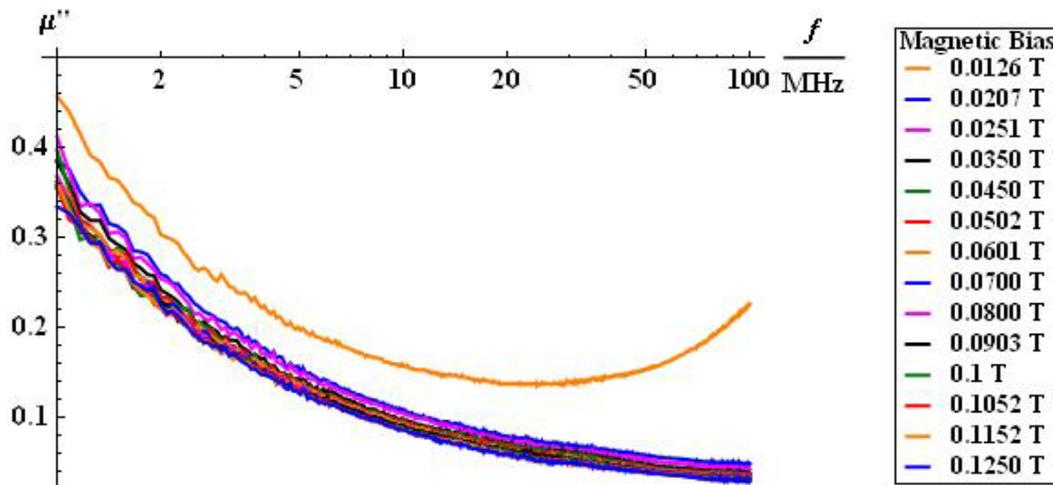


μ'' -values:

$$\mu''(18 \text{ MHz}, 0.0014 \text{ T}) = 4.4$$

$$\mu''(18 \text{ MHz}, 0.0126 \text{ T}) = 0.13$$

$$\mu''(40 \text{ MHz}, 0.1250 \text{ T}) = 0.044$$



Summary (1 / 3)

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	Y36	G300	G510
μ' -ratio, [0.014 T – 0.1250 T]	13.7 ($\mu''_{,0.014T} = 4.5$) ($\mu''_{,0.1250T} = 0.044$)	9.7 ($\mu''_{,0.014T} = 4.4$) ($\mu''_{,0.1250T} = 0.044$)	--
μ' -ratio, [0.0126 T – 0.1250 T]	4.4 ($\mu''_{,0.0126T} = 0.14$) ($\mu''_{,0.1250T} = 0.044$)	3.9 ($\mu''_{,0.0126T} = 0.13$) ($\mu''_{,0.1250T} = 0.044$)	6.4 ($\mu''_{,0.0126T} = 0.62$) ($\mu''_{,0.1048T} = 0.043$)
μ' -ratio, [0.02 T– 0.01048 T]	--	--	3.8 ($\mu''_{,0.02T} = 0.16$) ($\mu''_{,0.1048T} = 0.043$)

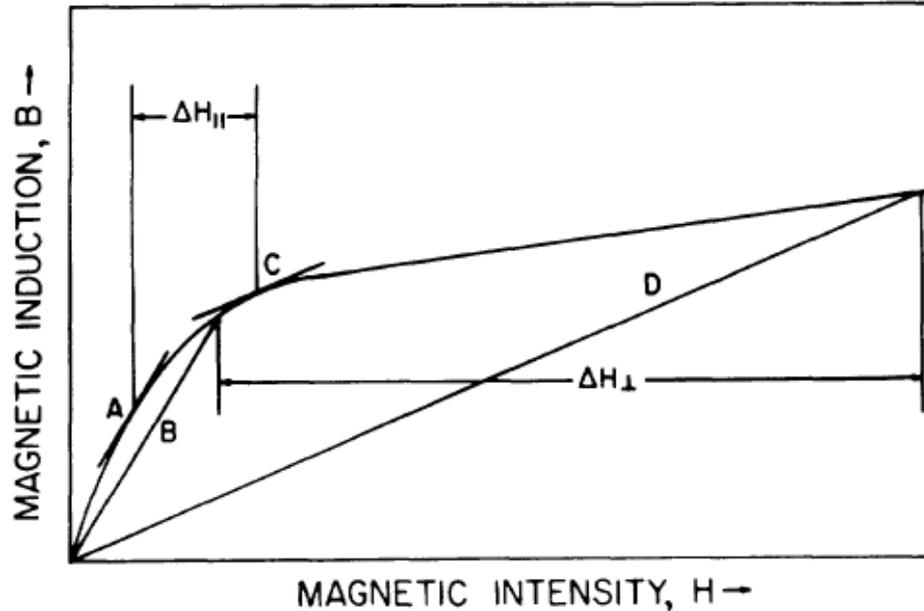
Leads to two primary goals:

1. Characterization of ferrite samples with different saturation and line widths under different bias conditions in the required f -range.
(This required a dedicated test set-up, since supplier data does not exist – PART 1).
2. **Verification of Smythe's claims (PART 2).**

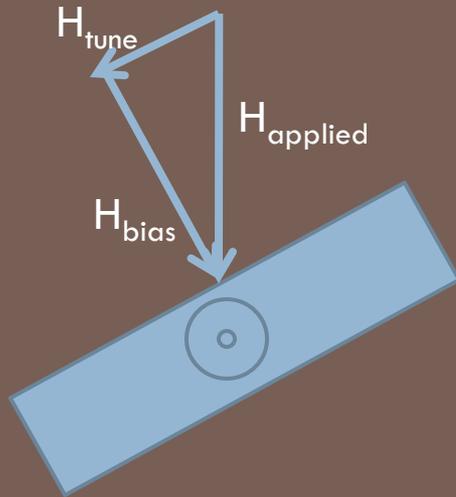
Verification of Smythe's Claims (PART 2)

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- Smythe suggested in 1983 to use
 - transverse bias to get close to saturation (reduces losses)
 - additional parallel bias for tuning (less bias required for same μ -range).

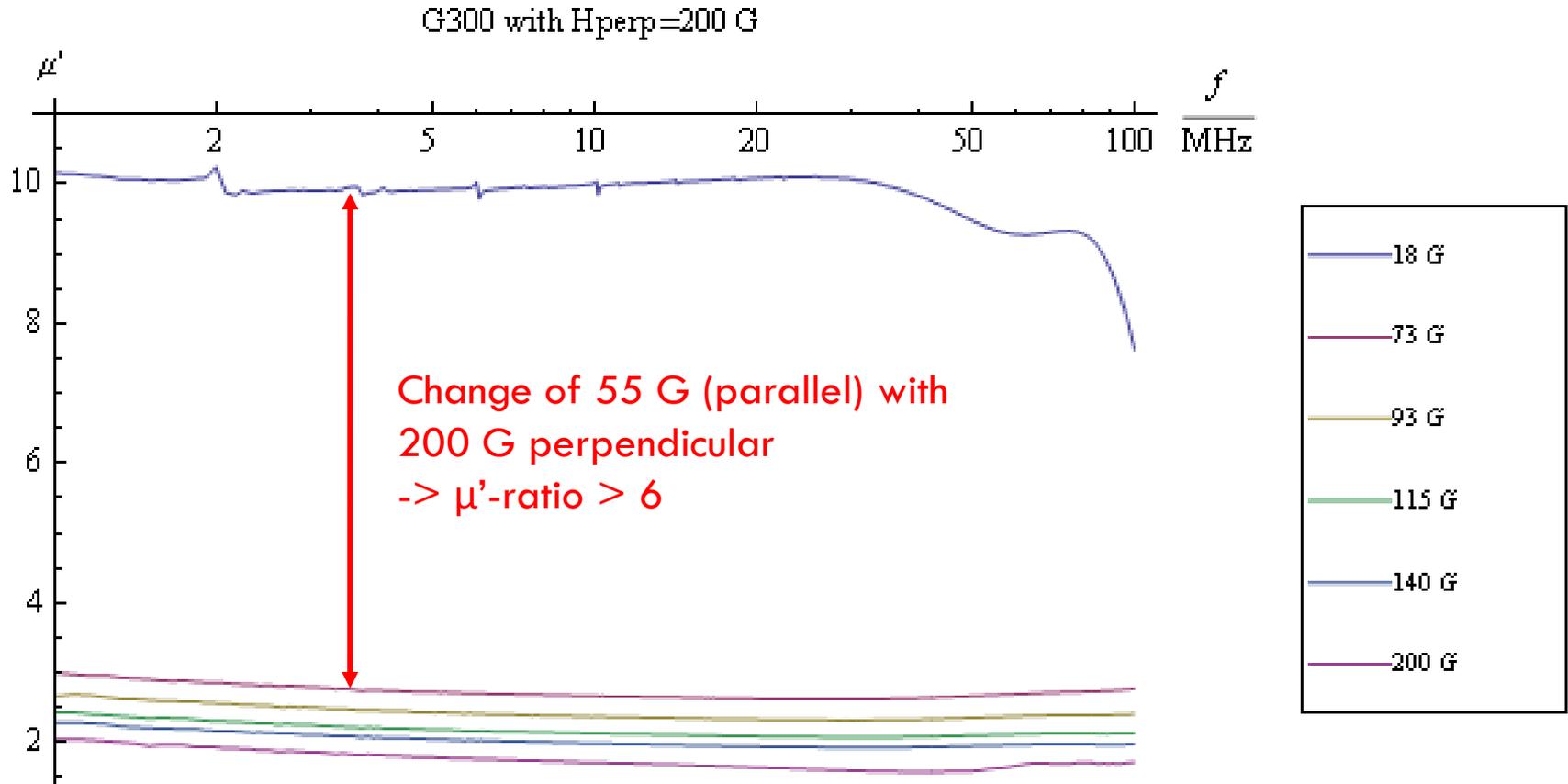


Measurement Set-up



μ' for Material #2 (G300) in 2-Directional Magnetic Bias

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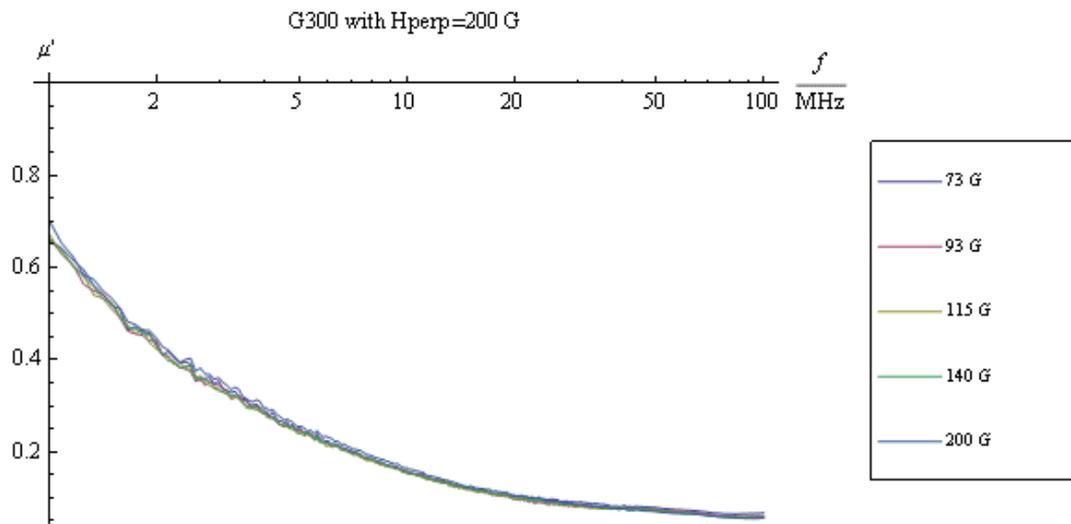
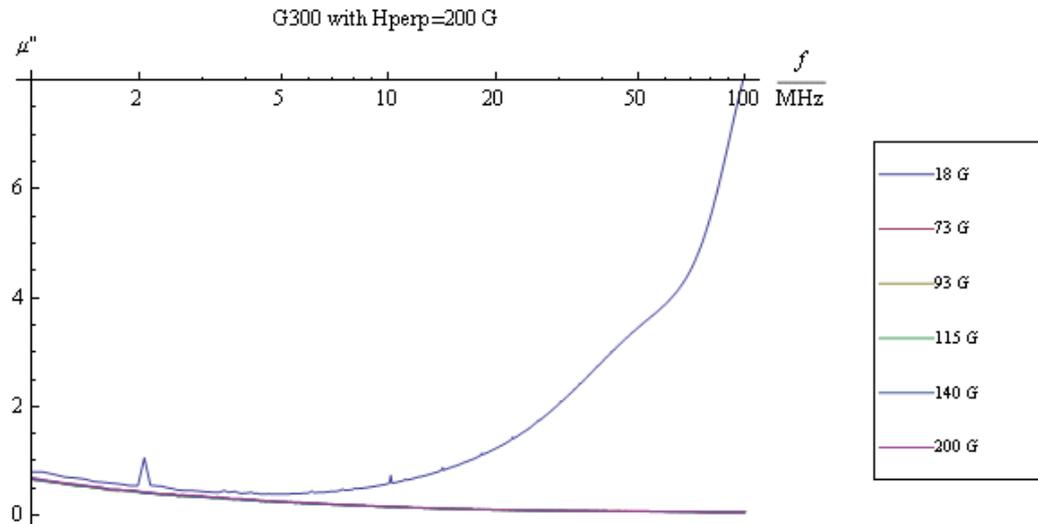


μ' -ratio with $H_{\text{perp}}=200$ G:

$$\mu'(20 \text{ MHz}, H_{\text{parBias}}=18 \text{ G}) / \mu'(40 \text{ MHz}, H_{\text{parBias}}=200 \text{ G}) = 6.4$$

μ'' for Material #2 (G300) in 2-Directional Magnetic Bias

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μ'' -values with $H_{\text{perp}}=200$ G :

$$\mu''(20 \text{ MHz}, H_{\text{par}}=18 \text{ G}) = 1.23$$

$$\mu''(20 \text{ MHz}, H_{\text{par}}=73 \text{ G}) = 0.106$$

$$\mu''(40 \text{ MHz}, H_{\text{par}}=200 \text{ G}) = 0.105$$

Summary (2/3)

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- Five ferrite samples have been ordered from industry and measured in an external magnetic bias field. This allowed the determination of their available f -range and the corresponding values of μ' as a function of frequency and Bias-field.
- Requirement for an f -range of 2.2 from 18-40 MHz is a μ' -ratio of approx. 5.
- Measurement set-up is found that appears robust and stable (1-port-measurement with NWA).
- Next step will be to investigate the performance of ferrite rings in a mock-up cavity (will the μ' -ratio hold) and the behaviour under exposure of a 2-directional field.

Summary (3/3)

- The idea of Smythe to use a 2-directional magnetic bias field appeared in 1983, but (to my knowledge) has never been used or further investigated.

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- Smythe had no measurement data to support his claims.
- From the measurement done on the G300 sample, it appears as if the method is promising and could work; we will continue further tests with other samples and higher parallel bias fields.

	G300 with perpendicular bias	G300 with 2-directional bias
μ' -ratio, [300 – 1005 Gauss]	4.0 ($\mu''_{,300\text{ G}} = 0.2$) ($\mu''_{,1005\text{ G}} = 0.074$)	--
μ' -ratio, [200 Gauss perpendicular] & [18 – 200 Gauss parallel]	--	6.4 ($\mu''_{,18\text{ G}} = 1.23$) ($\mu''_{,200\text{ G}} = 0.105$)